

## SUPPLEMENTARY MATERIAL

### *Supplementary Material S1: Variable selection algorithm*

We consider the following model for the height  $H_i$  of a tree  $i$  in the forest plot  $p$ , for  $i=1, \dots, n$ . The plots are described by  $d$  variables  $x_1, \dots, x_d$ . The indicators  $i_{\alpha_j}$  and  $i_{\beta_j}$  indicates the presence (1) or absence (0) of the  $j$ -th variable in the model. The parameters to be inferred are  $\theta_{\alpha_j}$ ,  $i_{\alpha_j}$ ,  $\theta_{\beta_j}$ ,  $i_{\beta_j}$ , and  $\sigma$  for  $j=1, \dots, d$ .

$$H_i = \frac{1}{1/\alpha_p + \beta_p/DBH_i} \times \varepsilon_i, \quad \varepsilon_i \sim LN(0, \sigma^2)$$
$$\alpha_p = \exp\left(\theta_{\alpha_0} + \sum_j \theta_{\alpha_j} i_{\alpha_j} x_{j,p}\right), \quad \beta_p = \exp\left(\theta_{\beta_0} + \sum_j \theta_{\beta_j} i_{\beta_j} x_{j,p}\right)$$

where LN is the log-normal distribution.

Estimations of  $\alpha_p$  and  $\beta_p$  are available from the site-specific model. A rough maximum likelihood estimates (MLE) of  $\theta_{\alpha_j}$  and  $\theta_{\beta_j}$  can be obtained with a linear model linking the site specific  $\alpha_p$  and  $\beta_p$  to the variables  $x_j$ .

We did weighted regression because we wanted our model being more accurate for large trees. For the tree  $i$ , we used the weight  $w_i$  as a proxy of the tree biomass:

$$w_i = DBH_i^2 \times H_i$$

$Hobs_i$  and  $Hpred_i$  are respectively the observed height and the predicted height for the tree  $i$ :

$$Hpred_i = \frac{1}{1/\alpha_p + \beta_p/DBH_i}$$

The likelihood function is given by:

$$\mathcal{L}(\theta_{\alpha}, i_{\alpha}, \theta_{\beta}, i_{\beta}, \sigma^2 | DBH, H) = \prod_{i=1}^n dlnorm(Hobs_i, Hpred_i, \sigma^2) w_i$$

Where  $dlnorm$  is the density function of the lognormal distribution. The model inference was done though the Bayesian paradigm; parameters were attributed standard low-informative priors.

For our model a Kuo-Mallick algorithm is defined by:

Repeat:

For each variable  $x_j$  in a random order:

    Compute the MLE of  $\theta_{\alpha_{MVE}}$  in the current model including the variable  $j$ .

    Generate  $\theta_{\alpha_j}^*$  from a normal proposition distribution centered on  $\theta_{\alpha_{MVE}}$  with variance 0.1

Reject or accept the proposition with the Metropolis ratio

Compute the likelihood ratio:

$$r = \frac{\mathcal{L}(\theta_\alpha, i_\alpha(i_{\alpha_j} = 1), \theta_\beta, i_\beta, \sigma^2 | DBH, H)}{\mathcal{L}(\theta_\alpha, i_\alpha(i_{\alpha_j} = 0), \theta_\beta, i_\beta, \sigma^2 | DBH, H)}$$

Generate  $i_{\alpha_j}$  from a Bernoulli distribution  $\mathcal{B}(p = \frac{1}{1+r})$

(Note: the intercepts  $\theta_{\alpha_0}$  and  $\theta_{\beta_0}$  are always included in the model).

With the same process, update  $\theta_\beta$  and  $i_\beta$ .

Compute

$$V = \sum_i w_i \left( \log(H_{obs_i}) - \log(H_{pred_i}) \right)^2$$

Generate  $\sigma^2$  from an inverse-gamma distribution  $\text{InvG}(\text{prior} + \frac{nind}{2}, \text{prior} + \frac{V}{2})$ .

We discard the beginning of the chains (burn-in) and use a thinning to reduce autocorrelation.

**Supplementary Material 2: Forest plots description**

Plot ID	log_area_drain	slope (rad)	TRI_20	alt_hydro (m)	rainfall (mm)	dry season index (month)	BA (m <sup>2</sup> /ha)	prop_stem_1 (%)	prop_stem_2 (%)	prop_stem_3 (%)	prop_stem_4 (%)	$\alpha$	$\beta$	Fresh AGB (t/ha)
38	9,00	0,24	205,48	245,53	3040,05	2,53	10,05	88,71	10,75	0,54	0,00	19,21	2,43	71,29
11	9,00	0,18	104,44	115,12	3167,78	2,73	29,77	91,50	7,52	0,65	0,33	18,27	3,00	202,86
48	9,00	0,05	236,65	285,70	2661,64	2,45	19,20	70,05	25,60	3,38	0,97	38,78	2,55	225,50
2	9,00	0,01	6,89	11,95	2370,99	3,32	28,30	77,97	20,05	1,49	0,50	33,70	3,55	301,47
36	11,40	0,16	106,10	0,00	3039,15	2,53	28,85	71,43	23,21	4,29	1,07	44,45	1,50	328,77
46	10,10	0,14	21,05	0,00	2665,66	2,44	37,21	77,22	16,71	5,57	0,51	33,77	1,77	386,27
3	10,61	0,01	7,59	7,75	2383,91	3,30	38,52	78,81	15,25	4,13	1,81	29,11	3,24	413,68
35	9,00	0,07	62,30	47,97	3038,09	2,53	37,18	86,54	8,76	3,21	1,50	35,91	2,31	426,39
18	9,00	0,50	88,42	112,86	3167,48	2,73	48,09	79,88	18,34	1,48	0,30	27,61	3,52	459,64
A11	9,00	0,14	15,72	22,78	2302,08	3,36	34,47	55,68	29,55	10,91	3,86	44,14	1,98	464,88
B4	9,00	0,06	18,82	22,87	2378,35	2,99	34,14	56,58	29,61	12,06	1,75	50,02	1,79	465,22
37	15,34	0,01	87,80	0,00	3031,37	2,52	39,59	84,71	10,35	3,76	1,18	37,56	2,16	481,16
16	13,59	0,01	44,92	0,13	3168,00	2,72	44,74	72,79	21,48	3,58	2,15	42,36	1,57	485,12
21	9,00	0,03	21,27	28,50	2400,63	3,25	39,19	59,47	29,07	9,25	2,20	43,34	1,90	496,64
4	9,00	0,01	16,87	21,73	2376,31	3,33	40,49	68,91	22,12	7,69	1,28	37,14	2,29	498,31
17	9,69	0,11	23,53	6,64	3167,87	2,72	49,56	58,99	30,90	7,30	2,81	41,43	1,10	503,94
15	9,00	0,06	28,37	37,65	3167,19	2,70	44,64	82,86	13,37	2,45	1,32	46,54	1,85	521,55
P018	10,39	0,12	8,47	3,22	2545,89	3,70	38,16	58,10	28,29	9,07	4,54	53,44	1,43	533,19
9	9,00	0,11	8,95	11,27	2403,37	3,25	47,90	65,43	27,16	5,68	1,73	31,94	2,32	537,01
M1711	9,00	0,10	72,27	86,47	3137,00	2,62	39,97	60,61	26,26	8,28	4,85	49,53	1,47	540,11
5	9,00	0,02	12,64	18,44	2370,64	3,33	40,17	60,61	27,65	7,58	4,17	44,10	2,18	562,40
41	9,00	0,09	31,20	38,10	2665,35	2,44	43,32	64,02	27,13	5,49	3,35	49,76	1,85	568,14
10	10,10	0,06	41,11	4,02	3167,97	2,73	40,79	63,60	26,15	7,07	3,18	45,55	2,05	568,49
P006	11,08	0,05	10,04	3,26	2558,00	3,66	46,23	57,23	31,80	8,74	2,23	40,53	1,89	588,20
31	9,00	0,06	95,62	19,67	3032,44	2,52	45,28	63,57	26,12	5,84	4,47	38,63	2,43	593,74
NL11	10,39	0,29	64,65	27,60	3026,66	2,51	39,05	61,87	26,77	5,88	5,48	61,26	1,50	594,04
33	10,10	0,15	87,10	22,37	3037,09	2,53	40,34	62,24	25,73	5,39	6,64	60,39	1,41	601,11
12	9,00	0,11	63,77	76,47	3167,96	2,72	62,92	75,07	21,98	2,41	0,54	31,67	2,39	610,27
7	11,08	0,04	10,42	0,50	2390,11	3,29	52,05	65,95	24,70	6,95	2,40	37,90	2,34	626,77
LV1	9,69	0,10	20,68	18,42	3131,50	2,77	43,93	56,70	30,93	9,97	2,41	56,67	1,88	640,62
NH20	9,00	0,02	92,19	24,25	3032,96	2,52	45,10	54,62	30,52	9,64	5,22	56,82	1,45	673,33
T1	9,00	0,14	24,13	28,80	3093,72	2,86	43,66	50,49	32,28	10,44	6,80	52,33	1,94	706,67
34	9,00	0,20	68,92	79,82	3036,05	2,52	47,05	61,11	24,81	7,41	6,67	50,92	1,77	707,59
32	9,69	0,16	84,49	34,60	3033,48	2,52	48,85	55,56	28,97	9,52	5,95	48,90	1,74	720,90

Plot ID	log_area_drain	slope (rad)	TRI_20	alt_hydro (m)	rainfall (mm)	dry season index (month)	BA (m <sup>2</sup> /ha)	prop_stem_1 (%)	prop_stem_2 (%)	prop_stem_3 (%)	prop_stem_4 (%)	$\alpha$	$\beta$	Fresh AGB (t/ha)
6	9,00	0,11	19,24	25,65	2393,45	3,28	49,76	56,02	30,29	7,47	6,22	41,83	1,85	732,48
42	9,00	0,05	83,95	19,54	2662,55	2,45	52,48	60,85	30,16	6,35	2,65	49,82	2,10	744,26
14	9,00	0,08	36,23	40,92	3167,50	2,72	52,09	59,32	27,46	7,46	5,76	43,33	2,18	756,10
8	10,39	0,04	12,37	0,00	2391,19	3,27	62,19	60,64	28,71	8,42	2,23	35,01	2,23	768,01
13	9,00	0,17	75,73	91,94	3167,65	2,73	65,86	63,85	27,06	5,84	3,25	39,73	2,01	808,75
45	15,96	0,03	54,92	0,00	2663,14	2,44	55,21	50,94	32,45	12,08	4,53	53,88	1,35	817,43
44	9,00	0,02	15,21	3,89	2664,67	2,44	58,30	63,25	24,10	7,23	5,42	46,05	1,58	833,63
43	9,00	0,18	72,41	42,34	2666,06	2,45	59,77	64,37	25,75	7,36	2,53	51,28	1,79	841,05

Plot ID: Identification of the forest plots. ID starting with letters are the 1-ha plots; ID with numbers only are the 0.5-ha Gentry plots

log\_area\_drain: Logarithm of the drained area

TRI\_20: Terrain Ruggedness Index

alt\_hydro: altitude above the closest stream of the hydraulic basin

BA: Basal Area

prop\_stem\_1: proportion of stems between 10cm and 20 cm DBH

prop\_stem\_2: proportion of stems between 20cm and 40 cm DBH

prop\_stem\_3: proportion of stems between 40cm and 60 cm DBH

prop\_stem\_4: proportion of stems above 60cm DBH

$\alpha$ : mean value of the alpha parameter

$\beta$ : mean value of the beta parameter