

1 **Variability of projected terrestrial biosphere responses to elevated levels of atmospheric**
2 **CO₂ due to uncertainty in biological nitrogen fixation**

3 **J. Meyerholt^{1,2}, S. Zaehle^{1,3}, M. J. Smith⁴**

4 [1]{Biogeochemical Integration Department, Max Planck Institute for Biogeochemistry, Jena,
5 Germany}

6 [2]{International Max Planck Research School (IMPRS) for Global Biogeochemical Cycles,
7 Jena, Germany}

8 [3]{Michael-Stifel-Center Jena for Data-driven and Simulation Science, Jena, Germany}

9 [4]{Computational Science Laboratory, Microsoft Research Cambridge, United Kingdom}

10 Correspondence to: J. Meyerholt (jmeyer@bgc-jena.mpg.de)

11

12 **Abstract**

13 Including a terrestrial nitrogen (N) cycle in Earth system models has led to substantial
14 attenuation of predicted biosphere-climate feedbacks. However, the magnitude of this
15 attenuation remains uncertain. A particularly important, but highly uncertain process is
16 biological nitrogen fixation (BNF), which is the largest natural input of N to land ecosystems
17 globally. In order to quantify this uncertainty, and estimate likely effects on terrestrial
18 biosphere dynamics, we applied six alternative formulations of BNF spanning the range of
19 process formulations in current state-of-the-art biosphere models within a common
20 framework, the O-CN model: a global map of static BNF rates, two empirical relationships
21 between BNF and other ecosystem variables (net primary productivity and
22 evapotranspiration), two process-oriented formulations based on plant N status, and an
23 optimality-based approach. We examined the resulting differences in model predictions under
24 ambient and elevated atmospheric [CO₂] and found that the predicted global BNF rates and
25 their spatial distribution for contemporary conditions were broadly comparable, ranging from
26 108 to 148 Tg N yr⁻¹ (median 128 Tg N yr⁻¹), despite distinct regional patterns associated with
27 the assumptions of each approach. Notwithstanding, model responses in BNF rates to elevated
28 levels of atmospheric [CO₂] (+200 ppm) ranged between -4 Tg N yr⁻¹ (-3%) and 56 Tg N yr⁻¹
29 (+42%) (median 7 Tg N yr⁻¹ (+8%)). As a consequence, future projections of global

1 ecosystem carbon (C) storage (+281 to +353 Pg C, or +13 to +16%), as well as N₂O emission
2 (-1.6 to +0.5 Tg N yr⁻¹, or -19 to +7%) differed significantly across the different model
3 formulations. Our results emphasize the importance of better understanding the nature and
4 magnitude of BNF responses to change-induced perturbations, particularly through new
5 empirical perturbation experiments and improved model representation.

6

7 **1 Introduction**

8 Understanding the mechanisms underpinning feedbacks between climate change and land
9 carbon (C) storage is a major challenge in Earth system research (Friedlingstein et al., 2006;
10 Bonan, 2008; Arora et al., 2013; Smith et al., 2013). Ecosystem nitrogen (N) availability
11 strongly affects terrestrial vegetation and soil responses to climate change (Hungate et al.,
12 2003; Gruber and Galloway, 2008; Zaehle, 2013). The terrestrial N cycle receives inputs from
13 atmospheric deposition and biological N fixation (BNF) and ecosystem outputs as leaching
14 and gaseous losses, which together determine the long-term terrestrial N balance, and thus N
15 availability. Statistical studies have suggested that the contemporary magnitude and likely
16 future changes in BNF may be an important factor in regulating the amount of N available to
17 support future ecosystem C sequestration, particularly in response to elevated atmospheric
18 carbon dioxide (CO₂) concentrations (eCO₂) (Hungate et al., 2003; Wang and Houlton, 2009),
19 however, without providing detailed knowledge on the underlying spatio-temporal
20 development of BNF and its driving factors.

21 A new generation of terrestrial biosphere models (TBMs) that include a representation of the
22 dynamics of various N cycle components has been developed to analyze the consequences of
23 limited terrestrial N availability; see Zaehle and Dalmonech (2011) for a review. These C-N
24 models predict that ecosystem N availability attenuates the responses of the terrestrial C cycle
25 to eCO₂ and climate change, thereby altering the C-cycle related biosphere-climate feedbacks
26 (Thornton et al., 2007; Sokolov et al., 2008; Zaehle et al., 2010b; Arora et al., 2013; Smith et
27 al., 2014; Zhang et al., 2014). Furthermore, atmospheric CO₂ and climate change modulate
28 the terrestrial source of the greenhouse gas N₂O, potentially providing an additional feedback
29 to the climate system (Stocker et al., 2013; Zaehle, 2013). However, many aspects of the
30 functioning of the terrestrial N cycle and its interactions with the C cycle, as well as the
31 causes of wide-spread terrestrial N limitation remain poorly understood.

1 One reason for the occurrence of N limitation is that BNF, the microbial reduction of quasi-
2 inert atmospheric N (N_2) into plant-available reactive N, is an energy-costly process and
3 therefore not ubiquitous in many energy-limited ecosystems (Postgate, 1970; Vitousek and
4 Howarth, 1991). Symbiotic BNF is carried out by microbes that inhabit root nodules in plants
5 (Gutschick, 1981) and is commonly assumed to contribute the bulk of global BNF
6 (Cleveland, 1999). Plants that exhibit these symbioses with microbes, often legumes, are
7 frequently referred to as "N fixers". Asymbiotic forms of BNF include plant-associated BNF
8 (N fixing microbes inhabiting the plant rhizosphere but not entering direct plant-microbe
9 symbioses), as well as heterotrophic BNF carried out by free-living bacteria. Furthermore,
10 BNF from mycorrhizal fungi (Franklin et al., 2014) and cryptogamic communities (Elbert et
11 al., 2012) has been shown to be of significant magnitude. These groups of N fixing organisms
12 are phylogenetically diverse and poorly understood (Vitousek et al., 2013), making the
13 quantification of global BNF rates challenging. Efforts towards global-scale quantifications of
14 ecosystem BNF rates have not progressed beyond integrated biome-scale estimates
15 extrapolated from few point measurements ($100\text{-}290 \text{ Tg N yr}^{-1}$, Cleveland et al., 1999) and
16 estimates based on heuristic assumptions (128 Tg N yr^{-1} , Galloway et al., 2004; 44 or 58 Tg N
17 yr^{-1} , Vitousek et al., 2013). Such understanding has been hampered by practical and
18 methodological uncertainties in plot-scale measurements, as well as by regional
19 undersampling.

20 Although these rates indicate that BNF is the largest natural input of reactive N to the
21 terrestrial biosphere and N fixing plants should have a competitive advantage in N-limited
22 ecosystems such as old-growth temperate and boreal forests, the N input from BNF is not
23 sufficient to lift the wide-spread N limitation of terrestrial production (Vitousek and Howarth,
24 1991). Rather, symbiotic BNF in particular has been characterized as an early-successional
25 phenomenon. The absence of N fixers from high-latitude old-growth forests has been
26 attributed to co-limitation by the availability of other resources (most prominently phosphorus
27 and/or light, both of which are required in higher abundance by N fixers relative to non-
28 fixers), environmental factors such as soil temperature, and increased herbivory preference for
29 N fixers (Vitousek and Field, 1999; Vitousek et al., 2002; Wang et al., 2007; Houlton et al.,
30 2008; Menge et al., 2008). To date, such insights on the controlling factors of BNF have not
31 been incorporated into models meant for global representation of biogeochemical processes in
32 the biosphere.

1 The majority of C-N TBMs relies on the empirical relationship between observation-based
2 estimates of BNF and actual evapotranspiration (ET) developed by Cleveland et al. (1999),
3 based on earlier works suggesting a link between high rates of BNF and water losses in humid
4 ecosystems (Schimel et al., 1996). This approach was originally taken with awareness that it
5 largely ignored the biogeochemistry of BNF, and thus applied as a (time-invariant)
6 climatology to drive N cycle models (Zaehle et al., 2010b), but also applied as a dynamic-
7 process representation (Yang et al., 2009; Wania et al., 2012; Smith et al., 2014). Cleveland et
8 al. (1999) also presented a second, considerably weaker correlation of BNF with net primary
9 productivity (NPP), which was subsequently applied in TBMs as well (Thornton et al., 2007;
10 Goll et al., 2012).

11 Other model representations were developed for global models to treat BNF based on plant
12 physiology rather than empirical relationships. Gerber et al. (2010) presented an approach that
13 determines ecosystem BNF rates based on vegetation N demand, availability of soil reactive
14 N, and light availability. In this model, simulated BNF rates are the result of biogeochemical
15 ecosystem processes and also take effects of forest succession or disturbance into account.
16 Another class of models have focused on the optimization of plant C investment into resource
17 acquisition (Rastetter et al., 2001; Wang et al., 2007; Fisher et al., 2010), including symbiotic
18 BNF. Here, ecosystem BNF rates are the result of a cost-benefit evaluation that maximizes the
19 plants' competitiveness for nutrients. This concept was subsequently applied to generate
20 symbiotic BNF input rates for a TBM as well (Wang et al., 2010).

21 It is presently unclear how the uncertainty regarding terrestrial BNF affects the projections of
22 terrestrial biosphere dynamics. In a first attempt, Wieder et al. (2015) tested the BNF
23 representations based on empirical BNF to NPP and ET relationships as described by
24 Cleveland et al. (1999) in the CLM4.5 model under the "business-as-usual" representative
25 concentration pathway RCP 8.5 (Moss et al., 2010). They found a moderate global BNF
26 increase for the NPP approach and an eventual BNF decrease for the ET approach. While
27 informative, this study only considered the two most common BNF representations, both of
28 which are simple enough for their responses to global change and the consequences for model
29 predictions to be relatively straightforward. Other approaches, however, might introduce more
30 complexity into the simulated biosphere responses to change, which calls for a comparison of
31 a more complete set of BNF representations in TBMs.

1 To assess this uncertainty, we tested six alternative approaches to represent BNF embedded
2 within the framework of a common TBM, the O-CN model (Zaehle and Friend, 2010), which
3 comprises a comprehensive description of the terrestrial C and N cycles and their interactions
4 with the terrestrial energy and water balance. Applying all BNF schemes directly in a full
5 TBM allowed us to appraise the consequences of uncertainty in BNF representations for the
6 simulated C cycle. The BNF models included a prescribed global map of static BNF rates,
7 two simple empirical relationships between BNF and other ecosystem variables (NPP and
8 ET), two formulations based on plant N status, and an approach following a basic form of
9 optimality of plant N acquisition (Table 1).

10 We first applied these alternative BNF model versions of O-CN to simulate the pre-industrial
11 to present-day global patterns of the terrestrial C and N cycle to analyze the implied spatial
12 patterns of BNF and associated projected C and N fluxes. We then sought to test the implied
13 sensitivity of BNF, and thus the coupled C-N cycles, to changes in N limitation. We did this
14 by driving the model versions with idealized transient and step-wise eCO₂ scenarios to make
15 the functional model differences clearly apparent. The increased C availability increased plant
16 N demand, and this demand was met with a variety of approaches to determine the ecosystem
17 N input of BNF, which emphasized the different characteristics of the alternative approaches.
18 In particular, we expected a pronounced discrepancy between empirical and mechanistic BNF
19 representations, highlighting a previously unquantified source of variation in the predictions
20 of C-N terrestrial biosphere models.

21

22 **2 Methods**

23 **2.1 O-CN**

24 The O-CN model (Zaehle and Friend, 2010) is an extended version of ORCHIDEE (Krinner
25 et al., 2005), the land surface model of the IPSL Earth System Model (Dufresne et al., 2013).
26 O-CN has been extended to represent, among other things, key terrestrial N cycle processes in
27 the vegetation and soil compartments (Fig. 1). It simulates density-based representations of
28 the C and N dynamics of 12 plant functional types (PFTs) on a global grid, and is applied here
29 at a spatial resolution of 1°×1°. The representation of the N cycle includes: (1) prognostic
30 plant tissue and soil organic matter N concentrations; (2) N-dependent leaf-level
31 photosynthesis and plant respiration; (3) N-dependent allocation of assimilates to various

1 plant organs with different C:N ratios; (4) N-dependent soil organic matter decomposition and
2 N mineralization, following the CENTURY soil model (Parton et al., 1993); (5) N inputs
3 from atmospheric deposition and fixation, as well as leaching and gaseous N losses resulting
4 from nitrification and denitrification processes in the soil. The treatment of inorganic soil N
5 (Zaehle et al., 2011) largely follows the LPJ-DyN approach (Xu and Prentice, 2008), with
6 additions from the DNDC model (Li et al., 2000). See Zaehle and Friend (2010) for a detailed
7 description of O-CN.

8 **2.2 BNF models**

9 We conducted simulations applying six alternative models of symbiotic BNF currently
10 applied in TBMs, which are described in Sect. 2.2.1 to 2.2.6 (Zaehle and Dalmonech, 2011;
11 Table 1; Appendix). Conceptually, the BNF models can be summarized as model forcing
12 (time-invariant map of BNF rates (FOR)); two empirical models relating N fixation to
13 vegetation production or water loss, as presented by the review of Cleveland et al. (1999)
14 (AET, PRO); two process-oriented models that heuristically account for the dependency of N
15 fixation on vegetation N demand (NDT, NDS); and one model following a basic concept of
16 plant fitness optimality of N acquisition (OPT). As only the FOR model implicitly accounted
17 for asymbiotic N fixation, the other five models included an additional term representing this
18 pathway that contributes strongly to N fixation in ecosystems with low vegetation cover
19 (derived in Sect. 2.2.7). N fixed through symbiotic BNF was added to the labile N pool of the
20 plants, whereas asymbiotic BNF was added to the ammonium soil pool.

21 **2.2.1 FOR**

22 The FOR model uses a static global map of BNF rates as model forcing, derived from an
23 empirical, linear correlation between data-based estimates of ecosystem BNF rates and
24 modeled ET (Cleveland et al., 1999). The map was derived by using Cleveland's central
25 regression parameters with a climatology of 1961-2000 ET (Prentice et al., 1993). To avoid N
26 accumulation in systems with low plant N requirement (i.e. low plant productivity or high N
27 availability), BNF in this approach is set to converge towards zero when soil inorganic N
28 concentrations exceed 2 g N m^{-2} . Thus, average BNF rates still vary due to any mechanics that
29 affect the soil N pool, such as seasonal variations in plant N uptake and organic matter
30 mineralization, or long-term shifts in these quantities under perturbation. Because this
31 approach does not separate between symbiotic and asymbiotic pathways, BNF in FOR is

1 added directly to the soil N pool. This is the original O-CN BNF representation (Zaehle and
2 Friend, 2010).

3 **2.2.2 AET**

4 The AET model determines BNF as a linear function of modeled ET, based on the
5 observation that high BNF rates occur in humid ecosystems that have large N stocks, but also
6 high N loss rates (Schimel et al., 1996). The most widely used parametrization for this
7 regression is the central estimate of the slope between ET and BNF, as estimated by
8 Cleveland et al. (1999), which is also applied here. The difference between the FOR and AET
9 models is that in FOR, ET is the time-invariant annual evapotranspiration, whereas in AET,
10 ET is the daily evapotranspiration as prognostically modeled by the water and energy flux
11 component of O-CN (Krinner et al., 2005). This BNF representation was previously applied
12 in the ISAM (Yang et al., 2009), UVic (Wania et al., 2012), and LPJ-GUESS (Smith et al.,
13 2014) models.

14 **2.2.3 PRO**

15 The PRO model determines BNF as a function of the daily modeled NPP. The model is based
16 on the estimates presented in Cleveland et al. (1999), and follows the qualitative observation
17 (Vitousek and Howarth, 1991) that the highest BNF rates are typically observed in high-
18 productivity ecosystems. Instantaneous BNF is calculated as a saturating function of NPP,
19 ensuring that the fixation rate does not increase strongly when NPP is high. This BNF
20 representation was previously used in the CLM (Thornton et al., 2007) and JSBACH (Goll et
21 al., 2012) models.

22 **2.2.4 NDT**

23 The NDT model considers BNF as a supplementary pathway to N uptake via roots, allowing
24 both uptake pathways to co-occur in time and space. BNF is assumed to be primarily driven
25 by the difference between the ability of plants to acquire N from the soil and their N demand
26 according to their C assimilation. Thus, BNF increases linearly with foliar C:N above a PFT-
27 specific value, related to the PFT-specific average observed foliar C:N. The energy cost
28 required for fixing N is assumed to be satisfied by the available labile C reserve, and is
29 assumed to follow an inverse bell-shaped function of daily temperature due to the kinetics of
30 the Nitrogenase enzyme (Houlton et al., 2008). Thereby, the assumption is made that in

1 environments colder (or warmer) than 25°C, more C needs to be invested into BNF (Fisher et
2 al., 2010). The costs of root N uptake are implicitly accounted for through root turnover,
3 leading to higher uptake costs for higher investment into uptake structures (i.e. roots) to attain
4 a given rate of BNF. BNF is thus limited by the N status of the plant and its C resources.

5 **2.2.5 NDS**

6 The NDS model is driven by plant N demand and follows the BNF representation in the
7 LM3V model (Gerber et al., 2010). The model up- and down-regulates BNF rates as a
8 function of the plants' N requirement and N status, as well as light-limitation outside the
9 tropics. From potential NPP, the amount of N required to support this growth is determined
10 according to the current plant tissue C:N and allocation fractions. The plant's N deficit is then
11 determined as the difference to the N available in the labile N pool, which contains the N
12 from root uptake. The plants' N status is taken into account to ensure that BNF increases when
13 plants are more N-limited, determined by the relationship between current leaf C:N and
14 prescribed maximum and minimum ratios.

15 **2.2.6 OPT**

16 The OPT model uses an optimality-based approach that follows the concept described by
17 Rastetter et al. (2001). In this model, BNF only occurs when the C cost of BNF, indicative of
18 energy (glucose) investment, is lower than the C cost of root N uptake. This cost of C
19 investment in root N uptake is evaluated as the potential plant C gain if a marginal amount of
20 C was allocated to leaves for photosynthesis, relative to the potential plant N gain if that same
21 marginal amount of C was allocated to increase fine root mass instead. This way, the C cost
22 of root N uptake is defined as the amount of C from photosynthesis the plant relinquishes in
23 favour of investment into root N uptake. If this cost is higher than the (fixed) C cost of BNF,
24 BNF occurs and is determined as a saturating function of root mass and the difference in C
25 cost between root N uptake and BNF. Notably, the occurrence and magnitude of BNF does
26 not feed back on the determination of plant root N uptake in this approach.

27 As described by Rastetter et al. (2001), BNF is favored in OPT when the environmental
28 conditions promote high photosynthetic efficiency, e.g. through high irradiation or elevated
29 atmospheric CO₂ concentrations, and increasing leaf mass is a worthwhile investment.
30 Furthermore, high plant root mass or low soil inorganic N availability will increase the C cost
31 of increasing root N uptake and consequently favor BNF. This approach has not been used in

1 a TBM thus far. However, a modified version that includes phosphorus dynamics (Wang et
2 al., 2007) was used to generate symbiotic BNF input for the CASA model (Wang et al.,
3 2010).

4 **2.2.7 Asymbiotic BNF**

5 Asymbiotic BNF was calculated for the fraction of the soil receiving light, thus declining with
6 increasing light interception by the vegetation. A maximum rate of $0.2 \text{ g N m}^{-2} \text{ yr}^{-1}$ was
7 assumed based on the data presented by Cleveland et al. (1999), which was modulated by soil
8 moisture availability and soil temperature to account for reduced biochemical activity in dry,
9 cold, or hot environments.

10 **2.3 Modeling protocol and experiment design**

11 All simulation experiments were repeated for each of the six BNF models described above.
12 The aim was to elucidate the effects of the alternative representations on estimates of present-
13 day BNF and its impact on terrestrial C and N cycles, as well as on projections of the
14 consequences of increasing atmospheric CO_2 concentrations, a key factor in decreasing N
15 availability over time.

16 Prior to all experiments, the O-CN soil and vegetation C and N pools were spun-up to
17 equilibrium for each BNF approach separately under representative pre-industrial forcing,
18 including pre-industrial atmospheric CO_2 concentrations (Etheridge et al., 1996; Sitch et al.,
19 2015), estimated 1860 atmospheric N deposition (Lamarque et al., 2010), estimated 1860
20 land-use from the HYDE database (Goldewijk et al., 2001), PFT distribution from the
21 SYNMAP dataset (Jung et al., 2006), estimated 1860 artificial N fertilizer application as
22 described in Zaehle et al. (2011), as well as climate data from randomly drawn years (1901–
23 1930) from the CRU-NCEP data set (N. Viovy, personal communication, 2014). From the
24 1860 state, we performed a transient simulation from 1860 to 2013 with time-varying climate,
25 N deposition, land-use, and fertilizer data, as well as observed changes in atmospheric CO_2
26 concentration (A; Fig. 2). We used this simulation to evaluate the differences in estimates of
27 the global C and N cycles under present-day conditions, as described in Sect. 3.1.

28 We then evaluated the effect of $e\text{CO}_2$ on terrestrial C and N fluxes for the different models by
29 comparing A to a simulation with a larger increase in atmospheric CO_2 concentrations (B;
30 Fig. 2), with the other forcings as in A (Sect. 3.2). To avoid a dependency of the simulations

1 on a specific future emission pathway under a particular scenario, we applied a monotonic
2 increase of atmospheric CO₂ from 1860 conditions (286 ppm) at a rate of 0.5% yr⁻¹, which
3 corresponds to an average growth rate of 2.1 ppm yr⁻¹, approximately comparable to the
4 currently observed growth rate of atmospheric CO₂, arriving at 600 ppm at the end of the
5 simulation. We also compared B to a simulation with CO₂ fixed at 1860 conditions (286 ppm,
6 C) to elucidate the cumulative effect of eCO₂ on the time evolution of key ecosystem fluxes
7 and stocks of C and N.

8 The BNF models likely have different sensitivities to different time-scales of eCO₂
9 perturbations, which subsequently could feed back on model predictions. Therefore, we
10 further evaluated the effect of time scale by adding a step-increase of CO₂ to the transient
11 simulation A. For this experiment (D), atmospheric CO₂ concentrations were increased
12 relative to A by 200 ppm for every year from 1996 (or simulation year 136) onwards. In other
13 words, we simulated a global Free Air CO₂ Enrichment (FACE) experiment, akin to actual
14 local scale FACE field experiments (McCarthy et al., 2010; Norby et al., 2010). While these
15 experiments are artificial in their step-increases of atmospheric CO₂ concentrations, they
16 provide clear insights into direct vegetation responses to eCO₂ (Zaehle et al., 2014). This
17 experiment enabled us to compare the simulated ecosystem responses to eCO₂ between the
18 gradual and step-increase eCO₂ experiments (B vs. C and D vs. A).

19

20 **3 Results**

21 **3.1 Ambient atmospheric CO₂ concentrations**

22 The model-median simulated global BNF rates (simulation A) for the 2000-2013 period (Fig.
23 3a) followed a distribution that was largely consistent with previous estimates (Cleveland et
24 al., 1999). BNF increased approximately along a latitudinal gradient from arctic and boreal
25 regions (characterized by low surface temperatures, low ET, and strong N limitation) to the
26 tropics (characterized by high temperatures, high humidity, and high N turnover). The
27 predicted total global BNF rates for 2000 ranged from 108 to 148 Tg N yr⁻¹, with a median of
28 128 Tg N yr⁻¹ (Table 2). The global rates of asymbiotic BNF were in the range of 1.4 - 1.6 Tg
29 N yr⁻¹, which, in dependence on the respective simulated symbiotic BNF, resulted in fractions
30 of asymbiotic BNF in total BNF between 1.0% (NDS) and 1.4% (OPT).

1 Notwithstanding, individual BNF models differed considerably in their predictions in many
2 regions (Fig. 3b). In Europe, the eastern US, East Asia, and extratropical South America, the
3 empirical models (AET, PRO) predicted higher BNF rates than the other approaches. In these
4 regions with wide-spread human activity, fertilizer application and atmospheric N deposition
5 caused high N availability for plants, which either directly reduced BNF (FOR, OPT), or over
6 time diminished the plants' N demand and thereby BNF (NDT, NDS). These mechanisms did
7 not apply in the empirical models. Another important model difference is the large
8 discrepancy in simulated BNF in northern Russia and Canada (Fig. 3b) that mainly stems
9 from very high BNF rates predicted by the N demand-based models (NDT, NDS). In both
10 approaches, strong N limitation in these regions increased BNF beyond plausible rates
11 (Cleveland et al., 1999), occasionally in excess of $3 \text{ g N m}^{-2} \text{ yr}^{-1}$ in the case of NDS (Fig. 4b).
12 The lack of temperature control on BNF in NDS resulted in notably higher predicted BNF
13 rates in the boreal zone than in NDT, which led to substantial alleviation of N limitation (Figs.
14 B5 - B8).

15 All models simulated the highest cumulative BNF rates for tropical forests and global
16 grasslands (Fig. 4). Yet, the variation in predicted tropical BNF rates was high. Low tropical
17 BNF in PRO was the result of the prescribed saturating function of BNF with NPP. In OPT,
18 tropical BNF was limited by shading under dense canopy and high soil N abundance. All
19 other models predicted higher tropical BNF rates, governed by ET (FOR, AET), high
20 temperatures (implying low costs of BNF combined with moderate N requirements (NDT)),
21 or high foliar biomass, to which potential BNF rates were scaled (NDS). Grasslands and
22 boreal forests contributed strongly to global BNF particularly for NDS, because this model
23 simulated a larger production in boreal and tundra vegetation than the other models, resulting
24 from the implicit feedback between BNF and leaf production (Fig. B2). As noted above, the
25 models disagreed on the amount of BNF from crop vegetation, with the empirical approaches
26 (that do not constrain BNF by the plants' N demand) suggesting the largest rates of
27 agricultural BNF (AET, PRO). For models, in which the plant N status was a determining
28 factor of BNF rates (NDT, NDS), N fertilization reduced the crop plants' N demand, resulting
29 in comparatively low BNF rates. Interestingly, although high soil N availability from
30 fertilization leads to lower BNF in the OPT model, it was not strongly reduced, suggesting
31 that N fertilizer application was not sufficient to lift N limitation in all regions of the world.

1 The model uncertainty in BNF did not cause large uncertainty in the predicted global gross
2 and net primary productivity (GPP and NPP; Table 2). Notably, the inclusion of respiration
3 costs of BNF in NDT, NDS, and OPT did not result in a significant reduction in C-use
4 efficiency, potentially because of the reduced severity of N limitation, which reduced excess
5 respiration. The spatial patterns of simulated rates of NPP were also very similar for large
6 parts of the terrestrial biosphere, despite the diverging rates of BNF (Figs. 3c and d). This
7 indicated that BNF did not strongly control N limitation throughout regions and other factors
8 such as light and temperature were also important controls on NPP. Notable exceptions were
9 regions of low production, such as arid and cold regions. The model divergence in NPP in
10 cold regions reflected that the models predicted a variable spread of vegetation growth in the
11 boreal zone. The lower bound of the production range was associated with AET, which
12 simulated very low rates of boreal BNF due to low boreal ET, causing N-limited vegetation
13 growth. On the other hand, the high boreal BNF rates predicted by NDS enabled vegetation
14 growth far into the strongly N-limited tundra regions. In most other regions, especially those
15 with high simulated NPP, the differences between models in BNF barely affected NPP.

16 The between-model difference in N input rates was, however, reflected in the other branches
17 of the N cycle (Table 2), notably the global terrestrial (including agriculture) gaseous N loss
18 and export of N to groundwater and rivers (subsumed as leaching). The model versions in
19 which BNF was dependent on the N demand of plants (NDT, NDS, OPT) had comparatively
20 low rates of N lost from the ecosystem, likely resulting from the synchronization of
21 ecosystem N input and plant N demand. The variation in N cycle openness (N loss per N
22 mineralization) was low (6% median relative deviation (MRD)). However, the ratio of N loss
23 to ecosystem N accumulation was notably lower in the N demand-based models (37% MRD),
24 because they predicted both relatively lower losses and relatively higher accumulation. The
25 uncertainty in the magnitude of contemporary emissions of the greenhouse gas N₂O (10 - 13
26 Tg N yr⁻¹, 14% MRD) was close to the uncertainty in BNF (108 - 148 Tg N yr⁻¹, 10% MRD).

27 **3.2 Ecosystem responses to eCO₂**

28 We next analyzed the effect of increasing N stress through CO₂ fertilization by comparing the
29 final 13 years of the simulations B and A (Fig. 5). For an average atmospheric CO₂
30 concentration difference of 211 ppm, the predicted total global BNF response to eCO₂ ranged
31 between a 4 Tg N yr⁻¹ reduction (AET) and an increase of 56 Tg N yr⁻¹ (NDS) (median
32 increase of 7 Tg N yr⁻¹), corresponding to -4 and 38 % (median 6%) of the average BNF rates

1 under ambient CO₂ (Fig. 3a), respectively. The median predicted responses of global BNF
2 rates to eCO₂ (Fig. 5a and b) indicated a substantial increase in N fixation in many regions. In
3 the N-demand based approaches, increased C availability increased global plant N demand,
4 having a strong relative effect in boreal and northern temperate regions that were already
5 strongly N limited (Figs. 5b and B3). The eCO₂ experiment also resulted in predicted global
6 NPP increases (Fig. 5c and d). The predictions ranged between 15 and 21 Pg C yr⁻¹ (median
7 17 Pg C yr⁻¹), with all models simulating the highest NPP increases in the tropics (Fig. B4).

8 The increase in BNF rates in responses to eCO₂ was by far strongest in the N-demand based
9 models (Fig. 6). The increased C fixation under eCO₂ temporarily increased the simulated
10 labile reserve of allocatable C, which in NDT was directly connected to predicted BNF rates.
11 In NDS, the increase in vegetation N demand outweighed light limitation as a determining
12 factor of BNF responses outside the tropics (Fig. 6a and b). The empirical approaches
13 predicted low (PRO) or negative (AET) global BNF responses (Figs. 6 and B3). The positive
14 effect in PRO was an indirect effect of CO₂ fertilization, whereas the negative effect in AET
15 was driven by the reduction of stomatal conductance in response to eCO₂. In OPT, eCO₂ led
16 to more efficient photosynthesis, which reduced C allocation to roots for N uptake and
17 thereby increased global BNF rates moderately.

18 The above variation between models in BNF response magnitudes did not translate into
19 strong disagreement in predicted NPP responses (Fig. 6), as BNF dynamics were not the sole
20 determinant of NPP responses to eCO₂. Despite the considerable spread of vegetation into the
21 boreal zone predicted by the N-demand based models, the largest disagreement was found in
22 the temperate zone (Figs. 6b and B4).

23 When comparing simulations B and C, the long-term responses to eCO₂ in BNF and NPP also
24 affected the global terrestrial C storage and gaseous N emissions (Fig. 7). After 154 years of
25 eCO₂ perturbation, the total global ecosystem N stock had increased within a range of 5.1 and
26 11.9 Pg N. These responses were in part shaped by additional BNF inputs between -0.2 and
27 11.4 Pg N. The additional ecosystem N supported a total ecosystem C sequestration between
28 419 and 528 Pg C (Fig. 7c), with the models that predicted high N accumulation per N loss
29 (NDT, NDS, OPT, see Table 2) also predicting high C sequestration. These ecosystem C
30 storage responses correspond to a range of C-concentration interactions in the sense of
31 Gregory et al. (2009) between 1.3 and 1.6 Pg C ppm⁻¹ CO₂, noting that the absolute numbers

1 derived from these studies are not comparable, because the increment of gradual CO₂ increase
2 was only half in our study compared to Gregory et al. (2009).

3 The choice of BNF model also had substantial effects on other quantities relevant for
4 biogeochemistry-climate effects, in particular the predicted responses of N₂O emissions to
5 eCO₂ (Fig. 7d). In the larger group of models suggesting moderate changes in global and
6 regional BNF, global N₂O emission rates were simulated to decrease with eCO₂. With
7 increased C availability, the plants' N demand for constructing new tissue increased as well,
8 depleting the soil N pools and leaving less N for denitrification. However, when the BNF
9 responses became larger over time in NDT and NDS, the BNF increase eventually caused
10 N₂O emission to rise, as larger amounts of N entered the system and became subject to
11 denitrification.

12 Comparing these long-term eCO₂ effects to the effects of a step-increase of atmospheric CO₂
13 concentrations (i.e. comparing simulations D and A) sheds further light on the temporal
14 behaviour of the different BNF models (markers in Fig. 7). The ranking of the BNF schemes
15 in terms of eCO₂ response magnitudes was similar between the short-term and long-term
16 experiments. The step-increase in atmospheric CO₂ led to short-term BNF responses that were
17 virtually identical to the long-term responses at comparable increases in atmospheric CO₂
18 concentrations (200 ppm; Fig. 7a). This indicates that the mechanisms shaping eCO₂
19 responses in the different BNF models were already effective in the short-term (less than 5
20 simulation years). Uncertainty in the short-term BNF response led to a range of global NPP
21 stimulation between 20 and 30% for the 200 ppm increase. However, the NPP responses in
22 the short-term experiments were systematically lower than in the scenario with gradually
23 increased atmospheric CO₂ (Fig. 7b), indicating the importance of ecosystem N accumulation
24 through enhanced BNF for determining the CO₂ response of plant production in the long-term
25 experiments. None of the models predicted a quick increase in N₂O emission, as this was a
26 soil N accumulation effect over time (Fig. 7d). However, the variability between BNF models
27 was already sizable and qualitatively similar to the long-term experiment, with the N-demand
28 based models resulting in the smallest decrease in N₂O emission in response to eCO₂.

29

30 **4 Discussion**

1 Given the large variation in approaches used to calculate BNF in this study, ranging from
2 empirical correlation to process-oriented models, our simulations resulted in surprisingly
3 similar estimates of BNF for the contemporary period over large parts of the terrestrial
4 biosphere, despite very notable regional differences. The predicted range of global present-
5 day BNF rates of 108-148 Tg N yr⁻¹ compared reasonably well with the conservative end of
6 the data-based estimates of 100-290 Tg N yr⁻¹ (Cleveland et al., 1999), which had been used
7 to inform the central estimate of 128 Tg N yr⁻¹ in Galloway et al. (2004). Furthermore, the
8 estimates compare well with the higher end of the more recent, inverse estimate of 40-100 Tg
9 N yr⁻¹ (Vitousek et al., 2013), referring to pre-industrial BNF.

10 One of the prominent regions for which simulated BNF was highly uncertain were high-
11 latitude ecosystems (Fig. 3). Open vegetation in these ecosystems contributed to very high
12 BNF in the NDS scheme in boreal forests and grasslands (Fig. 4b), which made this scheme
13 distinct from the others in this region. We also found a strong heterogeneity of predicted BNF
14 rates for tropical forests, with the OPT model simulating comparatively low BNF, comparable
15 only to the PRO scheme, which had low tropical BNF resulting from the saturating
16 relationship between NPP and BNF. The other models tended to simulate substantially higher
17 BNF, either because of high ET (AET), favorable growth conditions and sufficient C supply
18 (NDT), or high leaf area (NDS). It is challenging to judge the validity of any model based on
19 the comparison of our simulations to Cleveland's database, given the large uncertainty in the
20 BNF measurements themselves, and in particular in the scaling of plant-scale estimates to
21 ecosystem-scale estimates. Nonetheless, even allowing for a high uncertainty range in the
22 data, the large predicted values of the NDS scheme in the high latitudes appear unlikely.
23 Similarly, the lack of a response of the empirical schemes to N availability caused these
24 schemes to predict likely too high BNF in intensively fertilized croplands due to their
25 presumed static relationship between BNF and AET or NPP, respectively (AET, PRO; Figs. 3
26 and B1), entailing larger N losses simulated by these schemes in croplands. Finally, our
27 simulations suggest high-latitude and tropical ecosystems to be most important regions to
28 gather new data in order to reduce uncertainty in the current generation of BNF models.

29 In order to further elucidate the consequences of the alternative hypotheses about the control
30 of BNF in the current generation of global ecosystem models, and thus to test the suitability
31 of these models for modeling terrestrial biosphere dynamics, we analyzed the response of
32 BNF to a perturbation of the N limitation experienced by the vegetation through manipulation

1 of their C uptake. The consequences of variety in BNF representation was apparent in the
2 modeled global BNF responses to eCO₂ (Figs. 6 and 7a), which included slight decreases,
3 slight to moderate increases, and very large increases. Experimental field studies on BNF
4 under eCO₂ are rare and inconclusive, presumably owing to the regulatory impacts of
5 micronutrients and vegetation dynamics. Field experiments have found very large eCO₂
6 responses of BNF in fertilized grasslands (Hartwig et al., 2000; Lüscher et al., 2000), but also
7 moderate responses that declined and became negative over time in subtropical oak
8 woodlands (Hungate et al., 2004, 2014). Heterotrophic fixation was shown not to be affected
9 by eCO₂ at the Duke FACE experiment (Hofmockel and Schlesinger, 2007). This calls for
10 further long-term studies that estimate BNF responses to perturbation. The ecosystem-scale
11 controls on BNF are still poorly characterized, and promising hypotheses on the role of forest
12 succession and micronutrients (Vitousek and Howarth, 1991; Houlton et al., 2008) have
13 largely gone untested.

14 Given the current data availability, we have limited means of evaluating our global model
15 responses for their plausibility. The empirical BNF models FOR, AET, and PRO are based on
16 observed correlations, but they lack the inclusion of process understanding and may thereby
17 lead to counterintuitive model behaviour under perturbation scenarios (Wieder et al., 2015).
18 In particular, the coupling of BNF with NPP in the PRO scheme can lead to a positive
19 feedback between ecosystem N input and plant growth, which, although attenuated by the
20 saturating nature of the mathematical formulation, remains unsatisfying.

21 Attempting to incorporate process hypotheses rather than empirical relationships is expedient
22 and also led to lower N losses relative to ecosystem N accumulation in comparison with other
23 approaches (Table 2), which heuristically appears to be more plausible. Yet, the behaviour of
24 the plant N status-based models NDT and NDS was likely implausible in other aspects,
25 particularly the strong, quasi-instantaneous increase of BNF under the scenario of a step-
26 increase in atmospheric CO₂ (Fig. 7). Short-term BNF responses of such magnitude would
27 have likely been detected in local field experiments, which was not consistently the case (see
28 above). In their current state, NDT and NDS are very sensitive to instantaneous shifts in plant
29 N demand. It was suggested before that, without perturbation, the degree of modeled N
30 limitation is controlled by the magnitudes of BNF and N losses (Thomas et al., 2015). We did
31 not generally find that NDT and NDS predicted higher BNF than other approaches in regions
32 with high N losses. However, the large N inputs under eCO₂ resulted in large N losses

1 because more N was added from BNF than could be incorporated into biomass according to
2 vegetation C:N stoichiometry. Also, the fixed N that was used to satisfy the plants' N demand
3 eventually entered the soil through ecosystem turnover, where it became subjected to the N
4 loss pathways. Another key factor for the high BNF responses in NDT and NDS might be the
5 assumption that all types of vegetation are associated with BNF, thus N-demand based
6 schemes may benefit from more explicit distinction between N fixers and non-fixers in the
7 future.

8 The optimality-based BNF approach described by Rastetter et al. (2001) has thus far not been
9 applied in a TBM, although it was used to generate a static map of BNF inputs for the CASA
10 model (Wang et al., 2010). We have demonstrated here that this approach can be successfully
11 integrated into the dynamic calculations of a global model without any problems of stability
12 or increased computational demand. OPT predicted the lowest amount of global BNF for
13 2000 (108 Tg N yr⁻¹), which conformed with the recent trend in literature to postulate lower
14 tropical BNF rates than previously assumed (Sullivan et al., 2014). Optimality has been an
15 emerging perspective in vegetation modeling in recent years, in particular as a means to
16 model plant allocation responses to perturbations such as eCO₂ (Dybzinski et al., 2015). For
17 BNF, it appears indeed reasonable to assume plant BNF activity to be governed by energetic
18 constraints and optimal C investment, rather than a mass-balancing approach. However, one
19 might debate the validity of OPT, as it optimizes C investment into plant N acquisition within
20 the O-CN model that determined all other ecosystem fluxes based on traditional process
21 formulations. Still, OPT could be considered an early example of how optimality could be
22 adapted in TBMs and could be extended to other processes in future model generations. As it
23 stands, however, the lack of global observational constraints prevents a meaningful evaluation
24 of OPT.

25 Our modeling approach was limited in that it tested BNF formulations within the same O-CN
26 framework that were in part extracted from other TBMs. This entails possible biases in C-N
27 cycle processes other than BNF that are treated distinctly in O-CN. This includes the plant
28 allocation of assimilates, stoichiometric flexibility in plant tissues (Zaehle and Friend, 2010;
29 Meyerholt and Zaehle, 2015), as well as the inclusion of labile plant C and N pools, which are
30 instrumental in NDT, NDS, and OPT. In fact, the uncertainty between TBMs in representing
31 other N cycle processes may be comparable to the uncertainty in BNF representations (Zaehle
32 and Dalmonech, 2011). Nevertheless, we believe that our adoptions of the BNF approaches

1 are representative, as we used the original model parametrizations (Appendix). For instance,
2 the strong sensitivity of BNF to $e\text{CO}_2$ in NDS was also found for the LM3V model (Huang
3 and Gerber, 2015). The overarching principles that the BNF models follow were not changed,
4 and we trust that consequences of the predicted BNF rates on model functioning would give
5 similar qualitative results in a different framework. The consequences of different
6 parametrizations are fairly obvious for the FOR, AET, PRO, and NDT schemes, as BNF
7 scales directly with the respective parameters (a and b in Eq. A1; c and d in Eq. A2; c_{fix} in Eq.
8 A3 and j in Eq. A5). This is less obvious for the NDS and OPT schemes, in which the
9 parameters determine either the relationship between plant N status and N demand (NDS), or
10 the assumed Michaelis-Menten kinetics of BNF (OPT). These parameter effects can be
11 understood by conceptually considering the respective components of the NDS and OPT
12 schemes (Fig. B9).

13 The effect of the alternative BNF process representations was significant also for predictions
14 on other contemporary key N fluxes (Table 2, Fig. 7). In particular, we found a pronounced
15 effect of BNF variation on predicted gaseous N emission, including N_2O . This was not only
16 the case for the contemporary period: our results demonstrate a large divergence in the CO_2
17 response of global N_2O emissions, which, integrated over time, would notably affect
18 atmospheric N_2O concentrations. Notably, the N demand-based BNF models predicted BNF
19 increases high enough to result in an increase in N_2O emission after some decades of $e\text{CO}_2$.
20 This result is a direct consequence of the representation of N loss processes in O-CN, which
21 bases the magnitudes of loss fluxes on the size of the simulated soil inorganic N pool (Zaehle
22 and Friend, 2010). This approach is very common among TBMs (Zaehle and Dalmonech,
23 2011), but an alternative approach such as turnover-based N losses might lead to an
24 attenuated effect of BNF uncertainty on N_2O emission.

25 With local exceptions, uncertainty in BNF had a small effect on the estimated contemporary
26 global vegetation production (NPP) and C storage (Table 2). To first order, this can be
27 understood by the comparatively low contribution of BNF to annual N uptake in most
28 ecosystems: In O-CN, as in most other TBMs, BNF only makes up approximately 10% of
29 plant N acquisition, with the rest being satisfied by root N uptake (Table 2). Variation in BNF
30 will therefore only affect plant growth to a smaller degree. In the case of O-CN, the variable
31 C:N stoichiometry in organic tissues further implies that plant N gain does not directly entail
32 plant growth (assuming other factors non-limiting), e.g. because tissue N concentrations may

1 be increased to enable more efficient leaf photosynthesis. The small variation in
2 contemporary NPP is further explained by the fact that despite regional differences in N
3 limitation evidenced by moderate regional differences in foliar stoichiometry, on global
4 average, the simulated vegetation growth was not strongly N limited for any BNF approach
5 after model spin-up (1860). It was previously shown that the frequency distribution and
6 median of simulated leaf C:N ratios in O-CN roughly corresponds to observations (Fig. S5 in
7 Zaehle et al., 2010b). The simulated leaf C:N ratios were not close to the prescribed minimal
8 and maximal values (Table A2) and approximately similar between BNF approaches (average
9 global ratios between 30 (AET) and 33 (NDS, OPT)).

10 Unlike the small effect under contemporary conditions, the uncertainty in predicted BNF rates
11 under eCO₂ had a sizeable effect on the predicted NPP and C sequestration, resulting from the
12 differences in gradual ecosystem N accumulation (Fig. 7). The ecosystem N input from BNF
13 became a crucial factor under increased vegetation N stress, and resulted in a 20% variation of
14 the C sequestration per unit atmospheric CO₂ increase (the C-concentration interaction sensu
15 Gregory et al. (2009)). This magnitude of variation is similar to the difference in the C-
16 concentration interaction between entire C-N TBMs (c.f. Thornton et al., 2007; Zaehle et al.,
17 2010a), notwithstanding the limited comparability of the absolute interaction terms due to
18 heterogeneous experimental setups between our and the other studies. This finding underlines
19 previous suggestions that understanding global BNF is important to enable better constrained
20 global change predictions (Thomas et al., 2015).

21 Previous studies have already suggested the importance of future changes in BNF for
22 estimates of the capacity of the terrestrial biosphere to respond to CO₂ fertilization (Hungate
23 et al., 2003; Wang and Houlton, 2009). However, these studies were based on global or
24 hemispheric means, assigned a posteriori stoichiometric ratios to bulk terrestrial C stocks,
25 ignored important components of the terrestrial N cycle (such as N losses), any transient
26 dynamics, and - more fundamentally - did not account for any interactions of BNF with the C
27 and N cycles. While our results are consistent with these studies regarding the likely
28 magnitude of the global BNF flux uncertainty, and possible consequences for terrestrial C
29 stocks, our study offers a more in-depth insight into the importance of BNF, as it dynamically
30 and in a transient manner accounts for all the major feedback mechanisms associated with
31 changing BNF. Model-model and model-data intercomparison for contemporary and
32 perturbed simulations have allowed us to isolate regions with high or low confidence in the

1 predicted BNF trends, and to identify measurements required to reduce uncertainty. Finally,
2 we have been able to make a first assessment on the consequence of BNF uncertainty for
3 future predictions of N₂O emissions, which have been ignored by the studies mentioned
4 above.

5

6 **5 Conclusions**

7 We have shown that the current generation of TBMs uses BNF representations that lead to
8 variable ecosystem flux predictions in both ambient and eCO₂ scenarios. The consequences of
9 this variation extend beyond the prediction of BNF rates to predictions of other key properties
10 such as ecosystem C storage and N₂O emissions. Given that estimating the severity of N
11 constraints on C cycle responses to global change is a major challenge for TBMs, this process
12 uncertainty needs to be resolved to enable more reliable model predictions. However, in light
13 of the deficient process understanding and limited observational constraints, finding better
14 ways to capture the largest natural ecosystem input of N in models will be challenging. Future
15 work is needed to build and improve on current process-oriented representations. The most
16 likely avenues will presumably include appropriate TBM representations of plant community
17 structural dynamics and phosphorus cycling (Thomas et al., 2015; Wieder et al., 2015). These
18 undertakings will prove challenging in themselves: Most TBMs still rely on more or less
19 static PFT representations of vegetation, and the global phosphorus cycle is even more poorly
20 constrained by quantitative process understanding than the N cycle (Reed et al., 2015). While
21 such additions will add new sources of model variation, we suspect BNF to be an example
22 where appropriate N cycle process representation can benefit from the introduction of
23 additional model complexity. Further, we would advise to include the concept of optimality in
24 future BNF representations, as in our estimation, OPT has performed reasonably in the
25 analysis presented here. Not least, current BNF model representations treat asymbiotic BNF
26 negligently if at all. A more explicit inclusion of this pathway and its regulatory
27 characteristics is warranted by the important role it plays in several ecosystems (Cleveland et
28 al., 1999).

29 We contend that improving the representation of BNF in TBMs will be greatly aided by a
30 future emphasis on field experiments conducted under environmental perturbations, and will
31 likely require the inclusion of additional ecological and nutritional constraints.

1

2 **Appendix A: BNF model description**

3 This text gives full details about the different biological nitrogen (N) fixation (BNF) schemes
4 applied in the O-CN model, as presented in Sect. 2.2. A full list of variables, parameters, and
5 units can be found in Table A1.

6

7 AET (Sect. 2.2.2)

$$8 \quad BNF = a * ET + b \quad , \quad (A1)$$

9 with slope a and intercept b and actual evapotranspiration ET (mm yr⁻¹).

10

11 PRO (Sect. 2.2.3)

$$12 \quad BNF = c * (1 - e^{d*NPP}) \quad , \quad (A2)$$

13 with the heuristically derived coefficients c and d and net primary productivity NPP (g C m⁻²
14 yr⁻¹).

15

16 NDT (Sect. 2.2.4)

17 The BNF rate is a function of the carbon (C) available for energy investment into BNF (C_{inv}),
18 the temperature function tf , and a prescribed BNF C investment cost per unit N fixed (c_{fix}):

$$19 \quad BNF = C_{inv} / \left(\frac{c_{fix}}{tf} \right) \quad . \quad (A3)$$

20 The function tf scales with surface temperature and was adapted from Houlton et al. (2008):

$$21 \quad tf = f * e^{g+h*T*(1-\frac{T}{i})} \quad , \quad (A4)$$

22 where T is the surface temperature in °C. The C available for energy investment into BNF
23 (C_{inv}) is defined as a fraction of the plants' labile C reserve (C_{labile}) and modified by two

1 additional functions that represent temperature-scaling (ξ) and the dependence on the plants'
 2 N concentration (η):

$$3 \quad C_{inv} = j * C_{labile} * \xi * \eta \quad , \quad (A5)$$

4 where j is the fraction of C_{labile} available for investment into BNF (as C_{labile} also contains the
 5 assimilated C available for allocation to plant growth). The ξ function sets C_{inv} to zero at
 6 extreme temperatures:

$$7 \quad \xi = \max\left(1 - \frac{0.1}{tf}, 0\right) \quad . \quad (A6)$$

8 The η function scales C_{inv} with the plants' N status, represented by their leaf C:N ratios:

$$9 \quad \eta = \max\left(\frac{CN_{Leaf,min}}{CN_{Leaf}} - \frac{CN_{Leaf,min}}{CN_{Leaf,act}}, 0\right) \quad , \quad (A7)$$

10 where $CN_{Leaf,min}$ is the prescribed minimum leaf C:N ratio, CN_{Leaf} is a prescribed average C:N
 11 ratio specific to the respective plant functional type (PFT), and $CN_{Leaf,act}$ is the actual
 12 instantaneous leaf C:N ratio. When $CN_{Leaf,act}$ is lower or equal to CN_{Leaf} , η is zero. Thus BNF
 13 only occurs when the leaf N concentrations are below the prescribed optimum.

14

15 NDS (Sect. 2.2.5)

$$16 \quad BNF = BNF_L * C_{Leaf} \quad , \quad (A8)$$

17 where C_{Leaf} is the leaf C pool size and BNF_L is the BNF rate per unit leaf C, described in
 18 differential form:

$$19 \quad \frac{\partial BNF_L}{\partial t} = \lambda * \psi - \sigma * BNF_L \quad , \quad (A9)$$

20 where σ is the PFT-specific time scale associated with the down-regulation of BNF, ψ is the
 21 plants' N demand per unit leaf C, and λ is the characteristic time scale of BNF up-regulation,
 22 based on the PFT-specific time scale λ_0 . For tropical plants, $\lambda = \lambda_0$. For all other PFTs, the up-
 23 regulation of BNF is light-driven and influenced by leaf shading:

$$24 \quad \lambda = \lambda_0 * e^{-0.5 * SLA * C_{Leaf}} \quad , \quad (A10)$$

1 where SLA is the specific leaf area. The establishment of BNF is controlled by the plants'
 2 local N demand ψ per unit leaf C, which in turn is determined by the plant N deficit (D) and a
 3 function (κ) that scales the advantageousness of BNF with the plants' N status:

$$4 \quad \psi = \frac{D * \kappa}{C_{Leaf}} \quad . \quad (A11)$$

5 We define D as the difference between the N that is required to build new biomass from
 6 newly acquired C and the N that is available to the plant for allocation to new biomass:

$$7 \quad D = NPP_{pot} * \frac{f_{cost}}{CN_{Leaf}} - N_{avail} \quad , \quad (A12)$$

8 where NPP_{pot} is the allocatable C after respiration costs are satisfied, f_{cost} is a dimensionless
 9 scaling factor that accounts for the allocation of N to plant organs with different N
 10 concentrations, CN_{Leaf} is a prescribed leaf C:N ratio as an approximation to the target C:N
 11 ratio of newly grown biomass, and N_{avail} is the N available to the plant for new growth,
 12 defined as 0.9 times the size of the plant's labile N reserve. κ is a function representing the
 13 hypothesis that BNF is more opportune if the plant's growth is more severely N limited,
 14 indicated by the plant N status (x):

$$15 \quad \kappa = \varphi * \frac{e^{-\varphi * x}}{1 - e^{-\varphi}} \quad , \quad (A13)$$

16 with the parameter φ . We define the plant's N status x by comparing its actual leaf C:N ratio
 17 to the prescribed minimum and maximum values:

$$18 \quad x = 1 - \frac{1/CN_{Leaf,min}^{-1} - 1/CN_{Leaf,act}}{1/CN_{Leaf,min}^{-1} - 1/CN_{Leaf,max}} \quad . \quad (A14)$$

19 $CN_{Leaf,min}$ and $CN_{Leaf,max}$ are the PFT-specific minimum and maximum leaf C:N ratios
 20 attainable in O-CN, and $CN_{Leaf,act}$ is the actual instantaneous leaf C:N ratio. As the plant's
 21 actual leaf C:N ratio increases from $CN_{Leaf,min}$ to $CN_{Leaf,max}$, its N status decreases from 1 to 0.

22

23 OPT (Sect. 2.2.6)

1 To determine the instantaneous C gain per unit leaf area (k), we consider the relationship of
 2 gross primary productivity (GPP) and the fraction of absorbed photosynthetically active
 3 radiation, which depends on the specific leaf area and leaf mass:

$$4 \quad k = \frac{GPP}{1 - e^{-0.5 * SLA * C_{Leaf}}} \quad . \quad (A15)$$

5 We then derive the marginal C gain with C investment into leaves, gc , from the difference in
 6 k when an infinitesimal amount of leaf C (δC) is added to the vegetation:

$$7 \quad gc = k * (e^{-0.5 * SLA * C_{Leaf}} - e^{-0.5 * SLA * (C_{Leaf} + \delta C)}) \quad . \quad (A16)$$

8 In O-CN, the increase in root N uptake (N_{up}) with a small increase in root C (C_{Root}) is linear,
 9 therefore we approximate the marginal increase of N_{up} with C investment into fine roots, gn ,
 10 as the instantaneous C_{Root} -specific N uptake:

$$11 \quad gn = \frac{N_{up}}{C_{Root}} \quad , \quad (A17)$$

12 We then evaluate the C cost of N uptake (r_{Nup}) as:

$$13 \quad r_{Nup} = \frac{gc}{gn} \quad . \quad (A18)$$

14 If r_{Nup} is larger than the C cost of BNF (r_{Fix} , assumed constant), BNF is calculated as a
 15 saturating function of $(r_{Nup} - r_{Fix})$ and root mass:

$$16 \quad BNF = C_{Root} * v_{max,Fix} * \frac{(r_{Nup} - r_{Fix})}{k_{Fix} + (r_{Nup} - r_{Fix})} \quad , \quad (A19)$$

17 where $v_{max,Fix}$ is a maximum BNF rate and k_{Fix} is a half-saturation constant. In case the C cost
 18 of BNF is higher than the cost of root N uptake, no symbiotic BNF occurs.

19

20 Asymbiotic BNF (Sect. 2.2.7)

21 The asymbiotic BNF rate scales with the same temperature function applied in the NDT
 22 approach, but rather than the surface temperature, the function ts involves the soil temperature
 23 T_s :

$$24 \quad ts = m * e^{n + o * T_s * (1 - \frac{T_s}{p})} \quad . \quad (A20)$$

1 Asymbiotic BNF is only calculated for the fraction of the soil surface receiving solar energy.
2 We consider light limitation by applying the simple shading function vf , causing BNF to
3 converge towards zero with canopy closure:

$$4 \quad vf = e^{(-0.5*SLA*C_{Leaf})} \quad , \quad (A21)$$

5 where SLA is the specific leaf area of the respective PFT and C_{Leaf} is the leaf C pool size.
6 Also, the limiting effect of drought conditions on heterotrophic BNF is taken into account by
7 including the soil moisture function Φ :

$$8 \quad \Phi = \frac{\sigma}{z*\sigma_{max}} \quad , \quad (A22)$$

9 where σ is the current amount of water stored in the soil, z is the total depth of the soil
10 reservoir, and σ_{max} is the amount of water stored in a water saturated soil column. The
11 asymbiotic BNF rate is then obtained as:

$$12 \quad BNF_a = BNF_{a,max} * ts * vf * \Phi \quad , \quad (A23)$$

13 where $BNF_{a,max}$ is the maximum asymbiotic BNF rate [Cleveland *et al.*, 1999].

14

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21 **References:**

22 Arora, V. K., Boer, G. J., Friedlingstein, P., Eby, M., Jones, C. D., Christian, J. R., Bonan, G.,
23 Bopp, L., Brovkin, V., Cadule, P., Hajima, T., Ilyina, T., Lindsay, K., Tjiputra, J. F., and Wu,
24 T.: Carbon–Concentration and Carbon–Climate Feedbacks in CMIP5 Earth System Models,
25 *Journal of Climate*, 26, 5289-5314, doi: 10.1175/jcli-d-12-00494.1, 2013.

26

1 Beer, C., Reichstein, M., Tomelleri, E., Ciais, P., Jung, M., Carvalhais, N., Rödenbeck, C.,
2 Altaf Arain, M., Baldocchi, D., Bonan, G. B., Bondeau, A., Cescatti, A., Lasslop, G.,
3 Lindroth, A., Lomas, M., Luyssaert, S., Margolis, H., Oleson, K. W., Rouspard, O.,
4 Veenendaal, E., Viovy, N., Williams, C., Woodward, F. I., and Papale, D.: Terrestrial gross
5 carbon dioxide uptake: Global distribution and covariation with climate, *Science*, 329, 834-
6 838, doi: 10.1126/science.1184984, 2010.

7

8 Bonan, G. B.: Forests and climate change: forcings, feedbacks, and the climate benefits of
9 forests, *Science*, 320, 1444-1449, doi: 10.1126/science.1155121, 2008.

10

11 Boyer, E. W., Howarth, R. W., Galloway, J. N., Dentener, F. J., Green, P. A., and
12 Vörösmarty, C. J.: Riverine nitrogen export from the continents to the coasts, *Global*
13 *Biogeochemical Cycles*, 20, GB1S91, doi: 10.1029/2005gb002537, 2006.

14

15 Ciais, P., Sabine, C., Bala, G., Bopp, L., Brovkin, V., Canadell, J., Chhabra, A., DeFries, R.,
16 Galloway, J., Heimann, M., Jones, C., Le Quéré, C., Myneni, R. B., Piao, S., and Thornton,
17 P.: Carbon and Other Biogeochemical Cycles, in: *Climate Change 2013: The Physical*
18 *Science Basis. Contribution of Working Group I to the Fifth Assessment Report of the*
19 *Intergovernmental Panel on Climate Change*, edited by: Stocker, T. F., Qin, D., Plattner, G.-
20 K., Tignor, M., Allen, S. K., Boschung, J., Nauels, A., Xia, Y., Bex, V., and Midgley, P. M.,
21 Cambridge University Press, Cambridge, United Kingdom and New York, NY, USA, 465–
22 570, 2013.

23

24 Cleveland, C. C., Townsend, A. R., Schimel, D. S., Fisher, H., Howarth, R. W., Hedin, L. O.,
25 Perakis, S. S., Latty, E. F., Von Fischer, J. C., Elseroad, A., and Wasson, M. F.: Global
26 patterns of terrestrial biological nitrogen (N₂) fixation in natural ecosystems, *Global*
27 *Biogeochemical Cycles*, 13, 623-645, doi: 10.1029/1999gb900014, 1999.

28

29 Dentener, F., Drevet, J., Lamarque, J. F., Bey, I., Eickhout, B., Fiore, A. M., Hauglustaine, D.,
30 Horowitz, L. W., Krol, M., Kulshrestha, U. C., Lawrence, M., Galy-Lacaux, C., Rast, S.,
31 Shindell, D., Stevenson, D., Van Noije, T., Atherton, C., Bell, N., Bergman, D., Butler, T.,
32 Cofala, J., Collins, B., Doherty, R., Ellingsen, K., Galloway, J., Gauss, M., Montanaro, V.,
33 Müller, J. F., Pitari, G., Rodriguez, J., Sanderson, M., Solmon, F., Strahan, S., Schultz, M.,

1 Sudo, K., Szopa, S., and Wild, O.: Nitrogen and sulfur deposition on regional and global
2 scales: A multimodel evaluation, *Global Biogeochemical Cycles*, 20, GB4003, doi:
3 10.1029/2005gb002672, 2006.

4

5 Dufresne, J. L., Foujols, M. A., Denvil, S., Caubel, A., Marti, O., Aumont, O., Balkanski, Y.,
6 Bekki, S., Bellenger, H., Benschila, R., Bony, S., Bopp, L., Braconnot, P., Brockmann, P.,
7 Cadule, P., Cheruy, F., Codron, F., Cozic, A., Cugnet, D., Noblet, N., Duvel, J. P., Ethé, C.,
8 Fairhead, L., Fichefet, T., Flavoni, S., Friedlingstein, P., Grandpeix, J. Y., Guez, L.,
9 Guilyardi, E., Hauglustaine, D., Hourdin, F., Idelkadi, A., Ghattas, J., Jousaume, S.,
10 Kageyama, M., Krinner, G., Labetoulle, S., Lahellec, A., Lefebvre, M. P., Lefevre, F., Levy,
11 C., Li, Z. X., Lloyd, J., Lott, F., Madec, G., Mancip, M., Marchand, M., Masson, S.,
12 Meurdesoif, Y., Mignot, J., Musat, I., Parouty, S., Polcher, J., Rio, C., Schulz, M.,
13 Swingedouw, D., Szopa, S., Talandier, C., Terray, P., Viovy, N., and Vuichard, N.: Climate
14 change projections using the IPSL-CM5 Earth System Model: from CMIP3 to CMIP5,
15 *Climate Dynamics*, 40, 2123-2165, doi: 10.1007/s00382-012-1636-1, 2013.

16

17 Dybzinski, R., Farnier, C. E., and Pacala, S. W.: Increased forest carbon storage with
18 increased atmospheric CO₂ despite nitrogen limitation: a game-theoretic allocation model for
19 trees in competition for nitrogen and light, *Glob Chang Biol*, 21, 1182-1196, doi:
20 10.1111/gcb.12783, 2015.

21

22 Elbert, W., Weber, B., Burrows, S., Steinkamp, J., Büdel, B., Andreae, M. O., and Pöschl, U.:
23 Contribution of cryptogamic covers to the global cycles of carbon and nitrogen, *Nature*
24 *Geoscience*, 5, 459-462, doi: 10.1038/ngeo148610.1038/NGEO1486, 2012.

25

26 Etheridge, D. M., Steele, L. P., Langenfelds, R. L., Francey, R. J., Barnola, J. M., and
27 Morgan, V. I.: Natural and anthropogenic changes in atmospheric CO₂ over the last 1000
28 years from air in Antarctic ice and firn, *Journal of Geophysical Research*, 101, 4115, doi:
29 10.1029/95jd03410, 1996.

30

31 Fisher, J. B., Sitch, S., Malhi, Y., Fisher, R. A., Huntingford, C., and Tan, S. Y.: Carbon cost
32 of plant nitrogen acquisition: A mechanistic, globally applicable model of plant nitrogen

1 uptake, retranslocation, and fixation, *Global Biogeochemical Cycles*, 24, GB1014, doi:
2 10.1029/2009gb003621, 2010.

3

4 Franklin, O., Nasholm, T., Hogberg, P., and Hogberg, M. N.: Forests trapped in nitrogen
5 limitation--an ecological market perspective on ectomycorrhizal symbiosis, *New Phytol.*, 203,
6 657-666, doi: 10.1111/nph.12840, 2014.

7

8 Friedlingstein, P., Cox, P., Betts, R., Bopp, L., Von Bloh, W., Brovkin, V., Cadule, P., Doney,
9 S., Eby, M., Fung, I., Bala, G., John, J., Jones, C., Joos, F., Kato, T., Kawamiya, M., Knorr,
10 W., Lindsay, K., Matthews, H. D., Raddatz, T., Rayner, P., Reick, C., Roeckner, E.,
11 Schnitzler, K.-G., Schnur, R., Strassmann, K., Weaver, A. J., Yoshikawa, C., and Zeng, N.:
12 Climate-Carbon Cycle Feedback Analysis: Results from the C⁴MIP Model Intercomparison,
13 *Journal of Climate*, 19, 3337-3353, doi: 10.1175/JCLI3800.1, 2006.

14

15 Galloway, J. N., Dentener, F. J., Capone, D. G., Boyer, E. W., Howarth, R. W., Seitzinger, S.
16 P., Asner, G. P., Cleveland, C. C., Green, P. A., Holland, E. A., Karl, D. M., Michaels, A. F.,
17 Porter, J. H., Townsend, A. R., and Vöosmarty, C. J.: Nitrogen Cycles: Past, Present, and
18 Future, *Biogeochemistry*, 70, 153-226, doi: 10.1007/s10533-004-0370-0, 2004.

19 Gerber, S., Hedin, L. O., Oppenheimer, M., Pacala, S. W., and Shevliakova, E.: Nitrogen
20 cycling and feedbacks in a global dynamic land model, *Global Biogeochemical Cycles*, 24,
21 GB1001, doi: 10.1029/2008gb003336, 2010.

22

23 Goldewijk, K. K.: Estimating global land use change over the past 300 years: The HYDE
24 Database, *Global Biogeochemical Cycles*, 15, 417-433, doi: 10.1029/1999gb001232, 2001.

25

26 Goll, D. S., Brovkin, V., Parida, B. R., Reick, C. H., Kattge, J., Reich, P. B., van Bodegom, P.
27 M., and Niinemets, Ü.: Nutrient limitation reduces land carbon uptake in simulations with a
28 model of combined carbon, nitrogen and phosphorus cycling, *Biogeosciences*, 9, 3547-3569,
29 doi: 10.5194/bg-9-3547-2012, 2012.

30

31 Gregory, J. M., Jones, C. D., Cadule, P., and Friedlingstein, P.: Quantifying Carbon Cycle
32 Feedbacks, *Journal of Climate*, 22, 5232-5250, doi: 10.1175/2009jcli2949.1, 2009.

33

1 Gruber, N., and Galloway, J. N.: An Earth-system perspective of the global nitrogen cycle,
2 Nature, 451, 293-296, doi: 10.1038/nature06592, 2008.
3
4 Hartwig, U. A., Lüscher, A., Daepf, M., Blum, H., Soussana, J.-F., and Nösberger, J.: Due to
5 symbiotic N₂ fixation, five years of elevated atmospheric pCO₂ had no effect on the N
6 concentration of plant litter in fertile, mixed grassland, Plant Soil, 224, 43-50, doi:
7 10.1023/A:1004601915836, 2000.
8
9 Hofmockel, K. S., and Schlesinger, W. H.: Carbon Dioxide Effects on Heterotrophic
10 Dinitrogen Fixation in a Temperate Pine Forest, Soil Sci. Soc. Am. J., 71, 140-144, doi:
11 10.2136/sssaj2006.110, 2007.
12
13 Houlton, B. Z., Wang, Y. P., Vitousek, P. M., and Field, C. B.: A unifying framework for
14 dinitrogen fixation in the terrestrial biosphere, Nature, 454, 327-330, doi:
15 10.1038/nature07028, 2008.
16
17 Huang, Y., and Gerber, S.: Global soil nitrous oxide emissions in a dynamic carbon–nitrogen
18 model, Biogeosciences, 12, 6405-6427, doi: 10.5194/bg-12-6405-2015, 2015.
19
20 Hungate, B., Dukes, J. S., Shaw, M. R., Luo, Y. Q., and Field, C. B.: Nitrogen and Climate
21 Change, Science, 302, 1512-1513, doi: 10.1126/science.1091390, 2003.
22
23 Hungate, B. A., Stiling, P. D., Dijkstra, P., Johnson, D. W., Ketterer, M. E., Hymus, G. J.,
24 Hinkle, C. R., and Drake, B. G.: CO₂ Elicits Long-Term Decline in Nitrogen Fixation,
25 Science, 304, 1291, doi: 10.1126/science.1095549, 2004.
26
27 Hungate, B. A., Duval, B. D., Dijkstra, P., Johnson, D. W., Ketterer, M. E., Stiling, P., Cheng,
28 W., Millman, J., Hartley, A., and Stover, D. B.: Nitrogen inputs and losses in response to
29 chronic CO₂ exposure in a subtropical oak woodland, Biogeosciences, 11, 3323-3337, doi:
30 10.5194/bg-11-3323-2014, 2014.
31

1 Jung, M., Henkel, K., Herold, M., and Churkina, G.: Exploiting synergies of global land cover
2 products for carbon cycle modeling, *Remote Sens. Environ.*, 101, 534-553, doi:
3 10.1016/j.rse.2006.01.020, 2006.
4

5 Krinner, G., Viovy, N., de Noblet-Ducoudré, N., Ogée, J., Polcher, J., Friedlingstein, P.,
6 Ciais, P., Sitch, S., and Prentice, I. C.: A dynamic global vegetation model for studies of the
7 coupled atmosphere-biosphere system, *Global Biogeochemical Cycles*, 19, GB1015, doi:
8 10.1029/2003gb002199, 2005.
9

10 Lamarque, J. F., Bond, T. C., Eyring, V., Granier, C., Heil, A., Klimont, Z., Lee, D., Liousse,
11 C., Mieville, A., Owen, B., Schultz, M. G., Shindell, D., Smith, S. J., Stehfest, E., Van
12 Aardenne, J., Cooper, O. R., Kainuma, M., Mahowald, N., McConnell, J. R., Naik, V., Riahi,
13 K., and van Vuuren, D. P.: Historical (1850–2000) gridded anthropogenic and biomass
14 burning emissions of reactive gases and aerosols: methodology and application, *Atmospheric
15 Chemistry and Physics*, 10, 7017-7039, doi: 10.5194/acp-10-7017-2010, 2010.
16

17 Li, C., Aber, J., Stange, F., Butterbach-Bahl, K., and Papen, H.: A process-oriented model of
18 N₂O and NO emissions from forest soils: 1. Model development, *Journal of Geophysical
19 Research*, 105, 4369-4384, doi: 10.1029/1999jd900949, 2000.
20

21 Lüscher, A., Hartwig, U. A., Suter, D., and Nösberger, J.: Direct evidence that symbiotic N₂
22 fixation in fertile grassland is an important trait for a strong response of plants to elevated
23 atmospheric CO₂, *Global Change Biology*, 6, 655-662, doi: 10.1046/j.1365-
24 2486.2000.00345.x, 2000.
25

26 McCarthy, H. R., Oren, R., Johnsen, K. H., Gallet-Budynek, A., Pritchard, S. G., Cook, C.
27 W., Ladeau, S. L., Jackson, R. B., and Finzi, A. C.: Re-assessment of plant carbon dynamics
28 at the Duke free-air CO₂ enrichment site: interactions of atmospheric [CO₂] with nitrogen and
29 water availability over stand development, *New Phytol.*, 185, 514-528, doi: 10.1111/j.1469-
30 8137.2009.03078.x, 2010.
31

1 Meyerholt, J., and Zaehle, S.: The role of stoichiometric flexibility in modelling forest
2 ecosystem responses to nitrogen fertilization, *New Phytol.*, 208, 1042-1055, doi:
3 10.1111/nph.13547, 2015.
4

5 Mitchell, T. D., and Jones, P. D.: An improved method of constructing a database of monthly
6 climate observations and associated high-resolution grids, *International Journal of*
7 *Climatology*, 25, 693-712, doi: 10.1002/joc.1181, 2005.
8

9 Moss, R. H., Edmonds, J. A., Hibbard, K. A., Manning, M. R., Rose, S. K., van Vuuren, D.
10 P., Carter, T. R., Emori, S., Kainuma, M., Kram, T., Meehl, G. A., Mitchell, J. F.,
11 Nakicenovic, N., Riahi, K., Smith, S. J., Stouffer, R. J., Thomson, A. M., Weyant, J. P., and
12 Wilbanks, T. J.: The next generation of scenarios for climate change research and assessment,
13 *Nature*, 463, 747-756, doi: 10.1038/nature08823, 2010.
14

15 Norby, R. J., Warren, J. M., Iversen, C. M., Medlyn, B. E., and McMurtrie, R. E.: CO₂
16 enhancement of forest productivity constrained by limited nitrogen availability, *Proc. Natl.*
17 *Acad. Sci. USA*, 107, 19368-19373, doi: 10.1073/pnas.1006463107, 2010.
18

19 Olivier, J. G. J., Bouwman, A. F., Van der Hoek, K. W., and Berdowski, J. J. M.: Global air
20 emission inventories for anthropogenic sources of NO_x, NH₃ and N₂O in 1990, *Environ.*
21 *Pollut.*, 102, 135-148, doi: 10.1016/S0269-7491(98)80026-2, 1998.
22

23 Parton, W. J., Scurlock, J. M. O., Ojima, D. S., Gilmanov, T. G., Scholes, R. J., Schimel, D.
24 S., Kirchner, T., Menaut, J. C., Seastedt, T., Garcia Moya, E., Kamnalrut, A., and
25 Kinyamario, J. I.: Observations and modeling of biomass and soil organic matter dynamics
26 for the grassland biome worldwide, *Global Biogeochemical Cycles*, 7, 785-809, doi:
27 10.1029/93gb02042, 1993.
28

29 Postgate, J. R.: Biological Nitrogen Fixation, *Nature*, 226, 25-27, doi: 10.1038/226025a0,
30 1970.
31

1 Prentice, I. C., Sykes, M. T., and Cramer, W.: A simulation model for the transient effects of
2 climate change on forest landscapes, *Ecol. Model.*, 65, 51-70, doi: 10.1016/0304-
3 3800(93)90126-D, 1993.
4
5 Rastetter, E. B., Vitousek, P. M., Field, C., Shaver, G. R., Herbert, D., and Agren, G. I.:
6 Resource Optimization and Symbiotic Nitrogen Fixation, *Ecosystems*, 4, 369-388, doi:
7 10.1007/s10021-001-0018-z, 2001.
8
9 Reed, S. C., Yang, X., and Thornton, P. E.: Incorporating phosphorus cycling into global
10 modeling efforts: a worthwhile, tractable endeavor, *New Phytol.*, 208, 324-329, doi:
11 10.1111/nph.13521, 2015.
12
13 Saugier, B., and J. Roy: Estimations of global terrestrial productivity: Converging towards a
14 single number?, in: *Global Terrestrial Productivity: Past, Present and Future*, edited by H.
15 Mooney, J. Roy, and B. Saugier, Academic, San Diego, Calif, 2001.
16
17 Schimel, D. S., Braswell, B. H., McKeown, R., Ojima, D. S., Parton, W. J., and Pulliam, W.:
18 Climate and nitrogen controls on the geography and timescales of terrestrial biogeochemical
19 cycling, *Global Biogeochemical Cycles*, 10, 677-692, doi: 10.1029/96gb01524, 1996.
20
21 Sitch, S., Friedlingstein, P., Gruber, N., Jones, S. D., Murray-Tortarolo, G., Ahlström, A.,
22 Doney, S. C., Graven, H., Heinze, C., Huntingford, C., Levis, S., Levy, P. E., Lomas, M.,
23 Poulter, B., Viovy, N., Zaehle, S., Zeng, N., Arneth, A., Bonan, G., Bopp, L., Canadell, J. G.,
24 Chevallier, F., Ciais, P., Ellis, R., Gloor, M., Peylin, P., Piao, S. L., Le Quéré, C., Smith, B.,
25 Zhu, Z., and Myneni, R.: Recent trends and drivers of regional sources and sinks of carbon
26 dioxide, *Biogeosciences*, 12, 653-679, doi: 10.5194/bg-12-653-2015, 2015.
27
28 Smith, B., Wårlind, D., Arneth, A., Hickler, T., Leadley, P., Siltberg, J., and Zaehle, S.:
29 Implications of incorporating N cycling and N limitations on primary production in an
30 individual-based dynamic vegetation model, *Biogeosciences*, 11, 2027-2054, doi: 10.5194/bg-
31 11-2027-2014, 2014.
32

1 Smith, M. J., Purves, D. W., Vanderwel, M. C., Lyutsarev, V., and Emmott, S.: The climate
2 dependence of the terrestrial carbon cycle, including parameter and structural uncertainties,
3 *Biogeosciences*, 10, 583-606, doi: 10.5194/bg-10-583-2013, 2013.

4

5 Stocker, B. D., Roth, R., Joos, F., Spahni, R., Steinacher, M., Zaehle, S., Bouwman, L., Xu,
6 R. I., and Prentice, I. C.: Multiple greenhouse-gas feedbacks from the land biosphere under
7 future climate change scenarios, *Nature Climate Change*, 3, 666-672, doi:
8 10.1038/nclimate1864, 2013.

9

10 Sullivan, B. W., Smith, W. K., Townsend, A. R., Nasto, M. K., Reed, S. C., Chazdon, R. L.,
11 and Cleveland, C. C.: Spatially robust estimates of biological nitrogen (N) fixation imply
12 substantial human alteration of the tropical N cycle, *Proc. Natl. Acad. Sci. USA*, 111, 8101-
13 8106, doi: 10.1073/pnas.1320646111, 2014.

14

15 Thomas, R. Q., Brookshire, E. N., and Gerber, S.: Nitrogen limitation on land: how can it
16 occur in Earth system models?, *Global Change Biology* 21, 1777-1893, doi:
17 10.1111/gcb.12813, 2015.

18

19 Thornton, P. E., Lamarque, J.-F., Rosenbloom, N. A., and Mahowald, N. M.: Influence of
20 carbon-nitrogen cycle coupling on land model response to CO₂ fertilization and climate
21 variability, *Global Biogeochemical Cycles*, 21, GB4018, doi: 10.1029/2006gb002868, 2007.

22

23 Vitousek, P. M., and Howarth, R. W.: Nitrogen limitation on land and in the sea: How can it
24 occur?, *Biogeochemistry*, 13, 87-115, doi: 10.1007/bf00002772, 1991.

25

26 Vitousek, P. M., and Field, C. B.: Ecosystem constraints to symbiotic nitrogen fixers: a
27 simple model and its implications, *Biogeochemistry*, 46, 179-202, doi: 10.1007/BF01007579,
28 1999.

29

30 Vitousek, P. M., Cassman, K., Cleveland, C., Crews, T., Field, C. B., Grimm, N. B.,
31 Howarth, R. W., Marino, R., Martinelli, L., Rastetter, E. B., and Spret, J. I.: Towards an
32 ecological understanding of biological nitrogen fixation, *Biogeochemistry*, 57/58, 1-45, doi:
33 10.1023/A:1015798428743, 2002.

1
2 Vitousek, P. M., Menge, D. N., Reed, S. C., and Cleveland, C. C.: Biological nitrogen
3 fixation: rates, patterns and ecological controls in terrestrial ecosystems, *Philosophical*
4 *transactions of the Royal Society of London. Series B, Biological sciences*, 368, 20130119,
5 doi: 10.1098/rstb.2013.0119, 2013.
6
7 Wang, Y. P., Houlton, B. Z., and Field, C. B.: A model of biogeochemical cycles of carbon,
8 nitrogen, and phosphorus including symbiotic nitrogen fixation and phosphatase production,
9 *Global Biogeochemical Cycles*, 21, GB1018, doi: 10.1029/2006gb002797, 2007.
10
11 Wang, Y.-P., and Houlton, B. Z.: Nitrogen constraints on terrestrial carbon uptake:
12 Implications for the global carbon-climate feedback, *Geophys. Res. Lett.*, 36, L24403, doi:
13 10.1029/2009gl041009, 2009.
14
15 Wania, R., Meissner, K. J., Eby, M., Arora, V. K., Ross, I., and Weaver, A. J.: Carbon-
16 nitrogen feedbacks in the UVic ESCM, *Geosci. Model Dev.*, 5, 1137-1160, doi:
17 10.5194/gmd-5-1137-2012, 2012.
18
19 Welp, L. R., Keeling, R. F., Meijer, H. A., Bollenbacher, A. F., Piper, S. C., Yoshimura, K.,
20 Francey, R. J., Allison, C. E., and Wahlen, M.: Interannual variability in the oxygen isotopes
21 of atmospheric CO₂ driven by El Nino, *Nature*, 477, 579-582, doi: 10.1038/nature10421,
22 2011.
23
24 Wieder, W. R., Cleveland, C. C., Lawrence, D. M., and Bonan, G. B.: Effects of model
25 structural uncertainty on carbon cycle projections: biological nitrogen fixation as a case study,
26 *Environmental Research Letters*, 10, 044016, doi: 10.1088/1748-9326/10/4/044016, 2015.
27
28 Wigley, T. M. L.: Balancing the carbon budget. Implications for prejections of future carbon
29 dioxide concentration changes, *Tellus* 45B, 409-425, doi: 10.1034/j.1600-0889.1993.t01-4-
30 00002.x, 1993.
31

1 Xu, R. I., and Prentice, I. C.: Terrestrial nitrogen cycle simulation with a dynamic global
2 vegetation model, *Global Change Biology*, 14, 1745-1764, doi: 10.1111/j.1365-
3 2486.2008.01625.x, 2008.

4

5 Yang, X., Wittig, V., Jain, A. K., and Post, W.: Integration of nitrogen cycle dynamics into
6 the Integrated Science Assessment Model for the study of terrestrial ecosystem responses to
7 global change, *Global Biogeochemical Cycles*, 23, GB4029, doi: 10.1029/2009gb003474,
8 2009.

9

10 Zaehle, S., Friedlingstein, P., and Friend, A. D.: Terrestrial nitrogen feedbacks may accelerate
11 future climate change, *Geophys. Res. Lett.*, 37, L01401, doi: 10.1029/2009gl041345, 2010a.

12

13 Zaehle, S., and Friend, A. D.: Carbon and nitrogen cycle dynamics in the O-CN land surface
14 model: 1. Model description, site-scale evaluation, and sensitivity to parameter estimates,
15 *Global Biogeochemical Cycles*, 24, GB1005, doi: 10.1029/2009gb003521, 2010.

16

17 Zaehle, S., Friend, A. D., Friedlingstein, P., Dentener, F., Peylin, P., and Schulz, M.: Carbon
18 and nitrogen cycle dynamics in the O-CN land surface model: 2. Role of the nitrogen cycle in
19 the historical terrestrial carbon balance, *Global Biogeochemical Cycles*, 24, GB1006, doi:
20 10.1029/2009gb003522, 2010b.

21

22 Zaehle, S., Ciais, P., Friend, A. D., and Prieur, V.: Carbon benefits of anthropogenic reactive
23 nitrogen offset by nitrous oxide emissions, *Nature Geoscience*, 4, 601-605, doi:
24 10.1038/ngeo1207, 2011.

25

26 Zaehle, S., and Dalmonech, D.: Carbon–nitrogen interactions on land at global scales: current
27 understanding in modelling climate biosphere feedbacks, *Current Opinion in Environmental*
28 *Sustainability*, 3, 311-320, doi: 10.1016/j.cosust.2011.08.008, 2011.

29

30 Zaehle, S.: Terrestrial nitrogen-carbon cycle interactions at the global scale, *Philosophical*
31 *Transactions of the Royal Society B: Biological Sciences*, 368, 20130125-20130125, doi:
32 10.1098/rstb.2013.0125, 2013.

33

1 Zaehle, S., Medlyn, B. E., De Kauwe, M. G., Walker, A. P., Dietze, M. C., Hickler, T., Luo,
2 Y., Wang, Y. P., El-Masri, B., Thornton, P., Jain, A., Wang, S., Warlind, D., Weng, E.,
3 Parton, W., Iversen, C. M., Gallet-Budynek, A., McCarthy, H., Finzi, A., Hanson, P. J.,
4 Prentice, I. C., Oren, R., and Norby, R. J.: Evaluation of 11 terrestrial carbon-nitrogen cycle
5 models against observations from two temperate Free-Air CO₂ Enrichment studies, *New*
6 *Phytol.* 202, 803-822, doi: 10.1111/nph.12697, 2014.

7

8 Zhang, Q., Wang, Y. P., Mearns, R. J., Pitman, A. J., and Dai, Y. J.: Nitrogen and
9 phosphorous limitations significantly reduce future allowable CO₂ emissions, *Geophys. Res.*
10 *Lett.*, 41, 632-637, doi: 10.1002/2013gl058352, 2014.

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1 **Table 1.** Overview of the different biological nitrogen (N) fixation (BNF) models used in this
 2 study. Appendix A provides full details of the models. NPP = net primary productivity; ET =
 3 actual evapotranspiration (excluding soil evaporation), T = air temperature.

BNF model	FOR	AET	PRO	NDT	NDS	OPT
Type	Forcing	Empirical		N-demand based		Optimal
Asymbiotic BNF	Global map of BNF rates, based on correlation with ET; BNF converges towards zero when soil N pool exceeds 2 g N m^{-2}	f(soil temperature, shading, soil moisture)				
Symbiotic BNF		f(ET)	f(NPP)	f(plant N demand, T , plant labile C reserve)	f(plant N demand, shading outside tropics, leaf C)	f(plant C cost of root N uptake, root C)
Reference	Zaehle and Friend (2010)	Cleveland et al. (1999)	Thornton et al. (2007)	-	Gerber et al. (2010)	Rastetter et al. (2001)

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1 **Table 2.** Key ecosystem variables as simulated by O-CN applying the different biological
2 nitrogen (N) fixation (BNF) models (global averages for 2000, simulation A). MRD denotes
3 the median relative deviation from the respective model-median. For BNF, MRD is taken for
4 the sums of asymbiotic and symbiotic BNF. The same holds for the BNF estimate from FOR,
5 as this model does not distinguish between the two pathways of BNF. "N accumulation"
6 denotes the change in the vegetation and soil N stocks over the year 2000. Our simulations
7 did not include N losses from fire. Note that rounding errors may affect the budget between
8 inputs, losses, and accumulation to a small degree. "Obs" gives literature estimates of global
9 N fluxes where possible.

	MRD	FOR	AET	PRO	NDT	NDS	OPT	Obs
GPP(Pg C yr ⁻¹)	1%	152	153	153	154	156	149	123-175 ^a
NPP(Pg C yr ⁻¹)	2%	74	73	75	76	79	76	59.9-62.6 ^b
Plant root N uptake (Tg N yr ⁻¹)	2%	1349	1250	1275	1281	1338	1267	
N input (Tg N yr⁻¹)	5%	272	284	266	274	294	254	
N deposition	-	63	63	63	63	63	63	
N fertilizer	-	83	83	83	83	83	83	
Symbiotic BNF	10%	126	137	119	127	147	106	44-290 ^c
Asymbiotic BNF			1.6	1.5	1.6	1.4	1.5	
N losses(Tg N yr⁻¹)	8%	256	263	246	232	258	228	
N ₂ emission	15%	90	99	91	86	92	89	
N ₂ O emission	14%	13	13	12	11	12	10	5-13.8 ^d
NO _x emission	8%	13	13	12	11	12	11	8.7-11.7 ^d
NH ₃ emission	26%	5	5	5	3	6	3	31.4-40.4 ^d

Leaching	9%	108	105	99	92	108	88	59 ^e
Harvest	3%	27	29	28	29	28	28	
N accumulation (Tg N yr-1)	34%	15	20	19	39	33	25	
N loss / mineralization	6%	0.19	0.19	0.18	0.17	0.18	0.17	
N loss / accumulation	37%	17	13	13	6	8	9	

1 ^aBeer et al. (2010), Welp et al. (2011).

2 ^bSaugier and Roy (2001).

3 ^cCleveland et al. (1999), Galloway et al. (2004), Vitousek et al. (2013).

4 ^dOlivier et al. (1998), Ciais et al. (2013).

5 ^eBoyer et al. (2006).

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- 1 **Table A1.** List of variable and parameter names used in the description of the biological N
- 2 fixation (BNF) models (Appendix A). C: Carbon; N: Nitrogen; PFT : Plant functional type.
- 3 PFT-specific parameters are given in Table A2.

Variable / Parameter	Description	Value, Unit
Shared		
<i>BNF</i>	Symbiotic BNF rate	$\text{g N m}^{-2} \text{yr}^{-1}$
<i>SLA</i>	Specific leaf area	$\text{m}^2 \text{g}^{-1} \text{C}$
<i>C_{Leaf}</i>	Plant leaf C pool	g C m^{-2}
<i>CN_{Leaf,min}</i>	Minimum attainable leaf C:N ratio (PFT-specific)	-
<i>CN_{Leaf,max}</i>	Maximum attainable leaf C:N ratio (PFT-specific)	-
<i>CN_{Leaf}</i>	Standard leaf C:N ratio (PFT-specific)	-
<i>CN_{Leaf,act}</i>	Actual leaf C:N ratio	-
AET		
<i>ET</i>	Actual evapotranspiration	mm yr^{-1}
<i>a</i>	Slope of the linear function in Eq. A1	$0.00234 \text{ g N mm}^{-1} \text{m}^{-2}$
<i>b</i>	Intercept of the linear function in Eq. A1	$-0.0172 \text{ g N m}^{-2} \text{yr}^{-1}$
PRO		
<i>NPP</i>	Net primary production	$\text{g C m}^{-2} \text{yr}^{-1}$
<i>c</i>	Coefficient in Eq. A2	$1.8 \text{ g N m}^{-2} \text{yr}^{-1}$
<i>d</i>	Coefficient in Eq. A2	$-0.003 \text{ m}^2 \text{yr g}^{-1} \text{C}$
NDT		
<i>tf</i>	Temperature sensitivity function	-
<i>T</i>	Surface temperature	$^{\circ}\text{C}$
<i>f</i>	Coefficient in Eq. A4	1.25
<i>g</i>	Coefficient in Eq. A4	-3.62
<i>h</i>	Coefficient in Eq. A4	$0.27 \text{ }^{\circ}\text{C}^{-1}$

i	Reference temperature in Eq. A4	50.3 °C
j	Fraction of labile C pool for BNF investment in Eq. A5	0.05
C_{inv}	Instantaneously available C for investment into BNF	g C m^{-2}
C_{labile}	Plant labile C pool	g C m^{-2}
ξ	Temperature scaling function	-
η	Function scaling with plant N status	-
c_{fix}	C investment cost per unit N fixed	$6 \text{ g C g}^{-1} \text{ N yr}^{-1}$

NDS

λ_0	Light-unlimited establishment rate of N fixers (PFT-specific)	yr^{-1}
λ	Light-limited establishment rate of N fixers (PFT-specific)	yr^{-1}
ψ	Plant N demand per unit leaf C	$\text{g N m}^{-2} \text{ g}^{-1} \text{ C}$
D	Plant N deficit	g N m^{-2}
κ	Scaling function	-
NPP_{pot}	Allocatable C after respiration	g C m^{-2}
f_{cost}	Scaling factor	-
N_{avail}	Available N for plant growth	g N m^{-2}
φ	Parameter in Eq. A13	3
x	Plant N status function	-
BNF_L	BNF per unit leaf C	$\text{g N m}^{-2} \text{ yr}^{-1}$
σ	Decay rate of N fixers (PFT-specific)	yr^{-1}

OPT

C_{Root}	Plant root C pool	g C m^{-2}
x	Instantaneous C gain per unit leaf area	$\text{g C m}^{-2} \text{ yr}^{-1}$
GPP	Instantaneous gross primary production	$\text{g C m}^{-2} \text{ yr}^{-1}$
gc	Marginal C gain with C investment into leaves	$\text{g C m}^{-2} \text{ yr}^{-1}$
δC	Infinitesimal amount of C	g C m^{-2}
gn	Marginal N uptake increase with root C investment	$\text{g N m}^{-2} \text{ yr}^{-1}$

N_{up}	Root N uptake	$\text{g N m}^{-2} \text{ yr}^{-1}$
r_{Nup}	C cost of root N uptake	$\text{g C g}^{-1} \text{ N}$
r_{Fix}	C cost of N fixation	$9 \text{ g C g}^{-1} \text{ N}$
$V_{max,Fix}$	Maximum BNF per unit root C in Eq. A19	$0.0225 \text{ g N g}^{-1} \text{ C yr}^{-1}$
k_{Fix}	Half-saturation constant in Eq. A19	$50 \text{ g C g}^{-1} \text{ N}$

Asymbiotic BNF

ts	Temperature sensitivity function	-
T_s	Soil temperature	$^{\circ}\text{C}$
m	Coefficient in Eq. A20	1.25
n	Coefficient in Eq. A20	-3.62
o	Coefficient in Eq. A20	$0.27 \text{ }^{\circ}\text{C}^{-1}$
p	Reference temperature in Eq. A20	$50.3 \text{ }^{\circ}\text{C}$
vf	Light limitation function	-
Φ	Soil moisture function	-
σ	Amount of water in the soil	mm m^{-2}
z	Depth of soil water reservoir	2 m
σ_{max}	Maximum soil water content	150 mm m^{-3}
BNF_a	Asymbiotic BNF rate	$\text{g N m}^{-2} \text{ yr}^{-1}$
$BNF_{a,max}$	Maximum asymbiotic BNF rate	$0.2 \text{ g N m}^{-2} \text{ yr}^{-1}$

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1 **Table A2.** PFT-specific parameters. The CN parameters were used in all models, the λ_0 and σ
 2 parameters were used in the NDS model (see Table A1). The PFT classes are defined in Table
 3 B1.

PFT	CN _{Leaf}	CN _{Leaf,min}	CN _{Leaf,max}	λ_0 (yr ⁻¹)	σ (yr ⁻¹)
1	25	16	45	12	12
2	25	16	45	12	12
3	35	20	55	1	1
4	42	28	75	0.2	0.2
5	25	16	45	0.2	0.2
6	25	16	45	0.2	0.2
7	42	28	75	0.1	0.1
8	25	16	45	0.1	0.1
9	24	18	36	0.1	0.1
10	26	16	47	1	1
11	26	16	47	1	1
12	35	20	55	1	1

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1 **Table B1.** Adaptation of the vegetation types from the original data assembly (Cleveland et
 2 al., 1999; Table 13) into the plant functional types (PFTs) in O-CN ("Obs" in Fig. 4).

PFTs in O-CN	Vegetation types in Cleveland et al. [1999]
1. Tropical broadleaved evergreen	Tropical savannah (50%), tropical evergreen forest, xeromorphic forest, tropical forested floodplain, wet savannah (50%)
2. Tropical broadleaved raingreen	Tropical deciduous forest
3. C4 grasses	Tropical savannah (50%), tropical non-forested floodplain, wet savannah (50%)
4. Temperate needle-leaved evergreen	Temperate mixed forest (50%), temperate coniferous forest
5. Temperate broadleaved evergreen	Temperate broadleaved evergreen forest
6. Temperate broadleaved summergreen	Temperate mixed forest (50%), temperate deciduous forest, temperate forested floodplain, temperate steppe (30%), mediterranean shrubland, arid shrublands
7. Boreal needle-leaved evergreen	Boreal forest
8. Boreal broadleaved summergreen	Boreal woodland, moist tundra
9. Boreal needle-leaved summergreen	-
10. C3 grasses	Polar desert/alpine tundra, tall/medium grassland, short grassland, desert, temperate non-forested floodplain, temperate steppe (70%)
11. C3 crop plants	-
12. C4 crop plants	-

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1 **Figure 1.** Scheme of nitrogen (N) cycle representation in O-CN. Reactive N species
2 (ammonium, nitrate) enter the ecosystem through atmospheric deposition directly into the
3 pool of soil inorganic N, as well as through biological N fixation (BNF, as ammonium). N
4 from asymbiotic BNF (a) enters the soil inorganic N pool, whereas N from symbiotic BNF (s)
5 becomes directly available to plants for allocation to their various organs. N in plant litter is
6 assimilated into soil organic matter and may be mineralized and transferred to the soil
7 inorganic N pool, depending on that pool's size and the C:N ratio of the soil organic matter.
8 The soil inorganic N pool is depleted by plant root N uptake, immobilization (transfer to soil
9 organic matter), as well as by leaching or gaseous loss processes. Global magnitudes of the
10 key N fluxes in O-CN can be found in Table 2. O-CN does not include fluxes of geological N
11 inputs, plant organic N uptake, or canopy N uptake.

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13 **Figure 2.** Atmospheric CO₂ concentrations applied in the simulations.

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15 **Figure 3.** Global biological nitrogen (N) fixation (BNF) and net primary production (NPP)
16 rates, as simulated by O-CN (simulation A) applying the six different BNF models for 2000-
17 2013. **(a)** Model-median BNF (g N m⁻² yr⁻¹). **(b)** Median relative deviation (MRD) from the
18 median BNF across models (%). **(c)** Model-median NPP (kg C m⁻² yr⁻¹). **(d)** MRD from the
19 median NPP across models (%). Figures B1 and B2 provide BNF and NPP maps for each
20 model separately.

21

22 **Figure 4.** Average biological nitrogen (N) fixation (BNF) rates in different biome types as
23 simulated by O-CN, applying the different BNF models for the year 2000 (simulation A). **(a)**
24 Total global BNF rates (Tg N yr⁻¹), segments indicate the contributions of individual biome
25 types. "Obs" denotes data-based estimates, as published in Table 13 of Cleveland et al. (1999)
26 (conservative estimates of total N fixation). **(b)** BNF rates (g N m⁻² yr⁻¹) as simulated by the
27 different BNF models, compared with the conservative estimates by Cleveland et al. (1999).
28 For the modeled BNF rates, markers indicate the mean value over all grid cells that included
29 the respective biome type, error bars indicate the corresponding standard deviation. The black

1 line is the one-to-one line. Details on the classification of vegetation types from the data
2 source into the plant functional types applied in O-CN can be found in Table B1.

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4 **Figure 5.** Responses in simulated biological nitrogen (N) fixation (BNF) and net primary
5 production (NPP) rates to elevated atmospheric CO₂ concentrations (eCO₂), taken as the
6 difference between the simulations B (eCO₂) and A (ambient CO₂), averaged over the
7 experiment years 140-153, corresponding to a difference in atmospheric CO₂ concentrations
8 of 211 ppm. **(a)** Absolute model-median BNF responses. **(b)** Relative model-median BNF
9 responses ((treatment/control -1)×100, %). **(c)** Absolute model-median NPP responses. **(d)**
10 Relative model-median NPP responses. Figures B3 and B4 provide BNF and NPP maps for
11 each model separately.

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13 **Figure 6.** Net primary productivity (NPP) and biological nitrogen (N) fixation (BNF)
14 responses to elevated atmospheric CO₂ concentrations (eCO₂), taken as the absolute
15 difference between the simulations B (eCO₂) and A (ambient CO₂), averaged over the
16 experiment years 140-153, corresponding to a difference in atmospheric CO₂ concentrations
17 of 211 ppm. Each marker represents one global latitudinal band of 1° extent. **(a)** Responses in
18 the boreal latitudes (90 - 61°N). **(b)** Responses in the temperate latitudes (60 - 31°N, 31 -
19 60°S). **(c)** Responses in the tropical latitudes (30°N - 30°S).

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21 **Figure 7.** Simulated ecosystem responses to elevated atmospheric CO₂ concentrations (eCO₂)
22 as global time series, obtained using six different biological nitrogen (N) fixation (BNF)
23 schemes. Curves show the differences between the simulations B (atmospheric CO₂
24 concentrations gradually increasing from 286 ppm to 600 ppm) and C (atmospheric CO₂ fixed
25 at 286 ppm). Markers show the responses between the simulations D (observed atmospheric
26 CO₂ +200 ppm) and A (observed atmospheric CO₂), calculated as averages over the
27 simulation years 136-140. They are plotted at the simulation year 108, so that for all
28 responses, the difference between control and treatment in atmospheric CO₂ concentration
29 was approximately 200 ppm. **(a)** Relative BNF responses ((treatment/control-1)×100). **(b)**

1 Relative net primary production (NPP) responses. (c) Absolute ecosystem carbon (C) storage
2 responses (treatment - control). (d) Absolute N₂O emission responses.

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4 **Figure B1.** Global biological nitrogen (N) fixation (BNF) rates, as simulated by O-CN
5 applying the six different BNF models for 2000-2013. (a) FOR; (b) AET; (c) PRO; (d) NDT;
6 (e) NDS; (f) OPT.

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8 **Figure B2.** Global net primary productivity (NPP) rates, as simulated by O-CN applying the
9 six different biological nitrogen fixation models for 2000-2013. (a) FOR; (b) AET; (c) PRO;
10 (d) NDT; (e) NDS; (f) OPT.

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12 **Figure B3.** Responses in simulated biological nitrogen (N) fixation (BNF) rates to elevated
13 atmospheric CO₂ concentrations (eCO₂, Fig. 5, (treatment/control -1)×100), averaged over the
14 experiment years 140-153. (a) FOR; (b) AET; (c) PRO; (d) NDT; (e) NDS; (f) OPT.

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16 **Figure B4.** Responses in simulated net primary productivity (NPP) rates to elevated
17 atmospheric CO₂ concentrations (eCO₂, Fig. 5, (treatment/control -1)×100), averaged over the
18 experiment years 140-153. (a) FOR; (b) AET; (c) PRO; (d) NDT; (e) NDS; (f) OPT.

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20 **Figure B5.** Simulated (simulation A) global relationship between biological nitrogen (N)
21 fixation (BNF) and evapotranspiration (ET), averaged for 2000-2013. Each marker represents
22 one O-CN grid cell. Colors indicate the dominant vegetation type in each grid cell. Trop =
23 Tropical forest, C4 = C₄ grassland, Temp = Temperate forest, Bor = Boreal forest, C3 = C₃
24 grassland, Crop = Agriculture.

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26 **Figure B6.** Simulated (simulation A) global relationship between biological nitrogen (N)
27 fixation (BNF) and net primary productivity (NPP), averaged for 2000-2013. Each marker
28 represents one O-CN grid cell. Colors indicate the dominant vegetation type in each grid cell.

1 Trop = Tropical forest, C4 = C₄ grassland, Temp = Temperate forest, Bor = Boreal forest, C3
2 = C₃ grassland, Crop = Agriculture.

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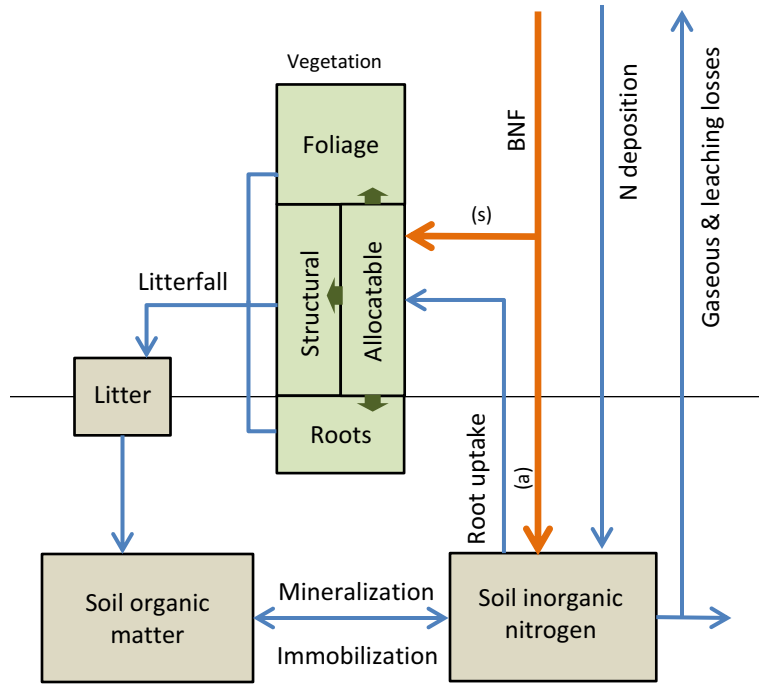
4 **Figure B7.** Simulated (A) global relationship between biological nitrogen (N) fixation (BNF)
5 and the relative distance of leaf C:N ratios from the minimal value ("N stress factor"),
6 averaged for 2000-2013. Each marker represents one O-CN grid cell. Colors indicate the
7 dominant vegetation type in each grid cell. Trop = Tropical forest, C4 = C₄ grassland, Temp =
8 Temperate forest, Bor = Boreal forest, C3 = C₃ grassland, Crop = Agriculture.

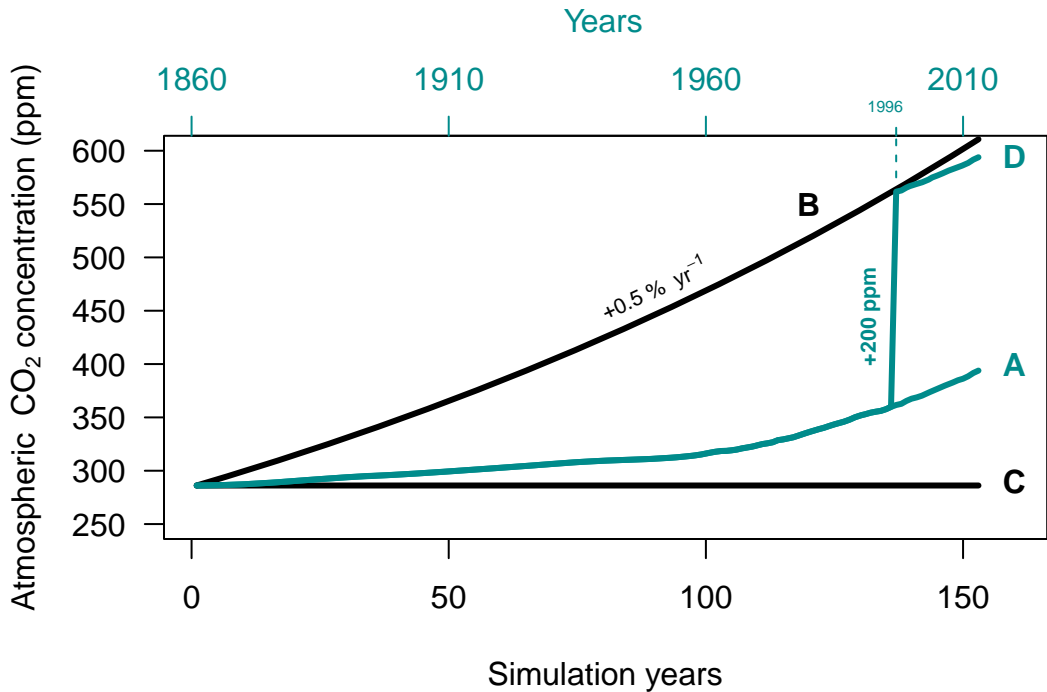
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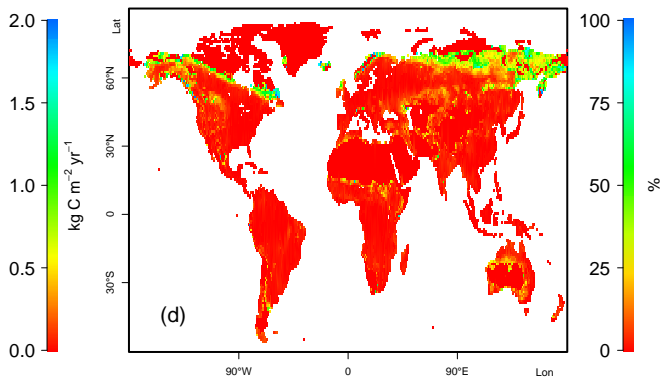
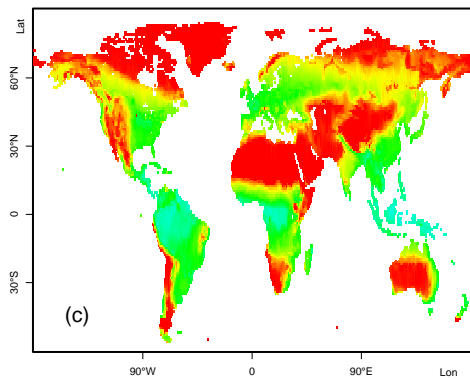
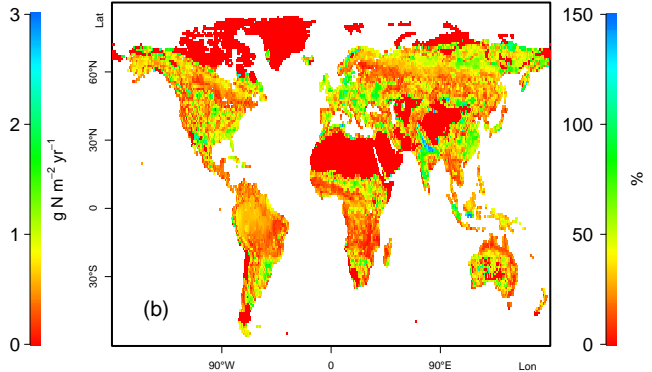
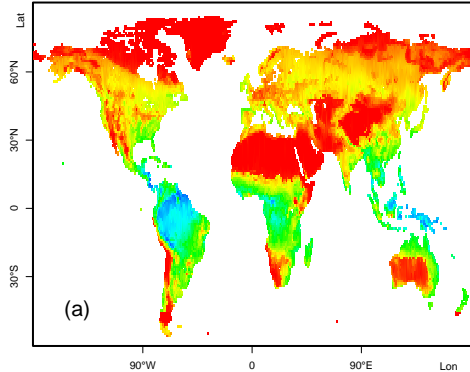
10 **Figure B8.** Simulated (A) global relationship between biological nitrogen (N) fixation (BNF)
11 and surface temperature (T), averaged for 2000-2013. Each marker represents one O-CN grid
12 cell. Colors indicate the dominant vegetation type in each grid cell. Trop = Tropical forest, C4
13 = C₄ grassland, Temp = Temperate forest, Bor = Boreal forest, C3 = C₃ grassland, Crop =
14 Agriculture.

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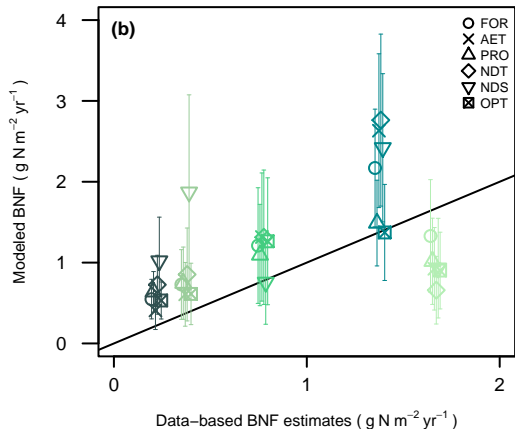
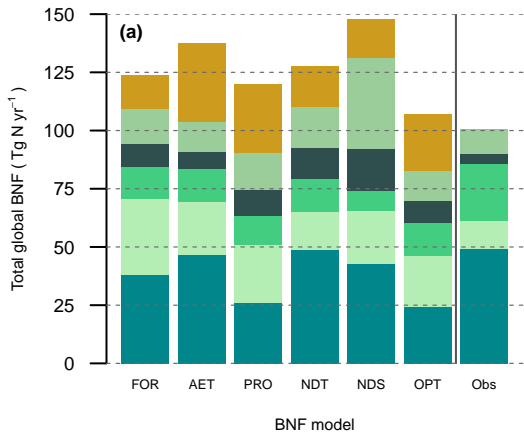
16 **Figure B9.** Conceptual parameter sensitivity in the NDS and OPT models. **(a)** NDS:
17 Sensitivity of the scaling function κ , that scales plant N demand with plant N status according
18 to Eqs. A13 and A14, to variation in the current leaf C:N ratio $CN_{\text{Leaf,act}}$ and the scaling
19 parameter ϕ . We assumed that $CN_{\text{Leaf,min}}=20$ and $CN_{\text{Leaf,max}}=40$. **(b)** OPT: Sensitivity of BNF
20 ($\text{g N m}^{-2} \text{ yr}^{-1}$) to variation in the root N uptake cost r_{Nup} ($\text{g C g}^{-1} \text{ N}$) and the half-saturation
21 constant k_{Fix} ($\text{g C g}^{-1} \text{ N}$) according to Eq. A19. C_{root} was fixed at 200 g C m^{-2} , $v_{\text{max,Fix}}$ was
22 fixed at $0.0225 \text{ g N g}^{-1} \text{ C yr}^{-1}$, and r_{Fix} was fixed at $9 \text{ g C g}^{-1} \text{ N}$. The arrow indicates that BNF
23 is zero when $r_{\text{Nup}}=r_{\text{Fix}}$, therefore variation in r_{Fix} would shift the functions in x-direction. **(c)**
24 OPT: Sensitivity of BNF to variation in r_{Nup} and the maximum BNF per unit root C, $v_{\text{max,Fix}}$,
25 according to Eq. A19. C_{root} was fixed at 200 g C m^{-2} , k_{Fix} was fixed at $50 \text{ g C g}^{-1} \text{ N}$, and r_{Fix}
26 was fixed at $9 \text{ g C g}^{-1} \text{ N}$.

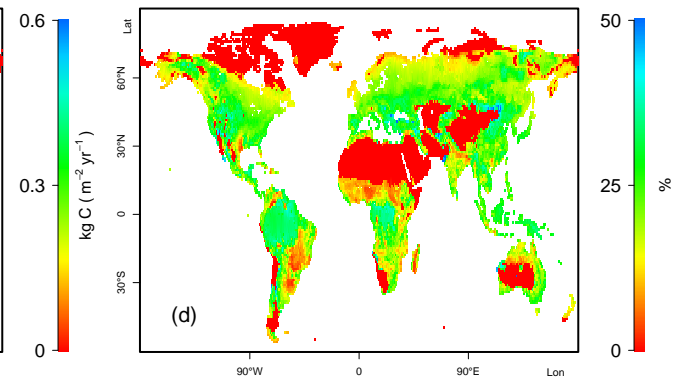
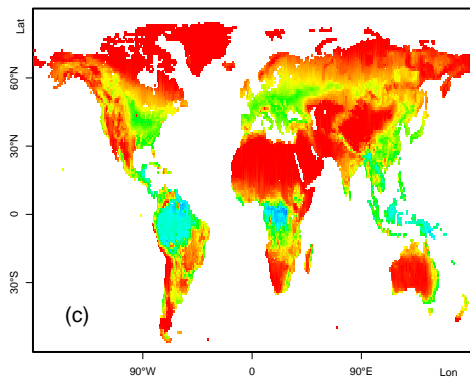
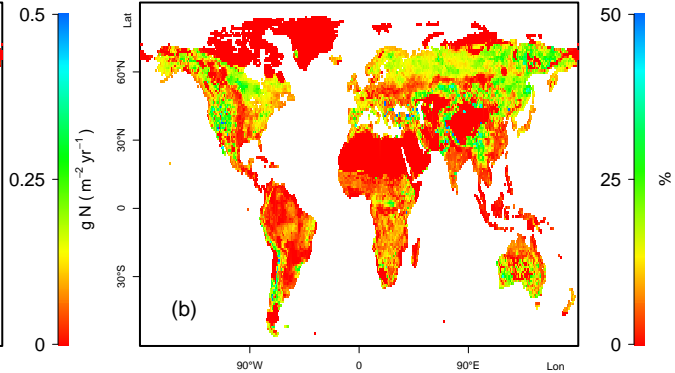
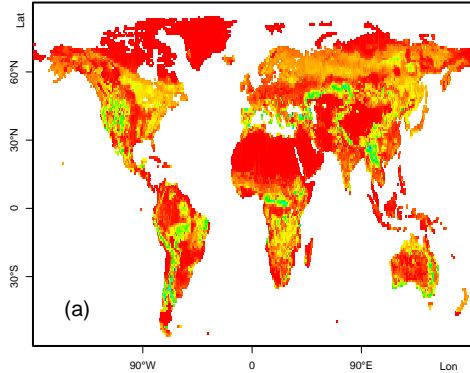


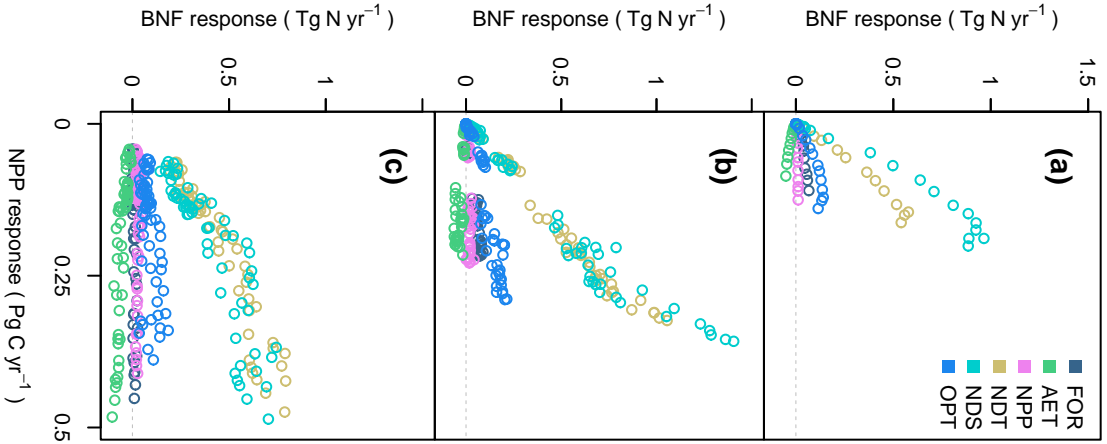


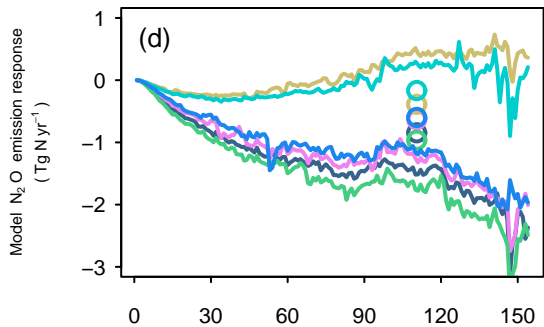
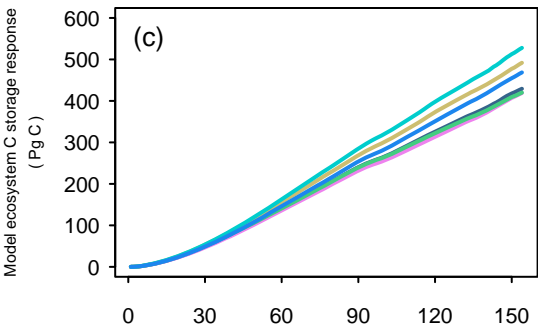
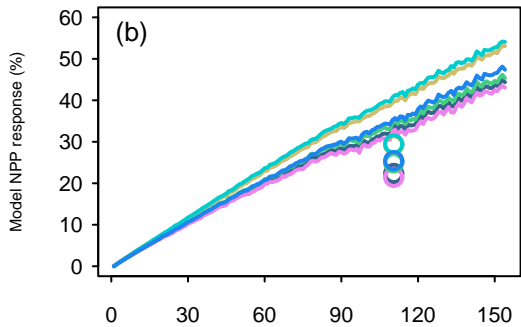
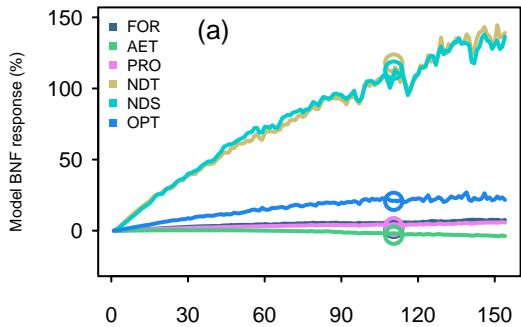


■ Tropical forest ecosystems
 ■ C4 grasslands
 ■ Temperate forest ecosystems
 ■ Boreal forest ecosystems
 ■ C3 grasslands
 ■ Crops









Simulation years

Simulation years

