

1 **Referee 2**

2 We thank the referee for the comments on our manuscript, which certainly helped improving our
3 study. We hope that our answers and the modifications are satisfactory.

4 **MAJOR CONCERN:**

5 **My largest concern with the study is that the spatial resolution / support of the flux**
6 **observations is substantially finer than the spatial resolution of the model simulations,**
7 **making flux values at these disparate scales fundamentally incompatible. The authors**
8 **acknowledge as much in p. 9397 lines 11-13 “While typical inversion systems have a**
9 **resolution ranging from tens of kilometers up to several degrees (hundreds of km), the**
10 **spatial representativity of the flux observations is typically around a kilometer.” In the**
11 **Chevallier et al. studies that the authors cite, the analysis of errors was conducted by**
12 **comparing km-scale flux observations with “a site-scale configuration of the ORCHIDEE**
13 **model,” thereby leading to compatible spatial scales. The resulting error statistics were**
14 **then upscaled to be representative of the scales estimated by typical inversions.**

15

16 We agree with the reviewer that some of the scales seem incompatible, and have made the
17 following changes in the manuscript:

18 With respect to the model-model comparisons we produced fluxes also at 50 km resolution for
19 VPRM model. VPRM now provides 3 different resolutions at 50 10 and 1 km (VPRM50
20 VPRM10 and VPRM1 respectively). We compare VPRM at 50 km with ORCHIDEE (which has
21 also 50 km spatial resolution). We add this in plot 9 and 10. VPRM10-5PM comparisons are also
22 in line as both models have the same spatial resolution.

23 We withdraw VPRM1-VPRM10 comparisons from plot 9 and we have also deleted following
24 sentence:

25 Page 9415 line 21-27 “A special case in the context of the model-model study is the comparison
26 between VPRM1 and VPRM10, which is the only case that produced short spatial correlation
27 scales. These two models only differ in the spatial resolution of MODIS indices EVI and LSWI
28 (1 vs. 10 km). Thus differences between those two models are only related to variability of these
29 indices at scales below 10 km, which is not expected to show any spatial coherence. Indeed the
30 results show only very short correlation scales (Fig. 9) with an exception during fall, however
31 there the uncertainty is also large.”

32 With respect to the model-data analysis VPRM1 fluxes are obtained at a spatial scale comparable
33 with the flux observations. Further we found no significantly different spatial scales from the
34 model-data residual autocorrelation analysis from the rest of the models (5PM, ORCHIDEE and
35 VPRM10/50. Therefore we do not expect our results to be biased.

1 We added the following sentences/paragraphs:

2 page 9400 line 12 "... at hourly temporal resolution and at three spatial resolutions of 1, 10 and
3 50 km (referred to as VPRM1, VPRM10 and VPRM50)".

4 We added a discussion about the scale mismatch:

5 page 9402 line 2 "... over the year 2007. Simulated fluxes from the different models are at
6 different spatial resolution, which makes comparisons difficult to interpret. For the model-data
7 residual analysis, the models VPRM1, VPRM10, ORCHIDEE and 5PM were used. We note that
8 VPRM1 with 1km resolution is considered compatible when comparing with local
9 measurements. For the model-model analysis we use VPRM50 at 50km resolution when
10 comparing with ORCHIDEE fluxes, as both models share the same resolution. VPRM10 is
11 considered also appropriate for comparisons with 5PM model as they both share same resolution
12 (MODIS LAI resolution of 1 km aggregated to 10 km and meteorological resolution at 0.25
13 degrees). Following we compare VPRM50 with 5PM to investigate if the different spatial
14 resolution influences the correlation scale as a measure of how trustful might be the derived
15 scales from ORCHIDEE – 5PM comparisons.”,

16 page 9405 line 1 : “For the model-model analysis fluxes derived from the model pairs VPRM50-
17 ORCHIDEE and VPRM10-5PM share the same spatial resolution and therefore are fully
18 comparable. Similar to the ...”

19 page 9408 line 1 “The e-folding correlation lengths show no dependence on the modeled flux
20 resolution as same results yielded from all models. Further we examined also the spatial
21 autocorrelation from VPRM50-data residuals with no significant difference compared to
22 previous results.”.

23 3.2 Section is modified and refers to the new model-model pairs:

24 “We investigate the model-model error structure of NEE estimates by replacing the observed
25 fluxes which were used as reference, with simulated fluxes from all the biosphere models. Note
26 that for consistency with the model-data analysis, the simulated fluxes contained the same gaps
27 as the observed flux time series. The e-folding correlation time is found to be slightly larger
28 compared to the model-data correlation times, for most of the cases. An exception is the 5PM-
29 VPRM10 pair which produced remarkably larger correlation time (Table 2). Specifically,
30 VPRM50-ORCHIDEE and VPRM10-5PM residuals show correlation times of 28 days (range
31 between 24-32 days within 95% confidence interval) and 131 (range between 128-137 days
32 within 95% confidence interval), respectively. Significantly different e-folding correlation times
33 are found for VPRM50-5PM compared to VPRM10-5PM with correlation times of 52 days
34 (range between 49-56 days within 95% confidence interval). Repeating the analysis excluding
35 sites with residual bias larger than $2.5\mu\text{mol}/\text{m}^2\text{s}$, correlation times of 28 and 100 days for
36 VPRM50-ORCHIDEE and VPRM10-5PM are found, respectively. If we use ORCHIDEE-5PM

1 pair the e-folding correlation time found to be 38 days (range between 35-41 days within 95%
2 confidence interval).

3 Although the e-folding correlation times show but minor differences compared to the model-data
4 residuals, this is not the case for the spatial correlation lengths (Fig. 9). The standard case (S)
5 was applied for the annual analysis, with no minimum number of days with overlapping non-
6 missing data for each site within the pairs. Taking VPRM50 as reference, much larger e-folding
7 correlation lengths of 371 km with a range of 286-462 km within 95% confidence interval
8 yielded for VPRM50-ORCHIDEE comparisons, and 1066 km for VPRM50-5PM were found.
9 However VPRM10-5PM analysis which is also considered appropriate in terms of the spatial
10 resolution compatibility contrary to the VPRM50-5PM pair, is in good agreement with
11 VPRM50-ORCHIDEE spatial scale (230-440 km range within 95% confidence interval with the
12 best fit being 335 km). With ORCHIDEE as reference the e-folding correlation length for the
13 ORCHIDEE-5PM comparison is 276 km with a range of 183-360 km within 95% confidence
14 interval. However the later correlation length might be affected by the different spatial resolution
15 as the difference between VPRM10 and VPRM50 against 5PM suggests. Seasonal e-folding
16 correlation lengths, using a minimum of 20 days overlap in the site-pairs per season (Fig. 9), are
17 also significantly larger compared with those from the model-data analysis.

18 When we add the random measurement error to the modeled fluxes used as reference (crosses in
19 Fig. 9), we observe only slight changes in the annual e-folding correlation lengths, without a
20 clear pattern. The correlation lengths show a random increase or decrease but limited up to 6%.
21 Interestingly, the seasonal e-folding correlation lengths for most of the cases show a more clear
22 decrease. For example, the correlation length of the VPRM10-5PM residuals during winter,
23 decreases by 22% or even more for spring season. Despite this decrease, the e-folding seasonal
24 correlation lengths remain significantly larger in comparison to those from the model-data
25 analysis. Overall, all models when used as reference show the same behavior with large e-folding
26 correlation lengths that mostly decrease slightly when the random measurement error is included.
27 Although the random measurement error was added as “missing part” to the modeled fluxes to
28 better mimic actual flux observations, it did not lead to correlation lengths similar to those from
29 the model-data residual analysis. To investigate if a larger random measurement error could
30 cause spatial correlation scales in model-model differences, we repeated the analysis with
31 artificially increased random measurement error (multiplying with a factor between 1 and 15).
32 Only for very large random measurement errors did the model-model e-folding correlation
33 lengths start coinciding with those of the model-data residuals (Fig. 10).”

34

35 Page 18 line 14-18 We added: “Whilst fluxes from ORCHIDEE model are at much coarser
36 resolution compared to the representative area from the flux measurements, VPRM1 fluxes (1
37 km resolution and only the meteorology at 25 km) are considered appropriate for the

1 comparisons. Despite the scale mismatch results are in good agreement across all model-data
2 pairs.”.

3 Table 2 is also changed.

Reference	VPRM10 [days]	VPRM1 [days]	ORCHIDEE [days]	5PM [days]
OBSERVATION	32 (27)	33 (29)	26 (24)	70 (34)
VPRM50	-	-	28 (28)	52 (46)
VPRM10	-	-	-	131 (100)
ORCHIDEE	-	-	-	38 (32)
5PM	-	-	-	-

4

5 **For all of the analysis, it would be important to more explicitly discuss the time scales for**
6 **which the analyses are conducted, and emphasize that the error statistics computed therein**
7 **are therefore only valid for that same (i.e. daily) temporal resolution. Both the spatial and**
8 **temporal correlation lengths will be affected by the temporal resolution of the analyzed**
9 **data.**

10 We made two additions to better clarify this:

11 Page 9397 line 18 in response also from referee 1 comment we added “Further, the statistical
12 consistency between the error covariance and the state space is crucial. Thus the error structure at
13 the daily time-scale is of interest here, and can be used in atmospheric inversions of the same
14 temporal resolution.”

15 Page 9414 line 2. “... on the error structure. We note that the current analysis focuses to daily
16 time scale and therefore the error statistics with respect to the estimated spatial and temporal
17 correlation lengths are valid for such scales.”.

18 **Throughout the manuscript, the terms “correlation length” / “correlation time” (approx-**
19 **imately 3τ and $3d$ in the authors’ notation in eqns. 3 and 4) and the terms “e-folding**
20 **time” (τ) and “e-folding correlation length” (d) and their variants are used, but due to**
21 **the number of variations, it is not always clear when the authors are referring to 3τ vs.**
22 **τ , and to $3d$ vs. d . This should be made completely clear throughout to avoid confusion.**
23 **Please also pay close attention to this when comparing your numbers to those from earlier**
24 **studies.**

1 We corrected and we refer to all lengths throughout the revised manuscript as “e-folding
2 correlation lengths” following also the notation from Chevallier et al., (2012).

3 **For the airborne analysis, the authors find correlation lengths of approximately 39 days (3
4 * e-folding time of 13 days, page 9408 line 22). Given that there are only 36 days of data,
5 correlation lengths of much beyond ~18 days (half the maximum separation distance)
6 cannot be reliably identified. This should, at a minimum, be discussed.**

7 We disagree at this point, and argue that e-folding times of 13 days can in fact well be fitted with
8 time series data in which time differences are up to 35 days. This is also obvious from the 95%
9 confidence interval which we added to the paper:

10 page 9408 line 22 “... correlation time of 13 days (range of 10 – 16 days within the 95%
11 confidence interval). Whilst the ...”.

12 **In terms of the overall correlation lags, the authors need to make a fundamental choice as
13 to whether they are trying to represent errors at synoptic scales, or errors at seasonal
14 scales. While the numbers that come out of their analysis represent errors at the seasonal-
15 scale, it is important to note that this means that they are assuming that errors at the
16 synoptic scale are very highly correlated. This may not be a valid assumption. Although I
17 understand how these numbers come out of the analysis as it has been designed, some
18 thought should be given to whether these are indeed the scales that are relevant to
19 whatever atmospheric inversions the authors have in mind**

20 This is obviously a misunderstanding. We did not intend to estimate the error structure at
21 synoptic scales but rather to study if the error structure has a seasonal dependence. We have
22 made the manuscript more clear by adding:

23 Page 9404 line 8. “... observations was applied. We note that we do not intend to investigate the
24 errors at the seasonal scale but rather to study if different seasons trigger different error
25 correlation structures. “

26 **p. 9396 lines 11-12 This statement is not entirely correct. Objective approaches were
27 proposed earlier by Michalak et al. (2004, 2005), and have been applied in a number of
28 studies since. The authors distinguish the Michalak et al. (2004) study as applying a
29 “geostatistical” approach, but fundamentally both inversion approaches rely on
30 characterizing the statistical characteristics of prior errors. I note that the Michalak et al.
31 (2005) study was also for a classical Bayesian approach.**

32 We agree and clarified: “This is because only recently an objective approach to define prior
33 uncertainties based on mismatch between modeled and observed fluxes has been developed
34 (Chevallier et al., 2006 and 2012).”

1 - **Airborne flux observations: 10km spatial windows, but no indication of the “width” of the**
2 **window (p. 9402 line 6), i.e. 10km x ?km.**

3 The width of the windows was indeed computed with footprint modeling. Each individual flux
4 determination the footprint distance depends on atmospheric conditions and extends upwind the
5 measurement transect. On average for the entire campaign, a peak footprint distance was
6 computed at 514 m, while the 90% footprint distance (i.e including 90% of observed flux) was
7 computed at 3.9 km.

8 Page 9402 first paragraph. We added: “Footprint areas of aircraft fluxes were computed with the
9 analytical model of Hsieh et al. (2000) yielding an average footprint width containing 90% of the
10 flux of 3.9 km. Averaging also over the different wind directions (perpendicular or parallel to the
11 flight direction), and taking into account the 10 km length of the segments, the area that the
12 aircraft flux data corresponds to, is around $23.5 \text{ km}^2 \pm 12 \text{ km}^2$.”

13 **p. 9402 lines 5-7: I disagree with this statement. Even if the aircraft observations were**
14 **“grouped” into 10km segments, this still does not match the VPRM grid, as the airborne**
15 **segments are not representative of a 10km “width,” just “length” along the flight path.**

16 The reviewer is correct. This recalls to the footprint analysis comment. 90% footprint width was
17 computed at 3.9 km thus fluxes are not representative of entire VPRM grid-cells, but still the 10-
18 km grouping is the best strategy adoptable.

19 Page 9402 first paragraph. We corrected: “Aircraft NEE data, natively at 2 km resolution along
20 the track, have been aggregated into 10 km segments, to maximize the overlap with the VPRM
21 grid, obtaining 6 grid points in forest transects and 8 in agricultural land transects.”.

22 **p. 9403 eqn. 3 and associated text: A nugget parameter would typically be defined as one**
23 **minus alpha in the notation used by the authors, as it represents the portion of the**
24 **variability that is not spatially (or temporally) correlated.**

25 We corrected “(1-a)” Equation 3.

26 **p. 9406 line 13-18: I wonder whether the better correlations at the site scale are**
27 **simply due to the fact that the models and towers agree as to the overall seasonality of the**
28 **fluxes. A more representative analysis might be to calculate the correlations after**
29 **removing an average seasonality.**

30 We did the analysis again with deseasonalized timeseries. For that we fit a 2-rank sinusoidal
31 equation to the flux data and we subtract it from them. This results to the following correlation
32 values for VPRM1, VPRM10, ORCHIDEE and 5PM respectively:

33 All site correlations: 0.12, 0.10, 0.06, 0.14

34 And for site scale: 0.18, 0.18, 0.16, 0.22

1 Page 9406 line 15. We clarified by adding: "... and 5PM, respectively. Note that for
2 deseasonalized time-series (using a 2nd order harmonic, not shown) the same picture emerges
3 with increased averaged site specific correlation compared to correlations using all sites. This
4 indicates better performance for the models to simulate temporal changes (not only seasonal, but
5 also synoptic) at the site level."

6