

Supplementary for: **A mechanistic model of an upper bound on oceanic carbon export as a function of mixed layer depth and temperature**

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## 1. Derivation of first and second derivatives of $NCP(0, MLD)$

To explore how  $NCP(0, MLD)$  varies with  $C$ , we calculate its first and second derivatives with respect to  $C$ . Based on equations (8-10):

$$\begin{aligned}
 & \frac{dNCP(0, MLD)}{dC} \\
 &= \frac{d \left\{ -N_m \times \mu_{max} \times \frac{\ln \left( \frac{I_0 \times e^{-K_I \times MLD} + k_m^I}{I_0 + k_m^I} \right) \times C}{K_I} \right\}}{dC} - \frac{d\{r_{HR} \times C \times MLD\}}{dC} \\
 &= -N_m \times \mu_{max} \\
 & \times \frac{\left\{ \ln \left( \frac{I_0 \times e^{-K_I \times MLD} + k_m^I}{I_0 + k_m^I} \right) - C \times \frac{I_0 + k_m^I}{I_0 \times e^{-K_I \times MLD} + k_m^I} \times \frac{I_0 \times e^{-K_I \times MLD}}{I_0 + k_m^I} \times k_c \times MLD \right\} \times K_I - k_c \times C \times \ln \left( \frac{I_0 \times e^{-K_I \times MLD} + k_m^I}{I_0 + k_m^I} \right)}{K_I^2} \\
 & - r_{HR} \times MLD \\
 &= -N_m \times \mu_{max} \times \frac{\{-K_I \times I_m(0, MLD) - C \times I_m(MLD) \times k_c \times MLD\} \times K_I + k_c \times C \times K_I \times I_m(0, MLD)}{K_I^2} - r_{HR} \times MLD \\
 &= N_m \times \mu_{max} \times \frac{K_I \times I_m(0, MLD) + k_c \times C \times I_m(MLD) \times MLD - k_c \times C \times I_m(0, MLD)}{K_I} - r_{HR} \times MLD \\
 &= N_m \times \mu_{max} \times \frac{K_I \times I_m(0, MLD) - k_c \times C \times I_m(0, MLD) + k_c \times C \times MLD \times I_m(MLD)}{K_I} - r_{HR} \times MLD \\
 &= N_m \times \mu_{max} \times \frac{K_I^w \times I_m(0, MLD) + k_c \times C \times MLD \times I_m(MLD)}{K_I^w + k_c \times C} - r_{HR} \times MLD \quad (S1)
 \end{aligned}$$

where  $I_m(MLD) = \frac{I_0 \times e^{-K_I \times MLD}}{I_0 \times e^{-K_I \times MLD} + k_m^I}$ .

Based on equation (S1), the second derivative of  $NCP(0, MLD)$  in equation (8) with respect to  $C$  may be expressed as follows:

$$\frac{d^2 NCP(0, MLD)}{dC^2} = N_m \times \mu_{max} \times \left\{ \frac{dy}{dC} + \frac{dg}{dC} \right\} \quad (S2)$$

where  $y = \frac{K_I^w \times I_m(0, MLD)}{K_I} = -\frac{K_I^w \times \ln \left( \frac{I_0 \times e^{-K_I \times MLD} + k_m^I}{I_0 + k_m^I} \right)}{K_I^2}$  and  $g = \frac{k_c \times C \times MLD \times I_m(MLD)}{K_I}$ .

$\frac{dy}{dC}$  and  $\frac{dg}{dC}$  are derived as follows:

$$\begin{aligned}
\frac{dy}{dC} &= -K_I^w \times \frac{\frac{I_0 + k_m^I}{I_0 \times e^{-K_I \times MLD} + k_m^I} \times \frac{I_0 \times e^{-K_I \times MLD}}{I_0 + k_m^I} \times (-k_c \times MLD) \times K_I^2 - \ln\left(\frac{I_0 \times e^{-K_I \times MLD} + k_m^I}{I_0 + k_m^I}\right) \times 2 \times K_I \times k_c}{K_I^4} \\
&= -K_I^w \times \frac{-I_m(MLD) \times MLD \times K_I^2 + I_m(0, MLD) \times 2 \times K_I^2}{K_I^4} \times k_c \\
&= K_I^w \times \frac{I_m(MLD) \times MLD - 2 \times I_m(0, MLD)}{K_I^2} \times k_c \quad (S3)
\end{aligned}$$

$$\frac{dg}{dC}$$

$$\begin{aligned}
&= \frac{-k_c \times C \times MLD \times I_m(MLD) \times k_c + k_c \times MLD \times I_m(MLD) \times K_I}{K_I^2} \\
&+ \frac{k_c \times C \times MLD \times \frac{I_0 \times e^{-K_I \times MLD} \times (-k_c \times MLD) \times \{I_0 \times e^{-K_I \times MLD} + k_m^I\} - I_0 \times e^{-K_I \times MLD} \times I_0 \times e^{-K_I \times MLD} \times (-k_c \times MLD)}{\{I_0 \times e^{-K_I \times MLD} + k_m^I\}^2} \times K_I}{K_I^2} \\
&= \frac{k_c \times MLD \times I_m(MLD) \times K_I + k_c \times C \times MLD \times \frac{I_0 \times e^{-K_I \times MLD} \times (-k_c \times MLD) \times k_m^I}{\{I_0 \times e^{-K_I \times MLD} + k_m^I\}^2} \times K_I - k_c^2 \times C \times MLD \times I_m(MLD)}{K_I^2} \\
&= \frac{k_c \times MLD \times I_m(MLD) \times K_I + k_c \times C \times MLD \times \frac{I_m(MLD)^2 \times (-k_c \times MLD) \times k_m^I}{I_0 \times e^{-K_I \times MLD}} \times K_I - k_c^2 \times C \times MLD \times I_m(MLD)}{K_I^2} \\
&= \frac{MLD \times I_m(MLD) \times K_I + k_c \times C \times MLD \times \frac{-I_m(MLD)^2 \times MLD \times k_m^I}{I_0 \times e^{-K_I \times MLD}} \times K_I - k_c \times C \times MLD \times I_m(MLD)}{K_I^2} \times k_c \\
&= \frac{MLD \times I_m(MLD) \times K_I - k_c \times C \times MLD \times I_m(MLD)}{K_I^2} \times k_c - \frac{k_c \times C \times MLD \times \frac{I_m(MLD)^2 \times MLD \times k_m^I}{I_0 \times e^{-K_I \times MLD}} \times K_I}{K_I^2} \times k_c \\
&= \frac{MLD \times I_m(MLD) \times K_I^w}{K_I^2} \times k_c - \frac{MLD^2 \times C \times I_m(MLD)^2 \times k_m^I}{K_I \times I_0 \times e^{-K_I \times MLD}} \times k_c^2 \quad (S4)
\end{aligned}$$

Substituting equations (S3-S4) into equation (S2) yields:

$$\begin{aligned}
& \frac{d^2 NCP(0, MLD)}{dC^2} \\
&= N_m \times \mu_{max} \times \left\{ K_I^w \times \frac{I_m(MLD) \times MLD - 2 \times I_m(0, MLD)}{K_I^2} \times k_c + \frac{MLD \times I_m(MLD) \times K_I^w}{K_I^2} \times k_c \right. \\
&\quad \left. - \frac{MLD^2 \times C \times I_m(MLD)^2 \times k_m^l}{K_I \times I_0 \times e^{-K_I \times MLD}} \times k_c^2 \right\} \\
&= N_m \times \frac{\mu_{max}}{K_I} \times k_c \times \left\{ \frac{2 \times K_I^w}{K_I} \times (I_m(MLD) \times MLD - I_m(0, MLD)) - \frac{MLD^2 \times C \times I_m(MLD)^2 \times k_m^l}{I_0 \times e^{-K_I \times MLD}} \times k_c \right\} \quad (S5)
\end{aligned}$$

## 2. NCP upper bound for shallow MLD

When  $0 \leq MLD < MLD_{C_{max}^*}$  and  $MLD \rightarrow 0$ ,  $1 - \exp(-K_I \times MLD)$  in equation (15) can be approximated using a second order of Taylor expansion:

$$1 - \exp(-K_I \times MLD) \approx K_I \times MLD - \frac{1}{2} \times (K_I \times MLD)^2 \quad (S6)$$

From equation (S6), we may approximate equation (15):

$$NCP(0, MLD) = C \times MLD \times \left( -\frac{1}{2} \times K_I \times MLD \times \mu^* + \mu^* - r_{HR} \right) \quad (S7)$$

where the first derivative of equation (S7) with respect to  $C$  is:

$$\frac{dNCP(0, MLD)}{dC} = MLD \times \left( -K_I^{nw} \times MLD \times \mu^* - \frac{1}{2} \times K_I^w \times MLD \times \mu^* + \mu^* - r_{HR} \right) \quad (S8)$$

when  $0 \leq MLD < MLD_{C_{max}^*}$ ,  $K_I^{nw}$  should satisfy  $K_I^{nw} \leq k_c \times C_{max}^* < -\frac{1}{2} \times K_I^w + \frac{\mu^* - r_{HR}}{\mu^*} \times \frac{1}{MLD}$ , and equation (S8) should be greater than 0.  $NCP(0, MLD)$  thus increases with  $C$  in the range of  $0 \leq MLD < MLD_{C_{max}^*}$ , with an upper bound obtained at  $C_{max}^*$ :

$$NCP^* = \mu^* \times C_{max}^* \times MLD \times \left( -\frac{1}{2} \times (k_c \times C_{max}^* + K_I^w) \times MLD + \frac{\mu^* - r_{HR}}{\mu^*} \right) \quad (S9)$$

Over this range, Equation (S9) states that  $NCP^*$  increases with  $MLD$ , and as expected is nil when  $MLD$  equals 0.

## 3. An upper bound on export ratio

The export ratio  $ef$  (equation (24)) is written as follows:

$$ef = \frac{NCP(0, MLD)}{NPP(0, MLD)} = 1 - MLD_{opt} \times \frac{1}{N_m} \times \frac{1}{I_m(0)} \times \frac{r_{HR}}{\mu_{max}} \quad (S10)$$

where  $MLD_{opt} = \frac{K_I \times MLD}{1 - e^{-K_I \times MLD}}$ . The first derivative of  $MLD_{opt}$  with respect to  $K_I \times MLD$  is expressed as:

$$\frac{dMLD_{opt}}{d(K_I \times MLD)} = \frac{1 - \frac{1 + K_I \times MLD}{e^{K_I \times MLD}}}{(1 - e^{-K_I \times MLD})^2} \quad (S11)$$

Because  $e^{K_I \times MLD} > 1 + K_I \times MLD$  for  $K_I \times MLD > 0$ , equation (S11) should be greater than 0

( $\frac{dMLD_{opt}}{d(K_I \times MLD)} > 0$ ). The minimum of  $MLD_{opt}$  approximates to 1 when  $K_I \times MLD \rightarrow 0$ . In addition, terms

$\frac{1}{N_m}$  and  $\frac{1}{I_m(0)}$  in equation (S10) have the minimum of 1. Therefore, equation (S10) has the maximum of

$ef^* = 1 - \frac{r_{HR}}{\mu_{max}} = 1 - \alpha \times e^{(B_T - P_T) \times T}$ , where  $\alpha$  represents an constant,  $B_T = 0.11$  and  $P_T = 0.0633$

for the equation (5) of *Cael and Follows* [2016].

#### 4. Dataset

To test the performance of our upper bound model, we compiled observations of net community production (Table S1) and carbon export in the world's oceans.

##### 4.1 O<sub>2</sub>/Ar Net Community Production

The O<sub>2</sub>/Ar method estimates NCP through a mass balance of biological O<sub>2</sub> in the mixed layer. Because Ar and O<sub>2</sub> have similar temperature dependencies and solubilities [*Craig and Hayward*, 1987], the saturation state of their ratio can partition oxygen concentration due to physical ([O<sub>2</sub>]<sub>phys</sub>) and biological processes ([O<sub>2</sub>]<sub>biol</sub>) [*Cassar et al.*, 2011]:

$$[O_2]_{biol} = [O_2] - [O_2]_{phys} \approx [O_2] - \frac{[Ar]}{[Ar]_{sat}} [O_2]_{sat} = \frac{[Ar]}{[Ar]_{sat}} [O_2]_{sat} \Delta(O_2/Ar) \quad (S12)$$

where  $\Delta(O_2/Ar) = \left[ \frac{([O_2]/[Ar])}{([O_2]/[Ar])_{sat}} - 1 \right]$  is the biological  $O_2$  supersaturation. When ignoring vertical mixing and lateral advection, we can write the mass balance for  $[O_2]_{biol}$  in the mixed layer as follows [Cassar *et al.*, 2011]:

$$MLD \frac{d[O_2]_{biol}}{dt} = NCP - k_{O_2} \frac{[Ar]}{[Ar]_{sat}} [O_2]_{sat} \Delta(O_2/Ar) \quad (S13)$$

where  $k_{O_2}$  is the gas exchange velocity for  $O_2$ . At steady state (i.e.,  $\frac{d[O_2]_{biol}}{dt} = 0$ ), equation (S13) reduces to [Cassar *et al.*, 2011; Reuer *et al.*, 2007]:

$$NCP = k_{O_2} [O_2]_{sat} \Delta(O_2/Ar) \quad (S14)$$

where  $\frac{[Ar]}{[Ar]_{sat}}$  in equation (S13) is assumed to equal 1, which introduces an error of up to a couple percent in NCP estimates under most conditions [Cassar *et al.*, 2011; Eveleth *et al.*, 2014].

To derive NCP using equation (S14), we calculate  $k_{O_2}$  using daily NCEP wind speeds, MLD, the parameterization of Wanninkhof [1992], and a weighting technique to account for wind speed history following [Reuer *et al.*, 2007]. Uncertainties and biases in  $O_2/Ar$  NCP estimates can be found in previous studies [Bender *et al.*, 2011; Cassar *et al.*, 2014; Jonsson *et al.*, 2013].

**Table S1.**  $O_2/Ar$  measurements included in this study.

Citation	Cruise	Start date	End date	Location
[Reuer <i>et al.</i> , 2007]	A0103	10/30/2001	12/10/2001	South of Australia
	SOFEXR	01/07/2002	02/12/2002	South of New Zealand
	SOFEXM	01/20/2002	02/24/2002	South of New Zealand
	NBP0305	10/28/2003	11/13/2003	South of New Zealand
	ANTXXI/2	11/18/2003	01/15/2004	South of South Africa
	NBP0305A	12/20/2003	12/29/2003	South of New Zealand
[Cassar <i>et al.</i> , 2007]	AA2006	12/03/2005	02/09/2006	South of Australia
[Juraneck <i>et al.</i> , 2010]	AMT16	05/22/2005	06/28/2005	Atlantic
	AMT17	10/18/2005	11/25/2005	Atlantic
[Stanley <i>et al.</i> , 2010]	EUC-Fe	07/19/2006	08/31/2006	Equatorial Pacific
[Tortell <i>et al.</i> , 2011]	CORSACS II	11/03/2006	12/11/2006	South of New Zealand
[Cassar <i>et al.</i> , 2011]	SAZ-SENSE	01/19/2007	02/19/2007	South of Australia
[Huang <i>et al.</i> , 2012]	LMG0801	01/07/2008	01/29/2008	Drake Passage
[Hamme <i>et al.</i> , 2012]	GASEX	03/02/2008	04/11/2008	South of Atlantic
[P Martin <i>et al.</i> , 2013]	LOHAFEX	01/26/2009	03/06/2009	South of Atlantic
[Shadwick <i>et al.</i> , 2015]	AA1203	01/08/2012	02/10/2012	South of Australia
[Eveleth <i>et al.</i> , 2016]	LMG1201	12/30/2011	02/07/2012	Drake Passage

	LMG1301	01/05/2013	02/03/2013	Drake Passage
	LMG1401	01/01/2014	02/01/2014	Drake Passage
[Huang <i>et al.</i> , unpublished]	LMG0901	01/06/2009	02/01/2009	Drake Passage
	LMG1001	01/01/2010	02/07/2010	Drake Passage
	LMG1101	01/02/2011	02/06/2011	Drake Passage

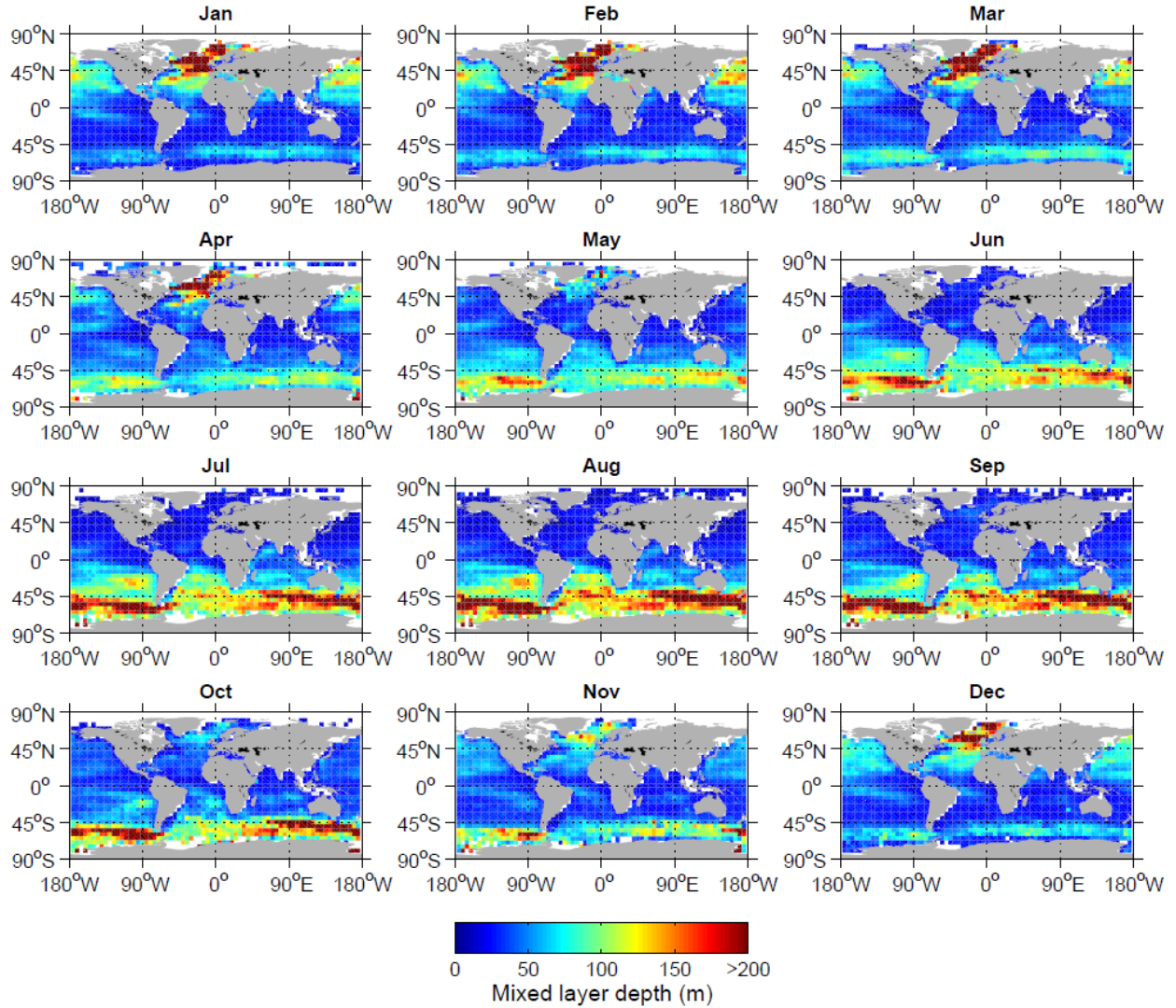
## 4.2 Sediment trap and <sup>234</sup>Thorium POC export production

We also compared  $NCP^*$  to sediment-trap and <sup>234</sup>Th-derived POC export production estimates from the dataset recently compiled by *Mouw et al.* [2016]. These observations were adjusted to reflect a flux at the base of the mixed layer using the Martin curve with  $b = -0.86$  [*J H Martin et al.*, 1987]. Monthly climatological MLD were used.

## 4.3 Mixed layer depth

We derived MLD using Argo temperature-salinity profiling floats which were downloaded from <http://www.usgodae.org/>. As real-time data (after 2008) have not been thoroughly checked, we only used profiles with temperature, salinity, and pressure with a quality flag of ‘1’ (‘good data’) or ‘2’ (‘probably good data’). To improve coverage, we also used the temperature and salinity profiles obtained by CTD casts in the World Ocean Database. These profiles were downloaded from the National Oceanographic Data Center (NODC) <https://www.nodc.noaa.gov/access/index.html>.

MLD is estimated as the depth at which the potential density ( $\sigma_\theta$ ) exceeds a near-surface reference value at 10 m depth by  $\Delta\sigma_\theta = 0.03 \text{ kg m}^{-3}$  [*de Boyer Montegut et al.*, 2004; *Dong et al.*, 2008]. Estimates were averaged to daily  $5^\circ \times 5^\circ$  grids, from which monthly climatologies were calculated (Figure S1).



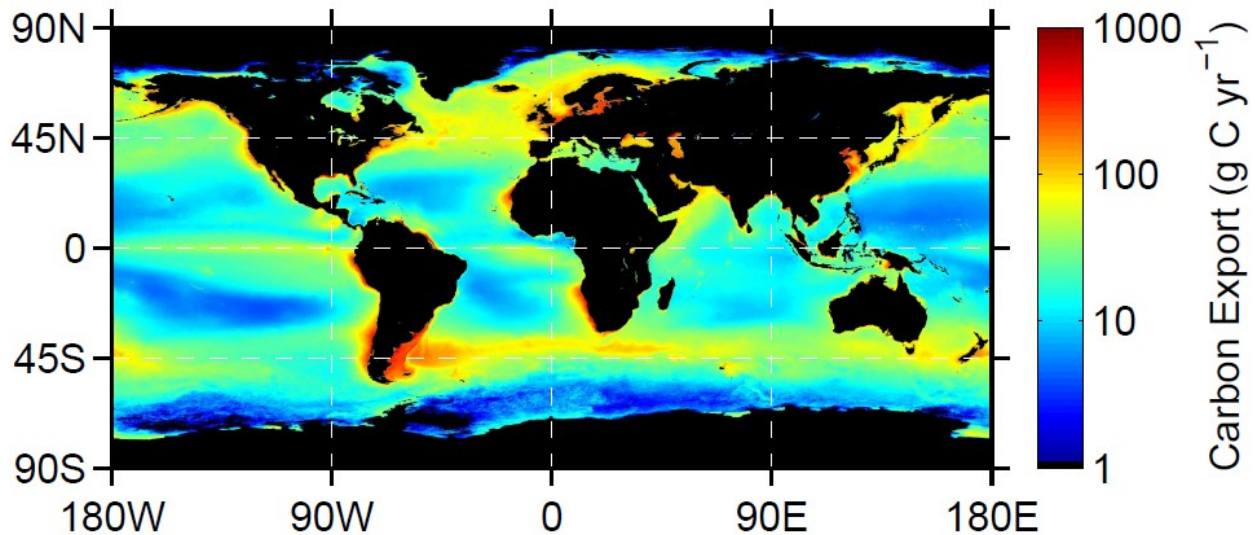
**Figure S1.** Climatology of monthly mixed layer depth.

#### 4.4 Satellite properties

To derive a global distribution of  $NCP^*$ , we used monthly SST and PAR climatologies calculated based on MODIS-Aqua observations from 2002-2015 with a spatial resolution of  $0.083^\circ \times 0.083^\circ$  (downloaded from NASA's ocean color website (<http://oceancolor.gsfc.nasa.gov/cms/>)). We compared  $NCP^*$  to monthly and annual NCP climatologies as simulated by the algorithms developed by *Li and*



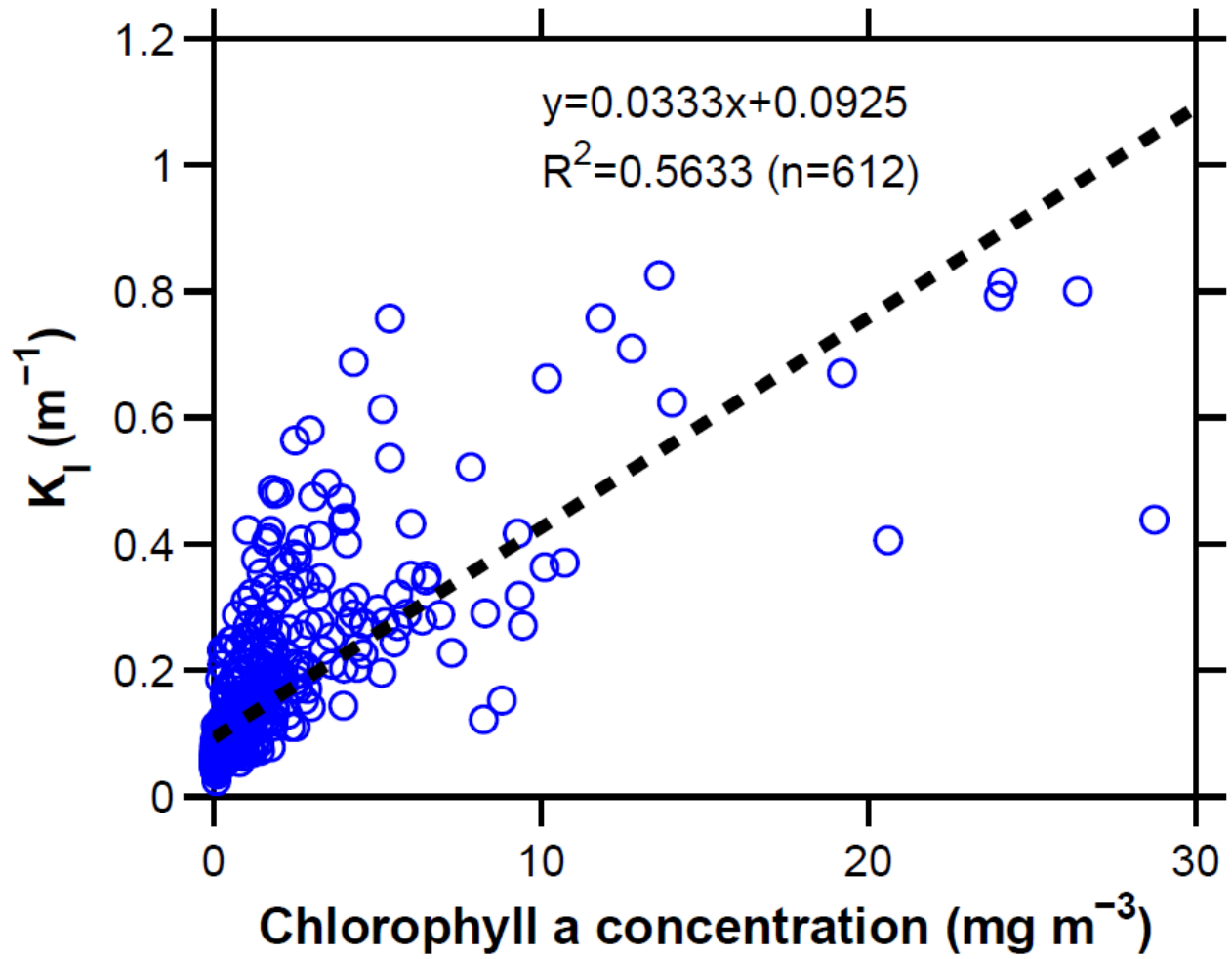
Cassar [2016]. This NCP dataset represents the average of 11 satellite algorithms of export production for observations from 1997 to 2010 (Figure S2). More details can be found in *Li and Cassar* [2016].



**Figure 2S.** Average annual export production derived using 11 algorithms (see Li and Cassar [2016]).

#### 4.5. Diffusion attenuation coefficient for photosynthetically active radiation

Constants  $k_c$  and  $K_I^w$  in equation (10) were derived using the NOMAD dataset [Werdell and Bailey, 2005], which includes chlorophyll a concentration and  $K_I$  (Figure S3). NOMAD was downloaded from <https://seabass.gsfc.nasa.gov/wiki/NOMAD>. The regression in Figure S3 was converted to equation (10) using a carbon to chlorophyll ratio of 90 [Arrigo *et al.*, 2008].



**Figure S3.** Attenuation coefficient for photosynthetically active radiation (PAR) as a function of chlorophyll a concentration based on the NOMAD dataset.

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