



1 **Assimilation of multiple different datasets results in large**
2 **differences in regional to global-scale NEE and GPP budgets**
3 **simulated by a terrestrial biosphere model**

4

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18 **Key Points:**

- 19 • The impact of assimilating different dataset combinations on regional to global scale C budgets
20 is explored with the ORCHIDEE model
- 21 • Assimilating simultaneously multiple datasets is preferable to optimize the values of the model
22 parameters and avoid model overfitting
- 23 • The challenges in optimizing soil C pools using atmospheric CO₂ data are highlighted for an
24 accurate prediction of the land sink distribution

25

26 **Abstract**

27 In spite of the importance of land ecosystems in offsetting carbon dioxide emissions released by
28 anthropogenic activities into the atmosphere, the spatio-temporal dynamics of the carbon fluxes
29 remain largely uncertain at regional to global scales. Over the past decade, Data Assimilation (DA)
30 techniques have grown in importance for improving these fluxes simulated by Terrestrial Biosphere
31 Models (TBMs), by optimizing model parameter values while also pinpointing possible
32 parameterization deficiencies. Although the joint assimilation of multiple data streams is expected to



33 constrain a wider range of model processes, their actual benefits in terms of reduction in model
34 uncertainty are still under-researched, also given the technical challenges. In this study, we
35 investigated with a consistent DA framework and the ORCHIDEE-LMDz TBM-atmosphere model how
36 the assimilation of different combinations of data streams may result in different regional to global
37 carbon budgets. To do so, we performed comprehensive DA experiments where three datasets (*in*
38 *situ* measurements of net carbon exchange and latent heat fluxes, space-borne estimates of the
39 Normalized Difference Vegetation Index, and atmospheric CO₂ concentration data at stations) are
40 assimilated alone or simultaneously. We thus evaluated their complementarity and usefulness to
41 constrain net and gross C fluxes. We found that a major challenge in improving the spatial
42 distribution of the land sinks/sources with atmospheric CO₂ data relates to the correction of the
43 initial carbon stocks.

44

45 **1 Introduction**

46

47 The dramatic increase of atmospheric CO₂ concentrations recorded in the last half-century has grown
48 awareness on the determining impact of human activities on climate. Taking up about one third of
49 the carbon dioxide from the atmosphere, the terrestrial biosphere plays a key role in regulating CO₂
50 emissions released by anthropogenic activities (fossil fuel emissions, land use and land cover change)
51 (Friedlingstein et al., 2020). Quantifying variations in the distribution and intensity of carbon
52 sources/sinks from year to year remains a challenge given the complexity of the processes involved
53 and what we can learn from observations. By formalizing current knowledge of the main processes
54 governing the functioning of vegetation into numerical representations, terrestrial biosphere models
55 (TBMs) have grown in importance for studying the spatio-temporal dynamics of net and gross land
56 surface carbon (C) fluxes from the local to the global scales. However, the large spread in their
57 simulated regional to global scale C fluxes for the present time (Friedlingstein et al., 2020) as well as
58 for future projections (Arora et al., 2020) highlight the remaining uncertainties in our understanding
59 and prediction of the fate and role of the biosphere under climate change and anthropogenic
60 pressure.

61

62 Over the past decade, the parameter uncertainty in TBMs has increasingly been reduced thanks to
63 statistical data assimilation (DA, also referred to as model-data fusion) frameworks, benefiting from
64 the experience gained in other fields of Earth and Environmental sciences (geophysics, weather
65 forecasting, hydrology, oceanography, etc.). DA technique enables optimizing the model parameters
66 using relevant target observations, while taking into account both observational and modelling



67 uncertainties. DA does not only enable improving the model parameters but can also help
68 pinpointing model deficiencies (Luo et al., 2012). The importance of DA as a key component of
69 terrestrial biosphere carbon cycle modelling is reflected by the diversity of DA systems in the global
70 TBM communities. Since the first global scale Carbon Cycle Data Assimilation System (CCDAS)
71 (Kaminski et al., 2002; Rayner et al., 2005) developed for the Biosphere Energy-Transfer Hydrology
72 (BETHY) model, other modelling groups have developed global scale carbon cycle DA systems, in
73 particular for ORCHIDEE (ORganizing Carbon and Hydrology In Dynamic EcosystEms model) (Santaren
74 et al., 2007; Peylin et al., 2016), JULES (Joint UK Land Environment Simulator) (Raoult et al. (2016)),
75 JSBACH (Schürmann et al. (2016)), or CLM (Community Land Model) (Fox et al., 2018).

76
77 Within a DA framework, ground-based measurements of eddy-covariance fluxes at a local scale
78 (Wang et al., 2001; Knorr and Kattge, 2005; Sacks et al., 2007; Williams et al., 2009; Groenendijk et al.,
79 2011; Kuppel et al., 2012) have been widely used to constrain net and gross CO₂ fluxes and latent
80 heat flux. Moreover, remote sensing proxies of vegetation activities, such as raw reflectance data
81 (Quaife et al., 2008), vegetation indices (Migliavacca et al., 2009; MacBean et al., 2015), or FAPAR -
82 fraction of absorbed photosynthetically active radiation (Stöckli et al., 2008; Zobitz et al., 2014; Forkel
83 et al., 2014; Bacour et al., 2015), have also been used to constrain the model parameters at various
84 spatial scales. Finally, atmospheric CO₂ mole fraction measurements have been assimilated to
85 provide valuable information on large-scale net ecosystem exchange (NEE) (Rayner et al., 2005; Koffi
86 et al., 2012).

87
88 In the early days of DA studies, most focused on the assimilation of a single data stream (e.g., only
89 NEE). Then, assimilations with multiple different C cycle related datasets have soon been considered
90 (Moore et al., 2008; Richardson et al., 2010; Ricciuto et al., 2011; Keenan et al., 2013; Thum et al.,
91 2017; Knorr et al., 2010; Kaminski et al., 2012; Kato et al., 2013; Bacour et al., 2015; Peylin et al.,
92 2016). The underlying motivation behind assimilating multiple data streams is that using a greater
93 number and diversity of observations should provide stronger constraints on model parameters,
94 including a wider range of processes, hence resulting in a greater reduction in model uncertainty.
95 However, many previous studies that assimilated multiple datasets hardly considered potential
96 incompatibilities between the model and the observations (Bacour et al., 2015; Thum et al., 2017).
97 Besides, a few have quantified the actual benefit of assimilating multiple data-sets compared to the
98 single data stream assimilations, in particular in the context of global scale C cycle DA experiments.

99 The assimilation of multiple data streams can be done either sequentially, in which one observation
100 type is assimilated at a time, or simultaneously (joint assimilation approach or “batch” strategy as
101 defined in Raupach et al., 2005), where the model is calibrated with all data included in the same



102 optimization (e.g. Richardson et al., 2010; Kaminski et al., 2013; Schürmann et al., 2016). While the
103 latter joint assimilations are more optimal as it maximizes the consistency of the model with the
104 whole of the datasets considered (Richardson et al., 2010), sequential approaches remain appealing
105 for modelers: They require less initial technical investment and enable easier assessment of the
106 impact of the data stream assimilated successively onto the optimized variables. Both approaches
107 however face similar challenges, like defining the model-data uncertainty and hence the weight of
108 that each dataset has on the optimization outcome (see, e.g., Richardson et al., 2010; Keenan et al.,
109 2013; Kaminski et al., 2012; Bacour et al., 2015; Thum et al., 2017; Peylin et al., 2016). Another major
110 challenge, as highlighted by MacBean et al. (2016), concerns inconsistencies between observations
111 and model outputs, which are usually not accounted for in common bias-blind (Dee, 2005) Bayesian
112 DA systems relying on the hypothesis of Gaussian errors. Indeed, most studies do not attempt to
113 identify systematic errors in the observations and/or in the model and to correct for them. The likely
114 impact of model-data biases on the parameter optimization is then a degraded model performance
115 as well as an illusory decrease in the estimated model uncertainty (Wutzler and Carvalhais, 2014;
116 MacBean et al., 2016; Bacour et al., 2019).

117

118 The present study aims to go a step forward in the assessment of how assimilating multiple different
119 C cycle related data streams impacts the constraint on net and gross CO₂ flux simulations at the
120 global scale. To do so, we further advance from the sequential assimilation of Peylin et al. (2016)
121 (referred to as “stepwise” approach hereafter) by implementing a simultaneous assimilation
122 framework with the same data streams: net carbon fluxes (net ecosystem exchange – NEE) and
123 latent heat fluxes (LE) measured at eddy covariance sites across different ecosystems, satellite
124 derived Normalized Difference Vegetation Index (NDVI) at coarse resolution for a set of pixels
125 spanning the main deciduous vegetation types, and monthly atmospheric CO₂ concentration data
126 measured at surface stations worldwide. The study relies on the DA framework designed for the
127 ORCHIDEE global vegetation model (Krinner et al., 2005), here associated to a simplified version of
128 the LMDz atmospheric transport model (Hourdin et al., 2006) based on pre-calculated transport
129 fields for assimilating atmospheric CO₂ concentration data. ORCHIDEE and LMDz are the terrestrial
130 and atmospheric components of the IPSL Earth System Model (Dufresne et al., 2013). As a
131 preliminary step, we tuned prior and observation error statistics: we enhanced their realism by
132 making them consistent with the differences between prior model simulations and observations. We
133 then conducted different assimilation experiments in which each data stream was assimilated alone
134 on in combination (for all combinations of datasets) to assess what the impact of each assimilation
135 experiment was on: a) the fit to each dataset (including datasets included and excluded from the
136 assimilations); b) on the resultant regional to global scale gross and net CO₂ flux budget (NEE and



137 GPP); and c) on the optimized parameter values and uncertainties. We complemented our analysis
138 by comparing our regional to global scale C budgets with independent process-based model and
139 atmospheric inversion estimates from the Global Carbon Project's 2020 Global Carbon Budget
140 (Friedlingstein et al., 2020).

141 We completed our assessment of the impact of each assimilation scenario by quantifying the
142 observation influence of each of the three data streams on the joint assimilation in which all three
143 datasets were included in the optimization. By determining the overall constraint brought by each
144 data set on the inversion, this final analysis allowed us to highlight the importance of atmospheric
145 CO₂ data in the optimisation of soil C pools despite the smaller number of observations assimilated.
146 Throughout the presentation of the results, we discuss implications of each assimilation experiment
147 on our ability to accurately constrain gross and net CO₂ fluxes. In the final section we propose some
148 perspectives for other modeling groups wishing to implement global scale parameter DA systems to
149 constrain regional to global scale C budgets.

150

151 **2 Materials and methods**

152 **2.1 Models**

153 **2.1.1 ORCHIDEE**

154 Model description

155 ORCHIDEE is a spatially explicit process-based global TBM (Krinner et al. 2005) that calculates the
156 fluxes of carbon dioxide, water and heat, between the biosphere and the atmosphere, as well as the
157 soil water budget. The temporal resolution is half an hour except for the slow components of the
158 terrestrial carbon cycle (including carbon allocation in plant reservoirs, soil carbon dynamics, and
159 litter decomposition) which are calculated on a daily basis. The version of ORCHIDEE in this study
160 corresponds to that used in the IPSL model for its contribution to the Climate Model Intercomparison
161 Project 5 (CMIP5) established by the World Climate Research Program (<https://cmip.llnl.gov/>).
162 Vegetation is represented by 13 Plant Functional Types (PFTs) that include bare soil. The processes
163 use the same governing equations for all PFTs, except for the seasonal leaf dynamics (phenology),
164 which follows Botta et al. (2000) (see MacBean et al. (2015) for a full description). The observation
165 operator for NDVI is determined *i*) by assuming a linear relationship between NDVI and FAPAR (as in
166 MacBean et al., 2015) and *ii*) by calculating FAPAR from the simulated LAI based on the classical Beer-
167 Lambert law for the extinction of the direct illumination within the canopy (Bacour et al., 2015). The
168 soil organic carbon is simulated by a CENTURY-type model (Parton et al., 1987) and is partitioned in
169 three pools (slow, passive, active) with different residence times.



170

171 Model Set-up

172 The set-up of the simulations performed with ORCHIDEE depends on the data assimilated. The model
173 is run at site scale for the assimilation of eddy-covariance measurements, at spatial resolution 0.72°
174 for the assimilation of the satellite NDVI data, and at the resolution of the atmospheric transport
175 model LMDz ($3.75^\circ \times 2.5^\circ$) for the assimilation of atmospheric CO_2 measurements. The Olson land
176 cover classification at 5 km is used to derive the PFT fractions at each spatial resolution, but for the
177 flux tower simulations where the proportion of each PFT is set based on expert knowledge. For
178 satellite pixels and global simulations, ORCHIDEE is forced using the 3-hourly ERA-Interim gridded
179 meteorological forcing fields (Dee et al., 2011) (aggregated at $3.75^\circ \times 2.5^\circ$ when assimilating
180 atmospheric CO_2 concentrations). For the flux tower simulations, the model is forced by local
181 measurements of the meteorological variables at a half-hourly time step.

182 For each spatial resolution, a prior spin-up simulation was performed by recycling available forcing
183 data. The objective was to bring the different soil carbon reservoirs to “realistic” values, albeit the
184 spin-up runs result in neutral net carbon flux by construction. Each spin-up simulation was then
185 followed by a transient simulation (starting from the first year of measurement for each data stream)
186 and accounting for the secular increase of atmospheric CO_2 concentrations.

187

188 **2.1.2 LMDz**

189 Model description

190 The study relies on version 3 of the Atmospheric General Circulation Model of the Laboratoire de
191 Météorologie Dynamique (LMDz) (Hourdin et al., 2006) as implemented for the IPSL contribution to
192 CMIP4. In order to save computational time, we used LMDz in the form of a precomputed Jacobian
193 matrix at a set of CO_2 measurement stations (§2.2.3) (see details in Peylin et al., 2016).

194

195 Model set-up

196 To simulate atmospheric CO_2 concentrations that can be compared to observations, the transport
197 model has to be forced not only by terrestrial biospheric fluxes (calculated by ORCHIDEE), but also by
198 other natural (e.g. ocean) and anthropogenic CO_2 fluxes. We imposed a net emission due to land use
199 change (i.e. deforestation) of $1.1 \text{ GtC}\cdot\text{yr}^{-1}$ although we also accounted for a larger flux from biomass
200 burning but compensated partly by forest regrowth (see Peylin et al. (2016) for more details). The
201 global maps of biomass burning emissions were taken from the Global Fire Emission Database
202 version 3 dataset (Van der Werf et al., 2006; Randerssen et al., 2013) over the period 1997–2010 at a
203 monthly time step and gridded at $0.5^\circ \times 0.5^\circ$ resolution. The global fossil fuel CO_2 emission products



204 used here were developed by University of Stuttgart/IER based on EDGAR v4.2 and were provided at
205 a $0.1^{\circ} \times 0.1^{\circ}$ spatial resolution and at a monthly time scale. The ocean flux component was obtained
206 from a data-driven statistical model based on artificial neural networks that estimated the spatial
207 and temporal variations of the air-sea CO_2 fluxes (Peylin et al., 2016).

208

209 **2.2 Assimilated data**

210 **2.2.1 in situ flux measurements (F)**

211 The NEE and LE measurements come from the FLUXNET global network. We used harmonized,
212 quality-checked and gap-filled data (Level 4) at 68 sites from the La Thuile global synthesis dataset
213 (Papale, 2006). The site location is presented in Figure 1. These ecosystem measurements cover very
214 different time spans, ranging from one single year at some sites up to nine years. They constrain
215 seven PFTs among the twelve natural vegetation types represented in ORCHIDEE: tropical evergreen
216 broadleaf forest – TrEBF (3 sites corresponding to 6 site-years), temperate evergreen needleleaf
217 forest – TeENF (16 sites, 45 sites-years), temperate evergreen broadleaf forest – TeEBF (2 sites, 4
218 site-years), temperate deciduous broadleaf forest – TeDBF (11 sites, 37 site-years), boreal evergreen
219 needleleaf forest – BoENF (12 sites, 44 site-years), boreal deciduous broadleaf forest – BoDBF (3 sites,
220 6 site-years), and C3 grassland – C3GRA (21 sites, 56 site-years). We assimilated daily-mean values of
221 NEE and LE observations, but only when at least 80% of the 48 potential half-hourly data in a day are
222 available.

223 **2.2.2 Satellite products (VI)**

224 The NDVI products considered here are derived from MODIS collection 5 surface reflectance data
225 acquired in the red and near-infrared channels and corrected from the directional effects (Vermote
226 et al. (2009). The daily data at 0.72° spanning the period 2000-2010 already assimilated into
227 ORCHIDEE and described in MacBean et al. (2015) are considered. Five among the six deciduous,
228 non-agricultural, PFTs of ORCHIDEE were optimized in this study: TrDBF - tropical broadleaved rainy
229 green forest, TeDBF, BoDBF, BoDNF – Boreal needleleaf summergreen forest, and C3GRA. C4 grasses
230 and evergreen PFTs were not considered. For each PFT, fifteen 0.72° pixels were selected for
231 assimilation depending on their thematic homogeneity with respect to the considered PFT (fractional
232 coverage above 60%) and consistency between the observed NDVI time series and the prior
233 ORCHIDEE. The location of these satellite pixels is shown in Figure 1.

234



235 **2.2.3 Atmospheric CO₂ measurements (CO₂)**

236 The surface atmospheric CO₂ concentration data come from three databases: The NOAA Earth
237 System Laboratory (ESRL) archive (<ftp://ftp.cmdl.noaa.gov/ccg/co2/>), the CarboEurope IP project
238 (http://ceatmosphere.lsce.ipsl.fr/database/index_database.html), and the World Data Centre for
239 Greenhouse Gases of the World Meteorological Organization Global Atmospheric Watch Programme
240 (<http://gaw.kishou.go.jp>). The data include *in situ* measurements, made by automated quasi-
241 continuous analysers, and air samples collected in flasks and later analyzed at central facilities. In this
242 study, we used monthly-mean values of these measurements (Peylin et al., 2016). Ten years of
243 observations over the 2000-2009 period were used from a total of 53 stations located around the
244 world (Figure 1).

245

246 **2.3 Assimilation methodology**

247 **2.3.1 Data assimilation framework**

248 The ORCHIDEE model data assimilation system (ORCHIDAS) has been described in previous studies
249 regarding the assimilation of these data streams alone (Kuppel et al., 2012; Santaren et al., 2014;
250 MacBean et al., 2015; Bastrikov et al., 2018) or their combinations (Bacour et al., 2015; Peylin et al.,
251 2016). The assimilation system relies on a Bayesian framework that optimizes ORCHIDEE parameters
252 gathered in a vector \mathbf{x} , by finding the minimum of a global misfit function $J(\mathbf{x})$. $J(\mathbf{x})$ is a linear
253 combination of the misfit functions associated with each data stream. It is assumed that the errors of
254 observations and on the model parameters are Gaussian and that the data streams errors are
255 independent from each other:

256

$$257 \quad J(\mathbf{x}) = \frac{1}{2} [(H_{LMDz} \circ H_{ORCH}(\mathbf{x}) - \mathbf{y}^{CO_2})^t \cdot \mathbf{R}_{CO_2}^{-1} \cdot (H_{LMDz} \circ H_{ORCH}(\mathbf{x}) - \mathbf{y}^{CO_2}) + \quad (1) \\ (H_{ORCH}(\mathbf{x}) - \mathbf{y}^F)^t \cdot \mathbf{R}_F^{-1} \cdot (H_{ORCH}(\mathbf{x}) - \mathbf{y}^F) + \\ (H_{ORCH}(\mathbf{x} - \mathbf{y}^{VI}))^t \cdot \mathbf{R}_{VI}^{-1} \cdot (H_{ORCH}(\mathbf{x}) - \mathbf{y}^{VI}) + \\ \boldsymbol{\chi}^t \cdot \boldsymbol{\chi}]$$

257

258 where \mathbf{y}^o are the observation vectors (with $o = F$ (flux), VI (satellite NDVI), or CO_2 (concentration));
259 H_{ORCH} and H_{LMDz} are the observational operators of the ORCHIDEE and LMDz models, respectively. \mathbf{R}^o
260 is the error covariance matrix characterizing the observation errors with respect to the model
261 (therefore including the uncertainty in the model structure) associated to data stream o . The
262 dimensionless control vector $\boldsymbol{\chi}$ quantifies the distance between the values of the optimized
263 parameters and the corresponding prior information \mathbf{x}^b : $\boldsymbol{\chi} = \mathbf{B}^{-1/2} \cdot (\mathbf{x} - \mathbf{x}^b)$, where \mathbf{B} is the
264 associated *a priori* error covariance matrix.



265 We use the gradient-based L-BFGS-B algorithm (Byrd et al., 1995; Zhu et al., 1997) to minimize $J(\mathbf{x})$
266 iteratively. It accounts for bounds in the parameter variations. The algorithm requires the gradient of
267 the misfit function as an input in order to explore the parameter space:

268

$$\begin{aligned} \nabla_{\mathbf{x}} J(\mathbf{x}) = & \mathbf{H}_{\text{ORCH}}^{\text{CO}_2}{}^t \cdot \mathbf{H}_{\text{LMDz}}{}^t \cdot \mathbf{R}_{\text{CO}_2}^{-1} \cdot (H_{\text{LMDz}} \circ H_{\text{ORCH}}(\mathbf{x}) - \mathbf{y}^{\text{CO}_2}) + \\ & \mathbf{H}_{\text{ORCH}}^{\text{F}}{}^t \cdot \mathbf{R}_{\text{F}}^{-1} \cdot (H_{\text{ORCH}}(\mathbf{x}) - \mathbf{y}^{\text{F}}) + \\ & \mathbf{H}_{\text{ORCH}}^{\text{S}}{}^t \cdot \mathbf{R}_{\text{VI}}^{-1} \cdot (H_{\text{ORCH}}(\mathbf{x}) - \mathbf{y}^{\text{VI}}) + \\ & \mathbf{B}^{-1/2} \cdot \boldsymbol{\chi} \end{aligned} \quad (2)$$

269

270 The calculation of uses the Jacobian matrix of ORCHIDEE associated to each data stream,
271 $\mathbf{H}_{\text{ORCH}}^{\circ}$ (assuming local linearity of the model), and that of LMDz. For most of ORCHIDEE
272 parameters, is calculated thanks to the tangent linear model of ORCHIDEE obtained by automatic
273 differentiation using the TAF tool (Giering et al., 2005); however, for a few parameters involved in
274 threshold conditions of the model processes, especially related to phenology, we use a finite
275 difference method.

276

277 After optimization, the posterior error covariance matrix \mathbf{A} (for “analysis”) of the optimized
278 parameters can be calculated as a function of the Jacobian matrix associated to the gradients of the
279 model outputs with respect to the parameters at the solution for each data stream:

280

$$\mathbf{A} = \left[\sum \mathbf{H}_{\circ}^{\infty}{}^t \cdot \mathbf{R}_{\circ}^{-1} \cdot \mathbf{H}_{\circ}^{\infty} + \mathbf{B}^{-1} \right]^{-1} \quad (3)$$

281

282 It is computed under the hypothesis of model linearity in the vicinity of the solution. The square root
283 of the diagonal elements of \mathbf{B} or \mathbf{A} correspond to the standard deviation σ on model parameters.

284 **2.3.2 Parameters to be optimized**

285

286 We chose to optimize a limited set of carbon-cycle related parameters of ORCHIDEE as a result of
287 preliminary sensitivity analyses and past DA studies. A short definition of these parameters that
288 mostly control photosynthesis, phenology and respiration, is provided in Table 1, while their
289 associated prior values, bounds and uncertainty are documented in Supplementary Table S3. More
290 comprehensive descriptions of their role in the model processes are provided in Kuppel et al. (2012)
291 and MacBean et al. (2015). The size of soil carbon pools drives the magnitude of the net carbon
292 fluxes exchanged with the atmosphere to a large extent and is closely related to the land use history.



293 Given that we do not have access to that information, neither at the site scale (for assimilation of
294 NEE measurements) nor at the global scale (for assimilation of atmospheric CO₂ concentrations), we
295 use a steady state assumption where ORCHIDEE has been brought to near equilibrium with a long
296 spin-up of the soil carbon pools. To correct for this bias, the initial state of the soil carbon reservoirs
297 is optimized using a multiplicative parameter of both the slow and passive pools as in Peylin et
298 al.(2016). Two multiplicative parameters are used depending on the type of data considered (and
299 their associated spatial scale): for *in situ* flux measurements, we considered site-specific parameters
300 $K_{soilC,site}$; for atmospheric CO₂ concentration data, instead of resolving the initial conditions for all grid
301 cells we scaled the carbon pools for 30 large scale regions $K_{soilC,reg}$. Note that having correct soil
302 carbon pools is less important when assimilating satellite NDVI data because these are more closely
303 related to carbon uptake rather than net carbon flux. In total, up to 182 parameters are optimized
304 depending on the data streams considered.

305

306 The prior values x^b of the parameters are set to the standard values of ORCHIDEE (Supplementary
307 Table S3). Not all parameters are constrained by all three data streams. In particular, satellite
308 FAPAR/NDVI products inform the timing of phenology of plant vegetation (start and end of the
309 growing season) rather than on photosynthesis or respiration with our DA system (Bacour et al., 2015;
310 MacBean et al., 2015). The dependency of each parameter with respect to the assimilated data
311 streams is indicated in Table 1.

312

313 **2.3.3 Data assimilation experiments**

314 Different data assimilation experiments were tested in order to understand the respective constraint
315 brought by each data stream and evaluate their compatibility with each other and with the model.
316 First, each data stream was assimilated separately and then its combinations with the other two
317 were considered. Second, the three data streams are assimilated altogether. The various
318 experiments are described in Table 2 with the number of data points assimilated and the number of
319 parameters optimized. Indeed, the number of optimized parameters differs with the type of data
320 assimilated as described in §3.2 and in Table 1. The assimilations have a high computational cost,
321 with an average value for joint assimilations using all three data streams of about 50,000 hr Central
322 Processing Unit time on AMD Rome compute nodes at 2.6 GHz with 256 GB memory per node.

323 Two assimilation experiments combining the three data streams were tested: one experiment
324 (F+VI+CO₂) with all parameters optimized in a single step; and an additional experiment following a
325 2-step optimization (F+VI+CO₂-2steps), as described hereafter. In the first step, the global soil carbon
326 reservoirs are constrained by assimilating atmospheric CO₂ data only, and optimizing the two main



327 parameters controlling soil respiration, $K_{soil}C_{reg}$ and Q_{10} . In the second step, all parameters but
328 $K_{soil}C_{reg}$ were optimized from the three data streams: $K_{soil}C_{reg}$ was retained from the first step and
329 Q_{10} was optimized but the prior uncertainty for Q_{10} for the second step corresponded to the
330 posterior uncertainty derived from the first step. We did this to correct for the initialisation of the
331 soil carbon pools following model spin-up; the motivations and implications of the two assimilations
332 experiments are further discussed in the result and discussion sections.

333

334 The results of these assimilations were compared to the companion study of Peylin et al. (2016) in
335 which the same data streams were assimilated in a sequential/stepwise approach: NDVI data were
336 assimilated first, then *in situ* flux measurements, and finally atmospheric CO_2 concentration
337 measurements. In addition, there are a few differences in the set-up compared to the present study,
338 in particular the use of only three years of atmospheric CO_2 data (cf. details provided in
339 Supplementary Text S1).

340

341 **2.3.4 Error statistics on observations and parameters**

342 **2.3.4.1 Observation error statistics**

343 Like in previous studies with ORCHIDAS, we defined \mathbf{R} as diagonal and computed the variances from
344 the Root Mean Square Difference (RMSD) between the data and the *a priori* ORCHIDEE simulations
345 (*i.e.* performed with the model default parameter values) for fluxes and satellite observations.
346 However, it is worth noting that this approach overestimates the variances in order to compensate
347 for any neglected correlations. For atmospheric CO_2 measurements, we followed a different
348 methodology given the large discrepancy in the modelled *a priori* concentrations: the errors were
349 determined as a function of the observed and modelled temporal concentration variability at each
350 site (Peylin et al., 2016), thus neglecting the structural errors of the terrestrial model.

351

352 **2.3.4.2 Tuning of the prior error statistics**

353 We assumed that errors in the prior parameter values are independent and therefore we used a
354 diagonal \mathbf{B} matrix. We populated the diagonal of \mathbf{B} in an iterative way from consistency diagnostics of
355 the data assimilation system following Desroziers et al. (2005), as described hereafter. If both \mathbf{B} and \mathbf{R}
356 matrices are correctly specified and if the estimation problem is linear, they should be related to the
357 covariance of the residuals (\mathbf{d}) between observations and background simulations (*i.e.* innovation)
358 following:

$$\mathbf{H}_o \cdot \mathbf{B} \cdot \mathbf{H}_o^t + \mathbf{R} = E [(\mathbf{y}^o - H(\mathbf{x}^b)) \cdot (\mathbf{y}^o - H(\mathbf{x}^b))^t] = E[\mathbf{d}_b^o \cdot \mathbf{d}_b^{o^t}] \quad (4)$$



359

360 With

$$\mathbf{R} = E[(\mathbf{y}^o - H(\mathbf{x}^a)) \cdot (\mathbf{y}^o - H(\mathbf{x}^b))^t] = E[\mathbf{d}_a^o \cdot \mathbf{d}_b^{o,t}] \quad (5)$$

361

$$\mathbf{H}_o \cdot \mathbf{B} \cdot \mathbf{H}_o^t = E[(H(\mathbf{x}^a) - H(\mathbf{x}^b)) \cdot (\mathbf{y}^o - H(\mathbf{x}^b))^t] = E[\mathbf{d}_b^a \cdot \mathbf{d}_b^{o,t}] \quad (6)$$

362

363 Similarly, the diagnostic on analysis errors can be determined from the residuals between
 364 observations and posterior simulations as:

$$\mathbf{H}_o \cdot \mathbf{A} \cdot \mathbf{H}_o^t = E[(H(\mathbf{x}^a) - H(\mathbf{x}^b)) \cdot (\mathbf{y}^o - H(\mathbf{x}^a))^t] = E[\mathbf{d}_b^a \cdot \mathbf{d}_a^{o,t}] \quad (7)$$

365

366 In principle, the tuning of **B** and **R** needs to be performed iteratively for successive values of and of
 367 the corresponding residuals, until convergence, which is prohibitive in terms of computing time. The
 368 estimation of the covariance matrices depends on the mathematical expectation (E) which would
 369 require several realizations of the residuals to diagnose the error statistics (Desroziers et al. (2005);
 370 Cressot et al., 2014). In this study, only one optimization was performed using one set of *a priori*
 371 parameters for each dataset. We therefore calculated these metrics by averaging the diagonals of
 372 the matrices described by both sides of the equations for all available observations (Kuppel et al.,
 373 2013). This way, both sides are scalar values (Cressot et al., 2014).

374

375 The standard deviation of the errors were determined after a few trials considering the three single
 376 data stream assimilation experiments independently: For each DA experiment we started from an
 377 initial parameter error set at 40% of the variation interval for each parameter (as in Peylin et al.,
 378 2016); The errors were then varied in order to fulfill the consistency diagnostics on the parameter
 379 and observation errors (see Supplementary Text S3). Finally, we evaluated the consistency of the
 380 resulting model-data covariance matrices for the DA experiments with multiple data streams using
 381 the reduced chi-square test (i.e. the chi-square statistic normalized by the number of observations, m
 382 (Chevallier et al., 2007; Klonecki et al., 2012), which is implicitly optimized by the Desroziers et al.
 383 (2005) approach:

$$\chi^2 = \frac{2J(\mathbf{x}^a)}{m} \quad (8)$$

384

385 If the **R** and **B** covariance matrices are well defined, the ratio of each term of the diagnostics of
 386 Desroziers et al. (2005) (ratio between **R** and $E[\mathbf{d}_a^o \cdot \mathbf{d}_b^{o,t}]$; and $E[\mathbf{d}_b^a \cdot \mathbf{d}_b^{o,t}]$; and and



387 $E [d_b^o \cdot d_b^t]$) should approach 1. Table 3 shows the values of the consistency diagnostics for the
388 final parameter error set-up.
389 The diagnostics for \mathbf{R} (ratios slightly above 1 for all data streams) and for the reduced chi-square
390 (Table S1 - values below 1) indicates a slight overestimation of the observation error. The diagnostics
391 for \mathbf{B} ($ratio^B$) show a stronger overestimation of the *a priori* error for NEE, LE and atmospheric CO₂,
392 but an underestimation for NDVI. For fluxes and satellite data, the combined diagnostics for \mathbf{R} and \mathbf{B}
393 ($ratio^{BR}$) appear consistent with ratios close to 1. For CO₂ however, the value of $ratio^{BR}$ close to the
394 value of $ratio^B$ highlights the strong influence of the background information (\mathbf{B} matrix) or the model
395 structure on the optimization, while the large value of $ratio^{BR}$ expresses a strong underestimation of the
396 observation error. Indeed, when determining \mathbf{R}_{CO_2} , we purposely did not account for the large bias (by
397 about 1 ppm.yr⁻¹) between the observed CO₂ temporal profiles at stations and the prior simulations,
398 which is due to the initialisation of ORCHIDEE's carbon pools (which is discussed in the Result section).
399 Finally, for the diagnostics on the analysis, the various tests performed (Supplementary Text S3) all
400 lead to negative quantities. Instead, the simulations of the calibrated model were expected to be
401 contained in between their prior state and the observations (the residuals having opposite signs,
402 their product is positive). This result may reflect a too strong model correction. However, it should be
403 noted that a strong assumption associated with these tests concerns the linearity of the model,
404 which may not hold for terrestrial biosphere models.

405

406 **2.4 Diagnostics for system evaluation**

407 **2.4.1 Optimisation performance**

408 We measured the efficiency of any assimilation by quantifying the reduction of the cost function as
409 the ratio of the prior to posterior values. It should be noted that the minimum value of the cost
410 function is not expected to be zero given the uncertainty in both the data and model, and the limited
411 number of degrees of freedom (number of optimized parameters) allowed. We also looked at the
412 ratio of the norm of the gradient between the prior and posterior misfit functions, as it illustrates the
413 progression towards the expected optimum, for which the gradient is null. The decrease of the norm
414 of the gradient depends on the estimation problem (non-linearities, number of observations versus
415 number of optimized parameters, constraints of the data on the model processes, etc.); however,
416 based on our experience with non-linear problems, we still expect the norm of the gradient to be
417 reduced by at least two orders of magnitude.

418 The analysis of the optimization performances are summarized in §3.1 and detailed in
419 Supplementary Text S4.



420

421 **2.4.2 Model improvement and posterior predictive checks**

422 The model improvement was quantified by the reduction of the root mean square deviation (RMSD)
423 between model and data, prior and posterior to optimization, expressed in %, as $100 \times$
424 $(1 - RMSD_{post} / RMSD_{prior})$.

425 We conducted posterior predictive checks by running the model optimized after assimilation of one
426 or two data streams and quantifying the resulting model-improvement with respect to the data
427 streams not accounted for in the assimilation.

428 **2.4.3 Uncertainty reduction on parameters and error budget**

429 The knowledge improvement on the model parameters brought by assimilation was assessed by the
430 uncertainty reduction determined by $1 - \sigma_{post} / \sigma_{prior}$, where σ_{post} and σ_{prior} are the standard deviation
431 derived from the posterior (**A**) and prior (**B**) covariance matrices on the model parameters and
432 output variables.

433 A comprehensive quantification of the uncertainty reduction on model variables would require
434 accounting also for the covariance matrix of the model structural error which could be the dominant
435 factor. Because this covariance matrix is difficult to estimate (see Kuppel et al., 2013, for a first
436 attempt in the case of the NEE), we instead analyzed the posterior errors on NEE and GPP at regional
437 to global scales, as the projection of the posterior error on parameters in the space of the model
438 variables. The posterior error on C fluxes is then characterized by the covariance matrix \mathbf{R}^a as:

$$\mathbf{R}^a = \mathbf{H}_o^\infty \cdot \mathbf{A} \cdot \mathbf{H}_o^{\infty t} \quad (9)$$

439 with the Jacobian matrix \mathbf{H}_o^∞ , being the first derivative of the target quantity (e. g., NEE, GPP) to the
440 optimized parameters derived from an assimilation experiment o .

441

442 **2.4.4 Assessment of the information content of each data stream**

443 For the joint assimilations using the three different data streams, we further analyzed the influence
444 matrix \mathbf{S} that quantifies their leverage on the model-data fit (Cardinali et al., 2004):

$$\mathbf{S} = \mathbf{R}^{-1} \cdot \mathbf{H}_o^\infty \cdot \mathbf{A} \cdot \mathbf{H}_o^{\infty t} \quad (10)$$

445

446 A diagonal element S_{ii} is the rate of change of the simulated observable i with respect to variations in
447 the corresponding assimilated observation i . S_{ii} is referred to as "self-sensitivity" of "self-influence". A
448 zero self-sensitivity indicates that this i^{th} observation does not contribute to improving its simulation



449 by the model, whilst $S_{ii} = 1$ indicates that the fit of the sole observation i mobilizes an entire degree of
450 freedom (i.e. one parameter). In addition to the total influence matrix (equation 10), we also
451 determined the partial influence matrices associated to each data stream o , using the corresponding
452 diagonal \mathbf{R}_o matrices and \mathbf{H}^∞ in equation 10.

453 We analyzed the trace (i.e. the sum of all diagonal elements) of \mathbf{S} that quantifies a measure of the
454 amount of information that can be extracted from all observations / all data streams. We used two
455 derived quantities: the global average observation influence (OI) and the relative degrees of freedom
456 for signal (DFS) associated with the data stream o , which measures its relative contribution to the fit.
457 They are defined as follow (with m the total number of observations):

458

$$OI = \frac{tr(\mathbf{S})}{m} \quad (11)$$

459 and

$$DFS = 100 \times \frac{tr(\mathbf{S}_o)}{tr(\mathbf{S})} \quad (12)$$

460

461 **3 Results and discussion**

462 **3.1 Model improvement for the different assimilation experiments**

463 **3.1.1 Cost function reduction**

464 The reduction of the cost function varies between the different experiments with the lowest
465 reductions for the single data streams experiments F and VI (around 10%). However, the correction
466 of the model-data misfit when CO₂ data are assimilated is much higher (at least factor of 10
467 reduction). Noteworthy, this strong model improvement is obtained for a lower departure of the
468 parameters from their prior values than when fluxes or satellite data are assimilated (cf. section 3.3,
469 and Figure 6).

470 A detailed description of the optimization performances with respect to the minimisation of the cost
471 function is detailed in Supplementary Text S4 and Table S2.

472 **3.1.2 Overall fit to the observations**

473 The impact of assimilating one type of observation on all the data streams (including those that are
474 not assimilated) was evaluated for the various assimilation experiments. The reduction of the model-
475 data mismatch (i.e. reduction in prior RMSD) after assimilation of each data stream (or any
476 combination of them) is illustrated in Figure 2. The length of the boxes (first and third quartiles) of
477 the whisker plots highlight the spread in misfit reduction across sites/vegetation types. For fluxes,



478 only the impact on NEE is shown, given the choice of optimizing parameters is mostly related to the
479 carbon cycle. Using the parameter values optimized in either the F and VI assimilations has a strong
480 detrimental impact on the simulated atmospheric CO₂ data because the soil carbon pools were not
481 adjusted in these DA experiments. Therefore, we also analyzed the changes induced on the
482 detrended seasonal cycles of atmospheric CO₂ concentrations (hence removing the trend using the
483 time series decomposition based on the CCGCRV routine (Thoning et al., 1989), as described in
484 Supplementary Text S2) (Figure 2c).

485

486 For a given data stream, the improvement is usually better for the experiment where that data
487 stream is assimilated alone (compared to joint assimilation of two or more data streams; Figure 2).
488 One noteworthy exception is the assimilation of NDVI alone (VI experiment) that results in a lower
489 model improvement with respect to NDVI than when it is assimilated in combination with other data-
490 streams. Only the phenology parameters are optimized with NDVI alone. In contrast, a higher
491 number of parameters are optimized in the joint assimilations involving NDVI, which hence improves
492 the timing of phenology and the amplitude of the annual cycle when flux or atmospheric CO₂ data
493 are also assimilated. For both experiments F and VI, the reduction of the model-data misfit can be
494 negative, which reflects how the assimilation can degrade the model performance for a few
495 pixels/sites by searching for a common parameter set. This is not observed with the assimilation of
496 atmospheric CO₂ data only for which the optimized model is always closer to the observations than
497 the prior model (due to a correction of the CO₂ trend), at all stations (see Supplementary Text S5 for
498 a detailed description of the reduction in model-data misfit each single-data stream assimilation
499 experiment (F, VI, CO₂)).

500

501 The collateral impact of assimilating one data stream on the other simulated observables is evident
502 in the misfit reductions shown in Figure 2 (e.g., examine the “VI” experiment on the NEE misfit
503 reduction in Figure 2a). While using optimized phenological parameters retrieved from satellite data
504 alone (experiment VI) degrades the modelled seasonality of NEE as compared to the measurements
505 (median RMSD reduction of -3%), the optimization with respect to *in situ* flux data (F), with additional
506 control parameters, leads to a general improved consistency between modelled FAPAR and satellite
507 NDVI time series (median RMSD reduction of 8%). The impact on LE is much lower for all DA
508 experiments (median values close to 0% in all cases, result not shown). One can also note the
509 positive impact of the F and VI assimilations on the atmospheric CO₂ data with median RMSD
510 reductions of 15.8% and 11.2% respectively for the detrended time series. Such an improvement
511 after assimilation of *in situ* flux data corroborates the findings of Kuppel et al. (2014) and Peylin et al.
512 (2016). Noteworthy, this improvement is of the same order as that achieved when assimilating



513 atmospheric CO₂ data alone (median RMSD reduction of 14%). The parameters retrieved from the
514 CO₂ experiment have also a small but positive impact at the site level with respect to NEE (median
515 value of 3%) and FAPAR (0.8%). These low values are explained by the fact that, in the CO₂
516 assimilation, most of the model improvement is attributable to the tuning of the soil carbon pools (to
517 fit the atmospheric CO₂ growth rate) while the other parameters are marginally changed (see Figure
518 3).

519

520 For the joint assimilation experiment (F+VI, F+CO₂, VI+CO₂, or F+VI+CO₂; Figure 2), the model-data
521 agreement is improved for all assimilated data streams, as expected, while the model degradation
522 relative to the data not assimilated is generally not as severe as compared to the assimilation of
523 individual data stream experiments described above, with the exception of the F+VI experiment. The
524 simultaneous assimilation of flux measurements and satellite NDVI data (F+VI) leads to enhanced
525 model improvement compared to when these data are assimilated alone (cf. Supplementary Text S5).
526 In the simultaneous assimilations involving atmospheric CO₂ data, most of the model improvement
527 concerns CO₂ (Figure 2c) while the benefit for the fluxes and FAPAR/NDVI is weak (RMSD reduction
528 below 3%). Noteworthy, the 2-step assimilation F+VI+CO₂ (see Section 2.3.3) results in an even
529 higher model improvement for both NEE and FAPAR than the 1-step approach.

530

531 The misfit reduction for the raw (i.e., not detrended) atmospheric CO₂ data is high (median reduction
532 ~75%) and remains quite stable among the various different combinations of data streams that
533 include atmospheric CO₂ (Figure 2c solid bars experiments including “CO₂”), with the exception of
534 the F+VI+CO₂-2steps experiments. The misfit reductions for the detrended CO₂ time series are
535 generally lower (median reduction less than ~15%) and there are more pronounced differences
536 between experiments. Again, these results highlight the predominance of the correction of the trend
537 in atmospheric CO₂ time series through the fitting of the carbon pool parameters, over the tuning of
538 the other model parameters related to photosynthesis and phenology. The 2-step approach permits
539 to partially overcome that limitation, with the improvement of the mean seasonal cycle for the three
540 data streams (Figure 2c).

541

542

543 3.1.3 Specific improvements at CO₂ stations

544

545 Figure 3 further analyzes the impact of each assimilation experiment on the fit to the observed
546 atmospheric CO₂ concentrations in terms of the bias in the long-term trend (2000-2009) and fit to the



547 mean seasonal cycle over the same period (i.e., bias in seasonal amplitude and length of the carbon
548 uptake period). For the trend analysis (Figure 3a), only experiments where atmospheric CO₂
549 measurements are assimilated are considered.

550 With the default parameter values, the simulated fluxes by ORCHIDEE lead with LMD_z to
551 overestimates the (trend) by about 1 ppm.yr⁻¹. When assimilating atmospheric CO₂ data, most of the
552 parameter correction aims at reducing this bias. This is mostly achieved by tuning the regional
553 K_{soilC_reg} parameters: the net land carbon sink is increased globally in order to match the observed
554 trend at most stations (reducing the bias from around 1 ppm.yr⁻¹ to 0.1 ppm.yr⁻¹). Compared to the
555 improvement in the bias in the trend, the improvements (reduction in bias) in the amplitude of the
556 CO₂ seasonal cycle and in the CUP length (Figures 3b and c) are marginal. Note that our joint DA
557 experiments lead to significantly lower trend biases compared to the stepwise approach, which is
558 probably due to the longer period of the atmospheric CO₂ data considered (10 years vs 3 years for
559 the stepwise).

560 For the amplitude of CO₂ concentrations, the joint assimilations including CO₂ data lead to lower
561 improvements on average compared to any single data stream assimilation experiment. Interestingly,
562 the highest improvements in CO₂ amplitude are achieved when flux data are assimilated (F or F+VI),
563 which reveals that the constraint on photosynthesis and respiration provided by FLUXNET
564 measurements is consistent with the amplitude of the seasonal atmospheric CO₂ cycle and within the
565 ORCHIDEE-LMD_z model (as already pointed out in Kuppel et al. (2014)). Surprisingly, the use of
566 satellite vegetation indices (VI) leads to a slightly lower residual amplitude bias than when
567 atmospheric CO₂ data are assimilated, albeit a lower number of optimized parameters. For the length
568 of the carbon uptake period (CUP), the relative model correction appears small for almost all
569 experiments and is lower than what is achieved for the trend and amplitude. Some degradation
570 (increased model-data bias) is even obtained for the cases F and F+CO₂. This may be attributed to
571 some inconsistency in the phasing of the CUP deduced from the FLUXNET stations and from the
572 atmospheric stations (given differences in the spatial and temporal scale constraints brought each
573 data stream). Among the single data stream assimilations, the highest improvement is obtained for
574 VI where the optimisation of the phenological parameters was the only improvement allowed for
575 tuning the model. For the joint assimilations, those combining the three data streams provide the
576 best performance and perform better than the stepwise approach.

577 Among the joint assimilations with three data streams, the 2-step approach results in the largest
578 reduction in amplitude and CUP bias, but, on the other hand, the larger trend bias .

579



580 **3.2 Impact of the assimilations on regional to global land C fluxes and errors**

581

582 Figure 4 now compares the carbon fluxes (NEE and GPP) at the global scale and for three large
583 regions (northern and southern extra-tropics, and tropics) using hindcast simulations based on the
584 different optimisations.

585 NEE is close to equilibrium by construction in the prior model (about -0.3 GtC.yr^{-1} globally). Note first
586 that experiments excluding CO_2 data produce land carbon fluxes (from -10 (F+VI) to $+6$ (VI) GtC.yr^{-1} ,
587 not shown in Figure 3) that are not compatible with our understanding of the land C fluxes. These
588 were however obtained without a new spin-up nor any transient simulations like it is done for the
589 TRENDY experiment (Sitch et al., 2015). For all experiments including atmospheric CO_2 data, the
590 assimilations lead to much more negative NEE (increased land carbon sink) compared to the prior for
591 nearly all regions. For these experiments that include CO_2 data, the optimized carbon sinks are about
592 -2.4 GtC.yr^{-1} at the global scale, with the exception of the stepwise approach, which is -1.7 GtC.yr^{-1}
593 (see Supplementary Text S6 for detailed results for each assimilation experiment). Therefore, our
594 joint assimilation with atmospheric CO_2 data results in a land C sink that is in the range of
595 independent TBM estimates of the global net carbon budget (over the same period, the Global
596 Carbon Project reports a global land sink of $-2.9 \text{ GtC.yr}^{-1} \pm 0.8$ standard deviation (see Table 5 of
597 Friedlingstein et al., 2020). Note that we have imposed (see method in §2.1.2) a net emission from
598 land use change (i.e. deforestation) of $+1.1 \text{ GtC.yr}^{-1}$ (2001-2009) which is slightly lower than that
599 reported in Friedlingstein et al. (2020) from the TBMs ($1.6 \pm 0.5 \text{ GtC.yr}^{-1}$) or the Bookkeeping methods
600 ($1.4 \pm 0.7 \text{ GtC.yr}^{-1}$), hence our lower terrestrial carbon sink. Note that the lower terrestrial sink
601 obtained with the stepwise approach is partly due to the optimisation against atmospheric CO_2 data
602 over a different and shorter period (2001-2004) with a lower C sink. Using a three year period is also
603 likely to be not enough for constrain the ORCHIDEE model due to large year to year variability of the
604 terrestrial C sink.

605

606

607 These similar posterior global scale budgets however hide significant regional contrasts. While the
608 three joint assimilation experiments F+ CO_2 , VI+ CO_2 , and F+VI+ CO_2 , lead to similar NEE budgets
609 across regions, the CO_2 and F+VI+ CO_2 -2steps experiments result in distinctly different estimates. In
610 the northern extra-tropics, the CO_2 assimilation results in the largest C sinks (numbers provided in
611 Supplementary Text S6) while the F+VI+ CO_2 -2steps assimilation leads to the lowest C sink, with a
612 magnitude that matches the stepwise assimilation set-up (Peylin et al., 2016). The reverse is obtained
613 for the Tropics.



614 Partitioning the land carbon budget between the northern extra-tropics and the tropics is a key
615 scientific question, in particular because of differences in the C residence time between these
616 ecosystems. From the global carbon budget, a discrepancy exists between the partition estimated by
617 the atmospheric CO₂ inversions and by the terrestrial biosphere models. Atmospheric inversions
618 estimate a larger sink over the northern extra-tropics than TBMs (around 1.8 GtC.yr⁻¹ versus 1.0
619 GtC.yr⁻¹ for the period 2010-2020), although with large variations between TBMs (Friedlingstein et al.,
620 2020, Figure 8). Conversely, TBMs estimate a larger C sink over the tropics (Ahlström et al., 2015;
621 Sitth et al., 2015) than the inversions, which estimate an approximately net neutral C sink (Peiro et
622 al., 2022). The stepwise and F+VI+CO₂-2steps assimilations follow the typical partitioning pattern of
623 TBMs' behavior, with a stronger C sink in the tropics than in the northern hemisphere. On the
624 opposite, the three two or more data stream experiments F+CO₂, VI+CO₂ and F+VI+CO₂ lead to an
625 approximately equal C sink in the northern hemisphere and tropics (thus unlike the general pattern
626 for TBMs). In contrast, the CO₂ experiment leads to a similar regional partitioning as the atmospheric
627 inversions. For the F+VI+CO₂-2steps experiment, the tropical sink is almost doubled as compared to
628 the other simultaneous assimilation experiments in spite of a slightly reduced GPP. The correction of
629 the CO₂ trend in the first step of the 2-step approach, with the optimisation of the soil disequilibrium
630 ($K_{soilC_{reg}}$ parameters), tends to favor a tropical C sink, which has a direct impact on the atmospheric
631 CO₂ stations of both hemispheres. Although such an approach offers the advantage of correcting
632 more substantially the seasonal cycle of atmospheric CO₂ (see section 3.1.3), it may still be sub-
633 optimal for partition of the terrestrial C sink (between northern and tropical regions).

634

635 With a global scale budget of 171 GtC.yr⁻¹ for GPP, the prior ORCHIDEE model is on the high range of
636 recent estimates of the global GPP, as synthesized in Anav et al. (2015), the mean value of which
637 being around 140 GtC.yr⁻¹. Depending on the data assimilated in this study (note that we include all
638 assimilation experiments in estimating the posterior GPP), the posterior GPP ranges from 147 GtC.yr⁻¹
639 (F+VI) to 170 GtC.yr⁻¹ (VI+CO₂) at the global scale. The greatest differences with the prior are
640 obtained for the experiments involving flux and satellite data (alone or the two combined). This is
641 directly linked to large corrections in photosynthesis parameters for these experiments (see §3.3). In
642 comparison, the assimilations involving atmospheric CO₂ concentrations data are more conservative
643 with respect to GPP. Assimilating atmospheric CO₂ data alone lessens the GPP reduction by a factor
644 of about three compared to assimilations with F and VI data, and the corrections for the joint
645 assimilations using CO₂ data is even lower (cf Supplementary Text S6 for details).

646

647 By propagating the error on the parameters (see § 3.3) in the observation space (see Eq. 9), we
648 calculated the uncertainty in NEE and GPP fluxes caused by parameter uncertainty for the prior and



649 optimized models. The error statistics, initially calculated at monthly/grid scale resolutions, were
650 aggregated over the same regions as above, fully accounting for the spatio-temporal correlations
651 between grid cells (Figure 5).

652 At the global scale, the prior error standard deviation for NEE (4.7 GtC.yr^{-1}) is high compared to the
653 typical uncertainty associated to TBMs (about 0.5 GtC.yr^{-1} , Friedlingstein et al. (2020)) or to
654 atmospheric inversions (estimated uncertainty $\sim 0.4 \text{ GtC.yr}^{-1}$ in Peylin et al.(2013)). This is a
655 consequence of neglecting negative error correlations between them (as done in nearly all C cycle DA
656 studies). Given this high prior uncertainty, the posterior error for NEE and GPP are significantly
657 reduced, as expected. Because of the strong dependence of the posterior errors on the optimisation
658 set-up and the fact we do not consider the error of the model, we should only compare the relative
659 error reduction between DA experiments. Noteworthy, the posterior errors in global NEE obtained
660 for the experiments CO₂ and VI+CO₂ are about 15 times lower than the posterior errors resulting
661 from the other data combinations (and three orders of magnitude lower than the prior error). This is
662 due both i) to the need for the DA system to correct the large *a priori* mismatch of the atmospheric
663 CO₂ growth rate and ii) to the lower number of optimized parameters in these configurations (Table
664 2: about 60% more parameters being optimized in F+VI+CO₂ than in CO₂ or VI+CO₂). The joint
665 assimilations result in higher posterior errors on NEE, while they usually lead to the lower posterior
666 errors on GPP. For GPP, the lowest posterior errors are found for the experiments combining F and
667 CO₂ data, while experiments F, CO₂ and VI+CO₂ lead to larger posterior errors. This is due to the
668 fact that i) F and CO₂ data provide a stronger constraint on the annual mean photosynthesis than VI
669 data and that ii) F and CO₂ data provide cross constraints on photosynthesis. Experiment VI, in which
670 about ten times fewer parameters are optimized and targeting primarily the timing of phenology,
671 results in the highest posterior GPP errors (although still a reduction from the prior).

672 Finally, one can observe that the posterior errors are higher in the tropics for both NEE and GPP (and
673 the reduction compared to the prior error is lower), which is even more prominent in the
674 experiments using *in situ* flux data alone or with satellite data, a direct consequence of the lower
675 data availability (eddy-covariance measurements) to constrain the model parameters for tropical
676 PFTs.

677

678 **3.3 Parameter estimates and associated uncertainties**

679

680 Figure 6 shows the impacts of the different assimilation experiments on a subset of the retrieved
681 parameter values and their associated uncertainties (the remaining parameters are shown in Figure



682 S1). The estimates are compared to the posterior parameters from the stepwise approach used in
683 Peylin et al. (2016).

684 While the stepwise study showed only few changes in the parameter estimates between the
685 sequential steps (and hence as a function of the data stream from which the parameters were
686 constrained) (Peylin et al., 2016), our results show a large variability between the assimilation
687 experiments (either between experiments considering a single data stream or between single- vs
688 joint- assimilations). For most parameters, the highest departures from the prior values are obtained
689 for single-data stream assimilations. Higher changes are obtained for flux or satellite data as
690 compared to the estimates retrieved with atmospheric CO₂ data alone which remain closer to the
691 prior values. This reflects the lower constraint brought by the CO₂ assimilation experiment on
692 photosynthesis and phenology related processes. This is largely due to the correction of the trend
693 bias via a few respiration related parameters, which prevails over the improvement of the other
694 photosynthesis and phenology parameters.

695 The joint assimilations (based on two or three data streams) usually result in a lower departure from
696 the background. For the parameters constrained by two data streams, the optimized values generally
697 fall in between those retrieved when these data streams are assimilated alone. This feature shows
698 how the system tries to find a compromise solution and illustrates potential overfitting with only one
699 data stream. The values optimized in the three experiments involving atmospheric CO₂ data show
700 little variability for all parameters, except in F+VI+CO₂-2steps where the tuning of the multiplicative
701 parameter of regional soil carbon pools $K_{soilC_{reg}}$ is decoupled from the optimization of the other
702 photosynthesis and phenological parameters. The decrease of $K_{soilC_{reg}}$ parameters from the prior
703 value is very small in all experiments, although these parameters are responsible for most of the
704 correction of the atmospheric CO₂ trend. This highlights the challenge of optimizing soil C
705 disequilibrium with our approach based on a model spin-up without a transient run. The smallest
706 $K_{soilC_{reg}}$ changes are obtained for the 2-step approach. Note that in this approach, Q_{10} is also
707 estimated in the first step; the corresponding estimate is similar to the value retrieved in the second
708 step (which is displayed in Figure 3), below 0.5% difference, and consistent with the estimates of the
709 other joint assimilation experiments. For some parameters/PFTs, the direction of the departure with
710 respect to the prior value (increase or decrease) may differ depending on the data stream
711 assimilated (as detailed in S5).

712

713 At the first order, the estimated parameter uncertainties decrease with the number of observations
714 assimilated, as expected from Equation 4, and given that the observations are treated as
715 independent data. However, given that the estimated parameter errors strongly depend on the set-
716 up of **B** and **R** matrices and that we did not use error correlations in these matrices, we should only



717 focus on the relative error reduction between experiments. The uncertainty reduction achieved
718 through the assimilation of atmospheric CO₂ data is usually lower than when flux and satellite data
719 are assimilated alone, and typically vary between 10% and 60% for most photosynthetic and
720 phenological parameters. Most often, the joint assimilations involving two data streams result in an
721 uncertainty reduction higher or of the same order than that achieved in the single-data assimilations.
722 The joint assimilation combining the three data streams generally results in the highest uncertainty
723 reduction, with values typically between 60% and 90%. The values are much higher than those
724 inferred from the stepwise approach (at the last step where three years of atmospheric CO₂ data
725 were assimilated), which are more on the order of the uncertainty reduction obtained in the CO₂
726 assimilation experiment.

727

728 **3.4 Relative constraints brought by the different datasets**

729

730 We now quantify the impact of each of the three data streams on the analysis using the global
731 average observation influence (quantified by OI) and information content (DFS) metrics defined in §
732 2.4.4. We recall that OI (i.e. trace of **S** normalized by the number of observations) gauges the average
733 influence that each single observation has on the analysis, while the relative DFS measures the
734 overall weight of one data stream in the optimization (the difference between OI and DFS is due to
735 the number of observations assimilated, Cardinali et al. (2014)). OI and DFS are determined for the
736 joint assimilation experiments combining the three data streams.

737 Because of the very large number of observations (above 300,000) involved in the assimilation, only
738 the diagonal elements of the influence matrix (Eq. 10) can be calculated. The trace of **S** measures the
739 equivalent number of parameters and is equal to 132. Such a value, lower than the number of
740 parameters (182), indicates that the optimized parameters may not be fully independent (although
741 parameter error correlations have been ignored in our **B** matrix) as already reported in Kuppel et al.
742 (2012), or that some are not constrained during the optimisation process (as for instance LAI_{MAX}
743 which estimates remains at its *a priori* value for some PFTs, Figure S1).

744 The values of OI are provided in Table 4 for flux, NDVI and atmospheric CO₂ data. With about the
745 same number of observations considered (Table 2, last column), one *in situ*_flux measurement has
746 about 10 times more weight than one NDVI observation. This is a consequence of the larger number
747 of parameters constrained by flux measurements than by NDVI data in our set-up. The highest
748 influence is found for atmospheric CO₂ data, the relative weight of one atmospheric CO₂
749 measurement being 4 times greater than that of one flux observation, albeit the much lower number
750 of data assimilated. This is a consequence of the strong weight of the mismatch between the *a priori*



751 simulated and the observed atmospheric CO₂ trend (over 10 years), which is drastically reduced
752 through the optimisation.

753 However, the smaller number of atmospheric CO₂ data assimilated, compared to flux and NDVI
754 datasets, reduces the overall constraint on the analysis provided by atmospheric CO₂ data, as gauged
755 by its relative DFS. Hence, our optimization is mainly controlled by flux data which have an overall
756 contribution of about 75%, that is about 5 times larger than the constraint brought by atmospheric
757 CO₂ data and 7 times larger than that of satellite NDVI. Differences between F+VI+CO₂ and
758 F+VI+CO₂-2steps are relatively small for both OI and DFS but show a slightly lower weight of
759 atmospheric CO₂ data for the 2 steps experiment.

760

761 The same analysis was performed by discriminating the influence of each PFT for flux and satellite
762 data, and each station for atmospheric CO₂ concentrations (Figure 7 - experiment F+VI+CO₂). For the
763 flux data, the results are mainly proportional to the number of observations available (hence, the
764 lower results are obtained for BorDBF, TeDBF and TrEBF, for which the number of assimilated data is
765 about one order of magnitude lower than for the other PFTs; see § 2.2.1).

766 For satellite NDVI data however, the number of data is the same for each PFT. The discrepancies
767 between PFTs is thus less pronounced than for flux data and related to the ability of the selected
768 parameters to correct the phenology of each PFTs (constrained by the NDVI data). For TrDBF and
769 C3GRA, the inability to correct the start of the growing season ($K_{pheno,crit}$, remains close to the prior
770 values, as seen in Figure 3) may explain the lower contribution of these PFTs.

771 For atmospheric CO₂ data, the DFS is relatively well distributed across stations, with a mean value of
772 1.9 (range 0.19 – 14.5), in particular in the northern hemisphere. The higher values are found for a
773 few southern hemisphere stations: Halley Station - HBA (6), Syowa - SYO (8.4), South Pole - SPO (11.9)
774 and Cap Grim Observatory - CGO (14.5). Possible reasons for their larger impact may combine: a
775 strong a *priori* model-data mismatch that is substantially corrected, ocean-driven concentration
776 variations not well captured by the prescribed ocean flux but incidentally well corrected by remote
777 land fluxes, etc.

778

779 **4 Summary and outlook**

780

781 By assimilating separately or simultaneously up to three independent carbon-cycle related data
782 streams (*in situ* measurements of net carbon and latent heat fluxes, satellite derived NDVI data, and
783 measurements of atmospheric CO₂ concentration at surface stations) within the ORCHIDEE model
784 (and an offline transport model based on pre-calculated transport fields with LMDz), we have been



785 able to analyze their compatibility, complementarity, and usefulness, in the frame of a global-scale
786 carbon data assimilation system. We investigated how the different combinations of data streams
787 constrain the parameters of the ORCHIDEE land surface model, and by consequence the simulated
788 historical spatial and temporal distribution of the net and gross carbon fluxes (NEE and GPP), as well
789 as FAPAR and atmospheric CO₂ concentrations.

790 Our analyses focussed not only on the model outputs, but also on methodological aspects aiming at 1)
791 checking that the error statistics on parameters and observations were correctly assigned, 2)
792 assessing the optimisation efficiency, and 3) quantifying the relative informational content brought
793 by each data stream. In doing so, the study highlighted some challenges in handling model-data bias
794 in Bayesian optimisation frameworks (in particular the initialisation of the soil carbon pools) and
795 evaluating their impact on the optimized model.

796

797 **4.1 Benefits of simultaneous assimilations**

798 Joint/simultaneous assimilations are more complex to implement compared to stepwise/sequential
799 assimilations. In principle a stepwise approach could lead to similar results than a joint approach, if
800 the posterior parameter error covariance matrix could be fully characterized at each assimilation
801 step and further propagated as prior information in the next step. However, given that this is in
802 practice not feasible, stepwise/joint approaches lead to different optimized models. With a joint
803 assimilation, biases and incompatibilities between data streams may impact more directly a larger
804 set of parameters than in a stepwise assimilation. The characterization of the prior observation
805 errors becomes also more critical as they condition the relative weight of the observations in the
806 misfit function to minimize and their influence on the solution (analysis). Hence, we designed several
807 tests beforehand to refine the configuration of the framework for the simultaneous assimilations,
808 relying on consistency metrics on parameter and observation error statistics of Desroziers et al.
809 (2005). In spite of the limitation of their application to non-linear models like ORCHIDEE, their
810 implementation has proved useful to assign the error statistics on prior parameters relative to the
811 observation error statistics for the different data streams. Ultimately, this has led to an improved
812 consistency of the optimized models at regional and global scales.

813

814 Single data stream assimilations usually lead to the best model - data fit for the assimilated data
815 stream, as compared to joint assimilations. However, most often these single data stream
816 assimilations also produce degraded results with respect to the data that were not assimilated. This
817 reveals potential overfitting issues with a higher variability of the optimized parameters than in the
818 joint assimilations. Overfitting is a key issue for DA studies which can be partly alleviated when



819 combining different data streams within a consistent framework: because they bring different
820 information pieces to the model processes, they contribute to better circumscribing a set of model
821 parameters. Among the several assimilation experiments considered, those where several data were
822 assimilated simultaneously were those resulting in the least model degradation while always showing
823 a model improvement. Joint assimilations regularized the system and resulted in a reduced variability
824 in parameter estimates and in optimized NEE and GPP.

825

826 **4.2 Caveats and perspectives concerning the initialisation of the soil carbon pools**

827 We showed that reaching this global terrestrial carbon sink was mostly achieved by correcting the
828 initial soil carbon reservoirs in the ORCHIDEE model. Their tuning enables the correction of the trend
829 bias between atmospheric CO₂ time series measurements at stations and the prior ORCHIDEE-LMDz
830 model. The impact of this trend bias on the optimization performance was highlighted by the
831 quantification of the influence for the three data streams on the optimization, with atmospheric CO₂
832 data having the greatest average observation influence on the solution. A consequence of correcting
833 the trend bias is that the model improvement with respect to other processes (photosynthesis,
834 phenology) is hindered.

835 We attempted to overcome this by setting up a 2-step assimilation process where the trend
836 correction is mostly achieved in the first step by tuning the regional parameters controlling the soil
837 carbon pools. In doing so, the 2-step approach optimizes the constraint brought by *in situ* and
838 satellite data (in the second step) in the joint assimilation process. Therefore, the 2-step results in
839 enhanced model-data consistencies compared to a standard simultaneous assimilation (as observed
840 in Figure 2 and Figure 3) with a caveat regarding atmospheric CO₂ data: the improved fit is mostly
841 with the detrended atmospheric CO₂ data but not the raw data. We acknowledge the fact that this
842 way of doing is not optimal and requires further investigation. But most importantly, it highlights the
843 necessity to use atmospheric CO₂ data to constrain C cycle related parameters in order to improve
844 the representation of soil carbon stocks in TBMs, which are pivotal to predicting NEE in regional to
845 global assessments of the capacity of the terrestrial ecosystems to absorb or not atmospheric CO₂.
846 Going beyond the steady state assumption following model spin-up has been discussed already
847 (Carvalhais et al., (2010); MacBean et al., 2022), as it results in biased estimates of soil carbon
848 reservoirs (Exbrayat et al., 2014). The exploitation of available datasets related to regional soil carbon
849 stocks (as the International Soil Carbon Network, Nave et al. (2016), or the global soil respiration
850 database, Jian et al. (2021)) by TBMs is not straightforward because of inconsistencies between the
851 estimated quantities and the model state variables and underlying processes. Still, it is of primary



852 importance for the science community to endeavor bridging the gap between state-of-the art
853 estimates of soil carbon stocks and what TBMs simulate over the historical period.

854

855 **4.3 Realism of the regional to global-scale C fluxes**

856 The overarching objective of the study was more about assessing how to make the best of a
857 synergistic exploitation of different data streams within a consistent assimilation framework rather
858 than achieving an up-to-date re-analysis of the global carbon fluxes. However, the regional/global
859 estimated NEE and GPP budgets are realistic and in agreement with independent estimates; but
860 there are still important differences in the model predictions for the different assimilation
861 experiments. We have not attempted to identify what was the most reliable optimized model, which
862 would require the use of an ensemble of independent data (an effort beyond the scope of this paper).
863 Interestingly, we noticed that the multi-data stream assimilations including CO₂ data (except the 2-
864 step case) lead to a partition of the terrestrial C sink between the extra-tropics and the tropics in
865 closer agreement to the atmospheric inversion than to the TBMs of the TRENDY experiment, a key
866 feature that needs further investigations. In addition, we acknowledge that the coverage of the
867 datasets used here is limited (no atmospheric CO₂ data nor satellite data after 2010, no *in situ* flux
868 data beyond 2007) and that we did not assess the potential of other data that can bring relevant
869 additional information on the dynamics of terrestrial carbon fluxes stocks, such as aboveground
870 biomass (Thum et al., 2017) or Solar Induced-Fluorescence (Bacour et al., 2019) which have already
871 been investigated with ORCHIDAS, and with an updated version of the ORCHIDEE model.

872

873 **5 Conclusion**

874 Terrestrial ecosystem modelers are anticipating the many novel types of observations that are being
875 made available for model evaluation and assimilation. As a result, and in parallel to the growing
876 complexity of TBMs incorporating new biogeo- physical processes related to the carbon and water
877 cycles, new observation operators are being developed to be able to make use of this new wealth of
878 data. We are thus entering an exciting new era, one in which we should both take advantage of a
879 multitude of new datasets and capitalize on past gains in terrestrial model data assimilation
880 understanding to achieve significant reduction in land surface model projection uncertainties.
881 We hope that the metrics explored in this study can benefit a broader set of data assimilation
882 applications, supporting guidance for setting up the framework and for better use of the data to be
883 assimilated.

884



885 **Code availability**

886 The ORCHIDEE model code is open source (<http://forge.ipsl.jussieu.fr/orchidee>) and the associated
887 documentation can be found at <https://forge.ipsl.jussieu.fr/orchidee/wiki/Documentation>. The
888 ORCHIDAS data assimilation scheme (in Python) is available through a dedicated web site
889 (<https://orchidas.lsce.ipsl.fr/>). Information about the LMDz model, source code and contact is
890 provided at <https://lmdz.lmd.jussieu.fr/le-projet-lmdz-en-bref-en>.

891

892 **Data availability**

893 This work used eddy covariance data acquired by the FLUXNET community
894 (<https://fluxnet.org/data/la-thuille-dataset/>). The NDVI data are derived from the MODIS
895 MOD09CMG collection 5 daily global reflectance products
896 (<https://ladsweb.modaps.eosdis.nasa.gov/missions-and-measurements/products/MOD09CMG>). The
897 surface atmospheric CO₂ concentration data uses measurements from The NOAA Earth System
898 Laboratory (ESRL) archive (<ftp://ftp.cmdl.noaa.gov/ccg/co2/>), the CarboEurope IP project
899 (http://ceatmosphere.lsce.ipsl.fr/database/index_database.html), and the World Data Centre for
900 Greenhouse Gases of the World Meteorological Organization Global Atmospheric Watch Programme
901 (<http://gaw.kishou.go.jp>).

902

903 **Author contributions**

904 CB, NM, PP and FC conceived the research. CB developed the data assimilation system with
905 contribution from FC (coupling with LMDz) and SL (parallelisation and post-processing). PP developed
906 the offline transport (precomputed Jacobian matrix of LMDz) with contribution from SL. CB
907 conducted the analysis, with contributions from NM and SL for spin-up ORCHIDEE simulations. PP, FC,
908 and EK, provided the ancillary input fluxes for the global-scale simulations. EK and CB contributed to
909 the development of the tangent linear version of the ORCHIDEE model. CB conceived and wrote the
910 original draft with NM, PP, and FC. All co-authors reviewed the paper.

911

912

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918

919

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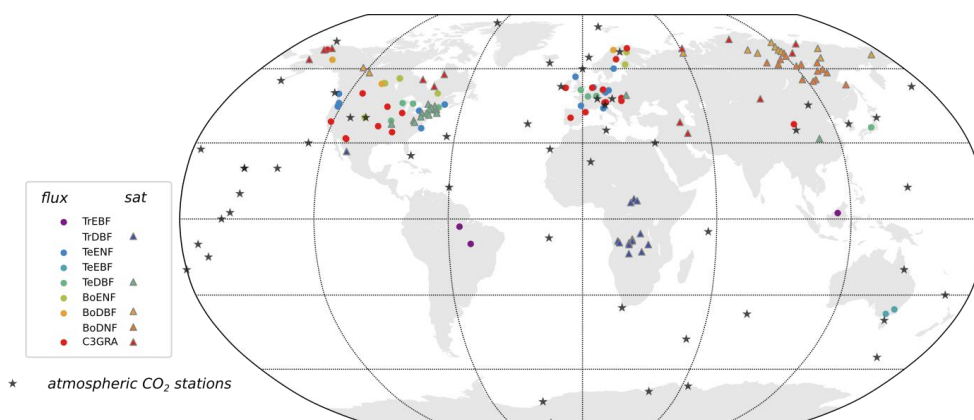
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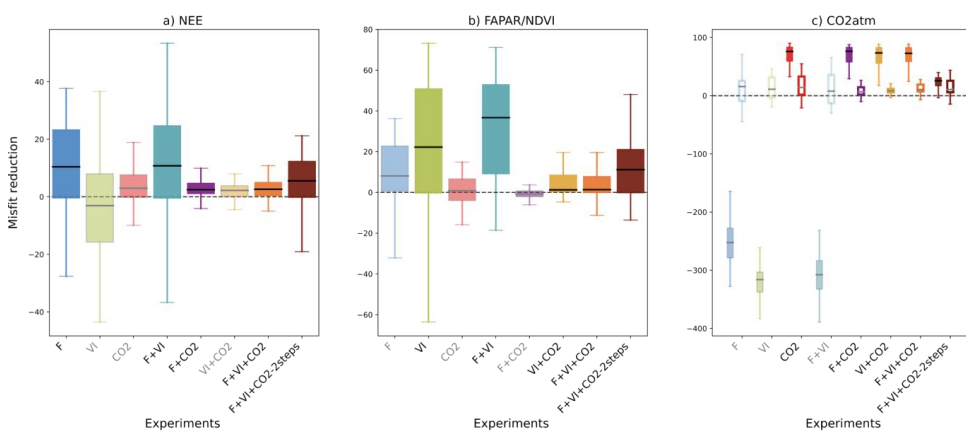


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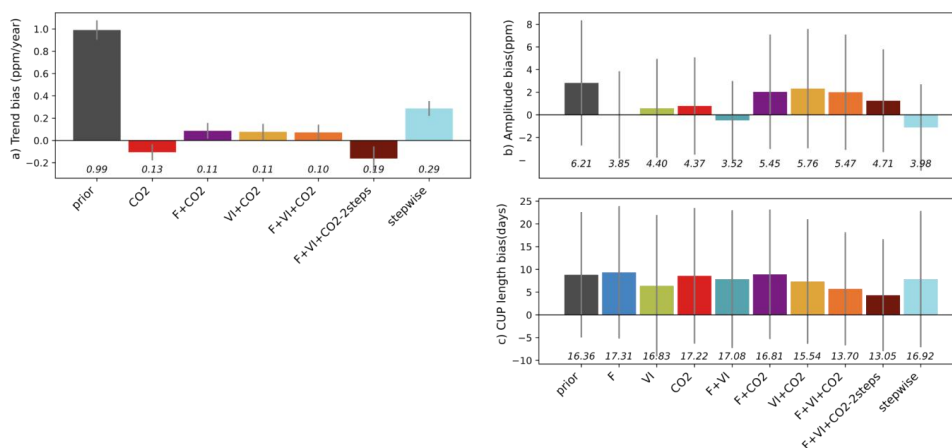


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 1120 **Figure 1: Location of the flux tower sites (circles), satellite pixels (triangles), and atmospheric CO₂**
 1121 **stations (black stars) used in this study.**

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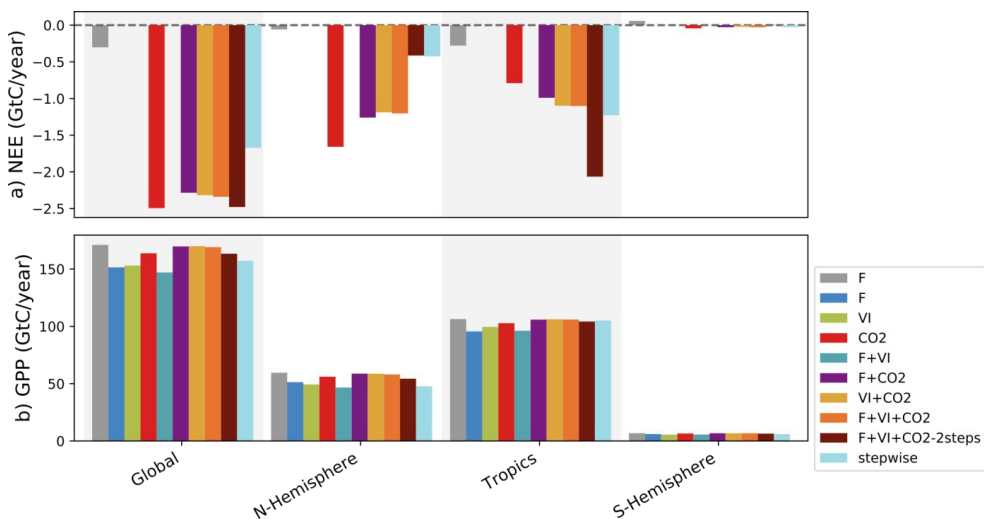
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 1124 **Figure 2: For all data streams, boxplots of the reduction of the model-data mismatch following the**
 1125 **different assimilation experiments. For a given data stream, the assimilation experiments in which**
 1126 **it is involved are labeled in black (x-axis) and the boxplot colors are dark colored; and in gray / light**
 1127 **colors otherwise (back-compatibility check). For the atmospheric CO₂ concentration data at**
 1128 **stations, the misfit reduction is calculated both for the raw (not detrended) data (left solid boxplot**
 1129 **of each assimilation experiment, with colored boxplots) and the detrended data (right white**
 1130 **boxplot of each assimilation experiment).**



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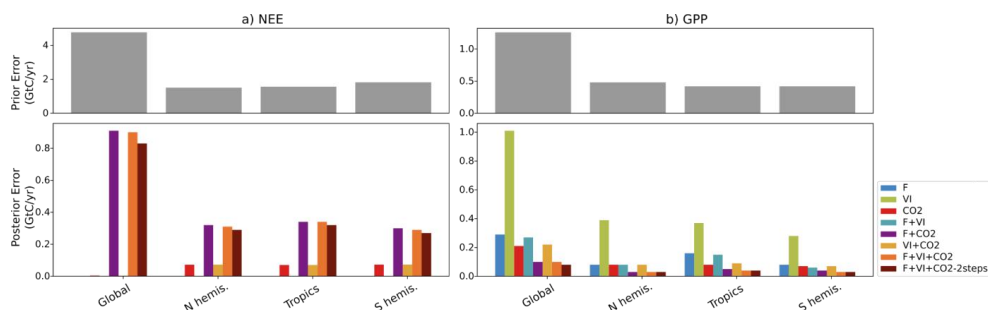
1132 **Figure 3: Residual biases of the atmospheric CO₂ time series between those measured at stations and the**
 1133 **simulations (prior and optimized for each assimilation experiment), in terms of trend, magnitude of the**
 1134 **seasonal cycle and length of the carbon uptake (CUP). The study results are compared to those obtained**
 1135 **using a sequential approach (Peylin et al., 2016). The bars show for each quantity the mean bias relative to**
 1136 **the measurements over the period 2000-2009. The standard deviations of the differences between**
 1137 **observations and simulations over all stations are shown as the gray vertical lines, and the RMSD are**
 1138 **provided below in italic.**

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1141 **Figure 4: Global and regional C budget for NEE and GPP, and for the northern hemisphere (30°N-90°N),**
 1142 **tropics (30°N-30°S) and southern hemisphere (30°S-90°S), regions, for the prior model and the model**
 1143 **calibrated for the several assimilation experiments. For NEE, only the experiments involving atmospheric CO₂**
 1144 **data are shown. The period considered is 2000-2009.**



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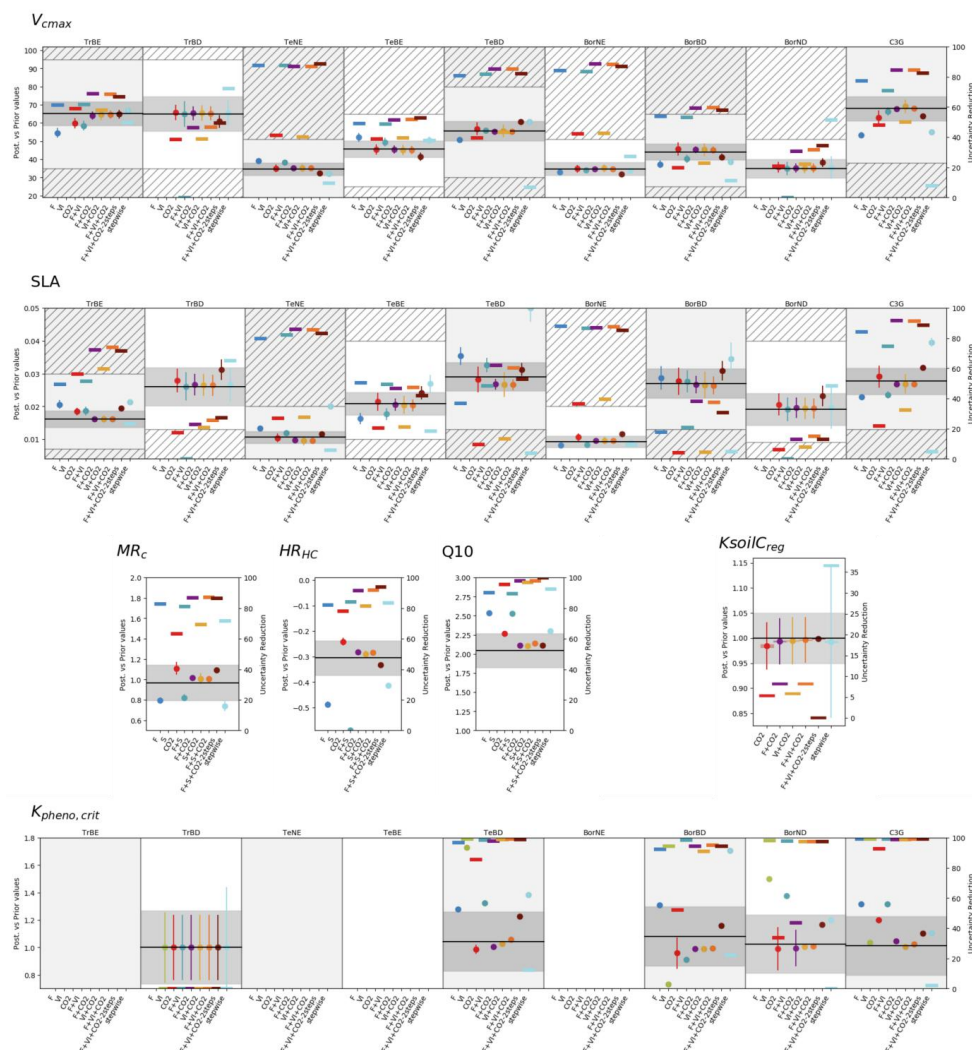
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Figure 5: For NEE (left) and GPP (right) prior errors (top), and posterior errors obtained for each assimilation experiment (bottom), over the regions considered. For NEE, only the experiments involving atmospheric CO₂ data are shown.



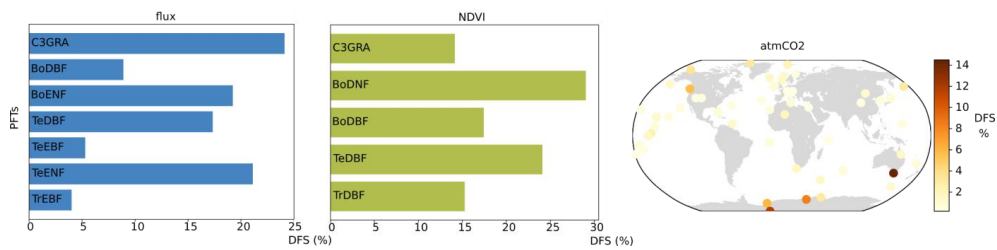
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1151 **Figure 6: Prior and posterior parameter values and uncertainties for a set of optimized parameters (eight**
 1152 **PFT-dependent parameters and four non-PFT dependent). The prior value is shown as the horizontal black**
 1153 **line and the prior uncertainty (standard deviation) as the gray area encompassing it along the x-axis. For the**
 1154 **PFT-dependent parameters, each box corresponds to a given PFT; empty boxes indicate that this parameter**
 1155 **was not constrained for the corresponding PFTs. The white zone (non-dashed area) corresponds to the**
 1156 **allowed range of variation. The optimized values are provided for each assimilation experiment (the eight**
 1157 **ones considered in this study and the one from Peylin et al. (2016) – "stepwise"); the corresponding**
 1158 **posterior errors are displayed as the vertical bars. Note that the prior values presented here are those used**
 1159 **in this study, and not those of the stepwise (which are higher/lower for the photosynthesis and respiration /**
 1160 **phenological parameters). For each assimilation experiment is also provided the uncertainty reduction (right**
 1161 **y-axis) as the thick opaque horizontal bars. For *KsoilC_{reg}*, the posterior values displayed here correspond to**



1162 the mean over the ecoregions (without Antarctica) considered; the semi-transparent horizontal bars on
1163 either side of the posterior values correspond to the standard deviation of the estimates.

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1166 **Figure 7: Relative DFS for the F+VI+CO₂ assimilation experiment. For Flux and Satellite data: relative DFS per**
1167 **PFT; for atmospheric CO₂ data: relative relative DFS (contribution) of the different stations to the fit.**

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Name	Description	Data stream
<i>Photosynthesis</i>		
V_{cmax}	maximum carboxylation rate ($\mu\text{mol.m}^{-2}.\text{s}^{-1}$)	F, CO2
$G_{s,slope}$	Ball-Berry slope	F, CO2
T_{opt}	optimal photosynthesis temperature ($^{\circ}\text{C}$)	F, CO2
SLA	specific leaf area ($\text{m}^2.\text{g}^{-1}$)	F, CO2
<i>Soil water availability</i>		
$H_{um,cste}$	root profile (m^{-1})	F, CO2
<i>Phenology</i>		
LAI_{MAX}	maximum LAI value	F, CO2
$K_{pheno,crit}$	multiplicative parameter of the threshold that determines the start of the growing season	F, VI, CO2
T_{senes}	temperature threshold for senescence ($^{\circ}\text{C}$)	F, VI, CO2
$L_{age,crit}$	average critical age of leaves (days)	F, VI, CO2
$K_{LAI,happy}$	LAI threshold to stop using carbohydrate reserves	F, VI, CO2
<i>Respiration</i>		
Q_{10}	temperature dependency of heterotrophic respiration	F, CO2
$HR_{H,c}$	Offset of the function for moisture control factor of heterotrophic respiration	F, CO2
MR_c	Offset of the affine relationship between temperature and maintenance respiration	F, CO2
$K_{soilC,site}$	Multiplicative factor of initial slow and passive carbon pools	F
$K_{soilC,reg}$	Multiplicative factor of initial slow and passive carbon pools	CO2

1170 **Table 1: List of the ORCHIDEE parameters to be optimized and data streams that constrain them (F for *in situ***
 1171 **flux measurements, VI for normalized satellite NDVI data, CO2 for atmospheric CO2 concentration data).**

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 1173

experiment name	flux data	NDVI data	atmospheric CO2 concentrations	number of optimized parameters	number of observations
F	x			133	150792
VI		x		19	149916
CO2			x	114	6360
F+VI	x	x		152	300708
F+CO2	x		x	182	157152
VI+CO2		x	x	114	156276
F+VI+CO2 F+VI+CO2-2steps	x	x	x	182	307068

1174 **Table 2: Characteristics of the various assimilation experiments (flux data – F, satellite NDVI vegetation index**
 1175 **– VI, and atmospheric CO2 concentration – CO2).**

1176
 1177



	NEE	LE	VI	CO2
R	1.75	1.75	0.33	1.22
$E[\mathbf{d}_a^o \cdot \mathbf{d}_b^{o^t}]$	1.49	1.49	0.21	1.16
$ratio^R$	1.17	1.17	1.55	1.05
$\mathbf{H}_o \cdot \mathbf{B} \cdot \mathbf{H}_o^t$	1.45	8.30	0.2	15.17
$E[\mathbf{d}_b^a \cdot \mathbf{d}_b^{o^t}]$	0.92	5.45	0.24	6.29
$ratio^B$	1.59	1.52	0.83	2.41
$\mathbf{H}_o \cdot \mathbf{B} \cdot \mathbf{H}_o^t + \mathbf{R}$	2.28	23.63	0.38	15.22
$E[\mathbf{d}_b^o \cdot \mathbf{d}_b^{o^t}]$	1.75	22.11	0.31	6.39
$ratio^{BR}$	1.17	1.07	1.23	2.38
$\mathbf{H}_o \cdot \mathbf{A} \cdot \mathbf{H}_o^t$	0.25	1.82	0.07	3.26
$E[\mathbf{d}_b^a \cdot \mathbf{d}_a^{o^t}]$	-0.45	-5.12	-0.15	-2.13
$ratio^A$	-0.56	-0.36	-0.43	-1.53

1178 Table 3: Consistency diagnostics of the error covariance matrices for the F (using NEE and LE data), VI, and
 1179 CO2, assimilation experiments. The ratios are calculated with the mathematical expectation term as the
 1180 denominator.

1181

	OI		Relative DFS	
	1-step	2-step	1-step	2-step
flux	0.000586	0.000577	74.65	76.9
NDVI	0.000048	0.000048	11.12	11.68
CO2	0.002654	0.002035	14.23	11.42

1182 Table 4: Observation influence and relative DFS statistics of each data stream for the joint assimilation
 1183 experiments F+VI+CO2 and F+VI+CO2-2steps.

1184